

Particle Detectors for Colliders

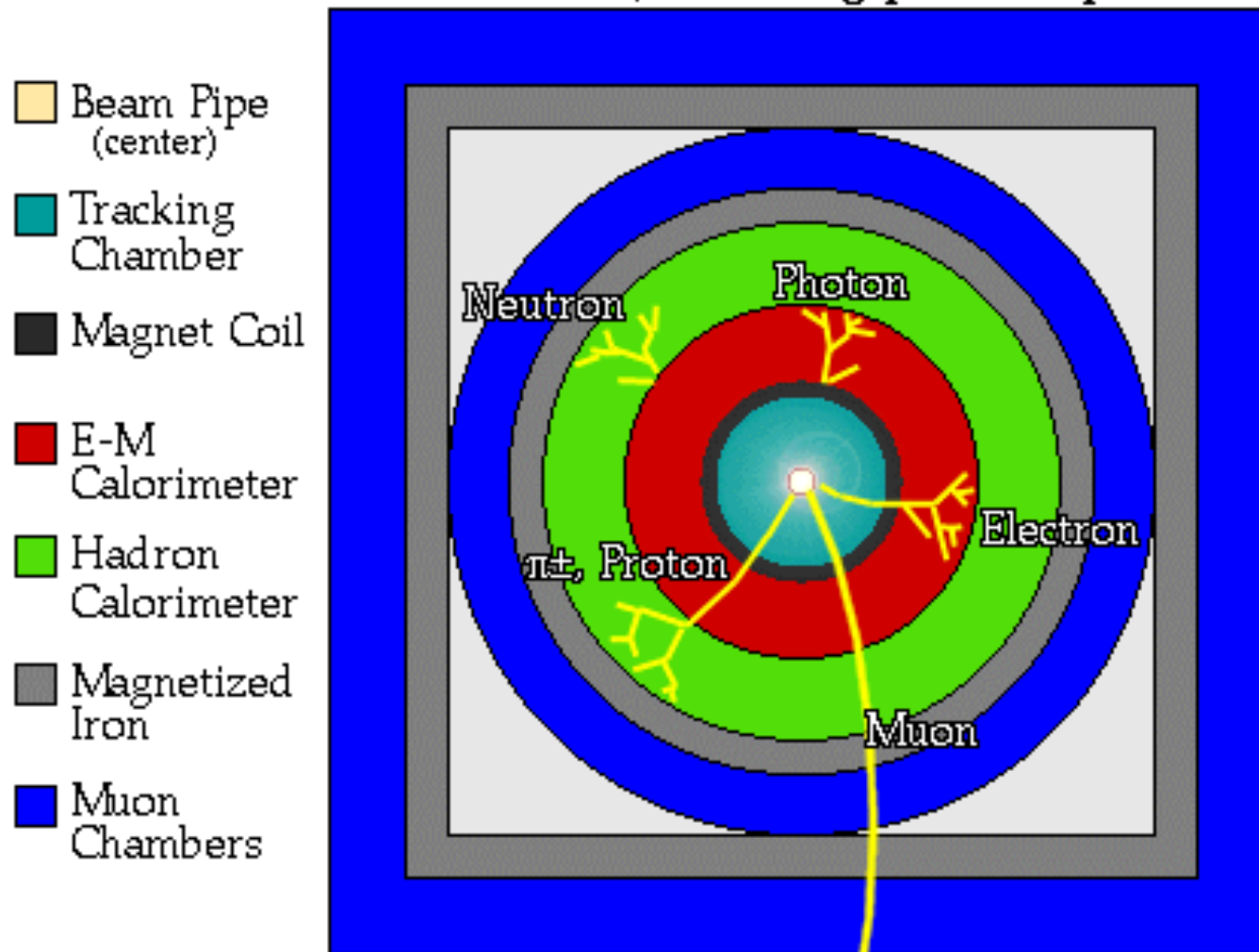
Semiconductor Tracking Detectors

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University of Toronto

Generic Detector

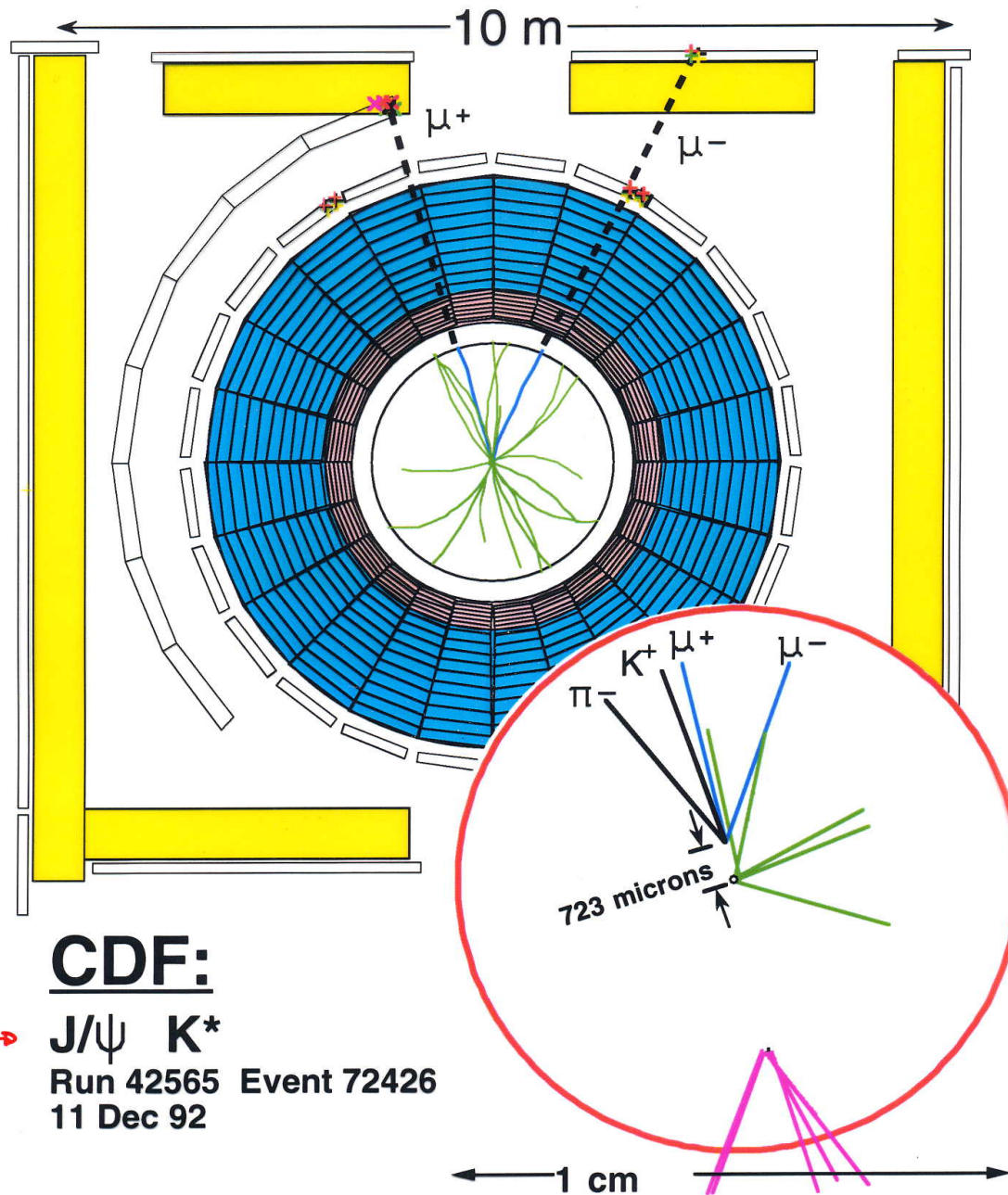
A detector cross-section, showing particle paths



► Layers of Detector Systems around Collision Point

Solid State Detectors

- Specifically
 - microstrip & pixel trackers
- Have become trackers of choice (if affordable)
 - high spatial resolution
 - radiation hard
 - rely on development of micro-electronics fabrication techniques
- Central to heavy flavour tagging, lifetimes
 - vertex detection
 - B flavour
 - Top
 - Higgs



CDF:

$B^0 \rightarrow$

$J/\psi K^*$

Run 42565 Event 72426
11 Dec 92

Top Quark Discovery at CDF

e + 4 jet event

40758_44414

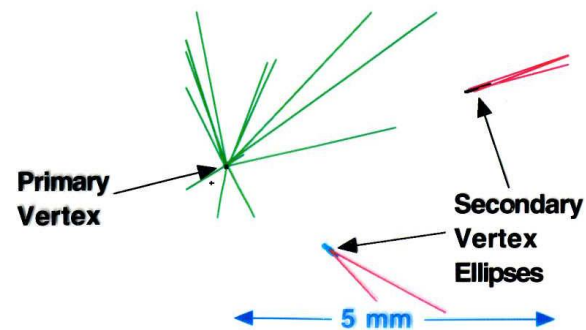
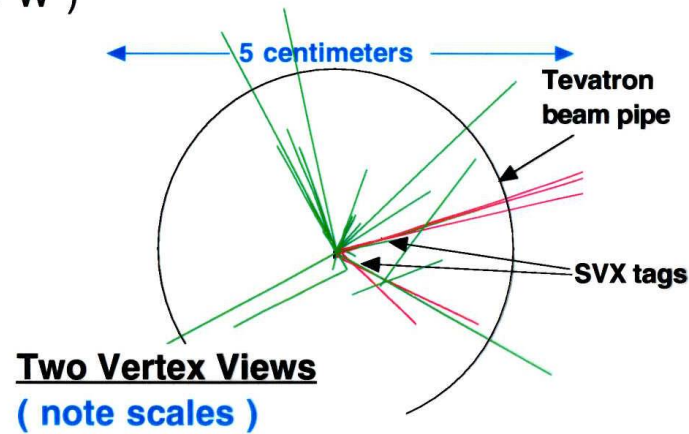
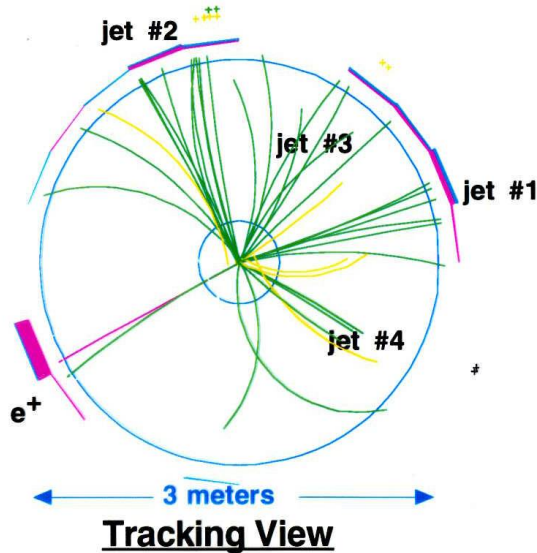
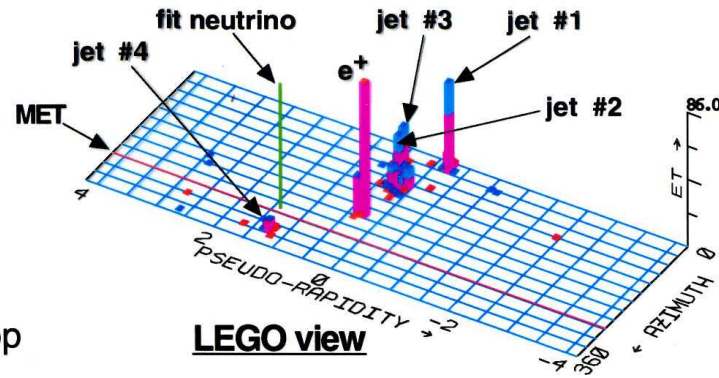
24-September, 1992

TWO jets tagged by SVX

fit top mass is 170 +/- 10 GeV

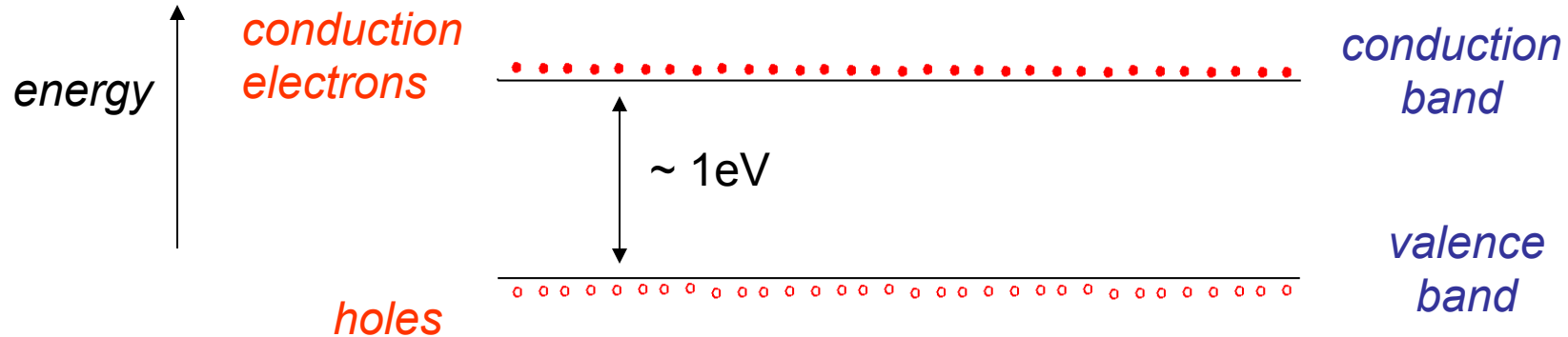
e⁺, Missing E_t, jet #4 from top

jets 1,2,3 from top (2&3 from W)



Semiconductors

- Have a large energy gap

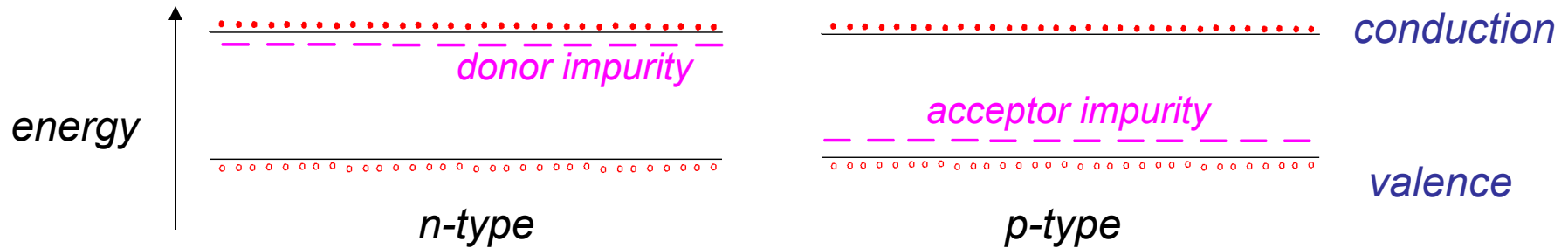


- Small number of charge carriers in conduction band
 - electrons thermally excited across the band gap

$$n_i = AT^{3/2} \exp\left(\frac{-E_g}{2kT}\right)$$

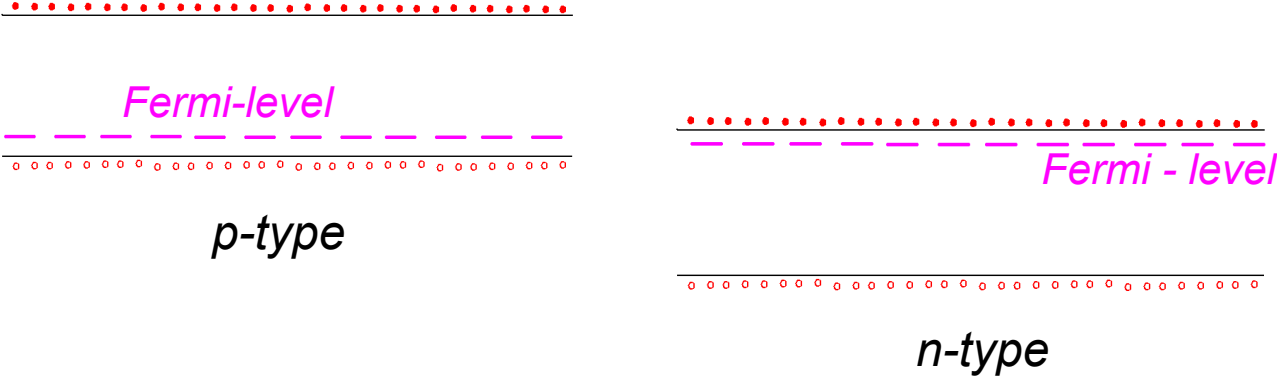
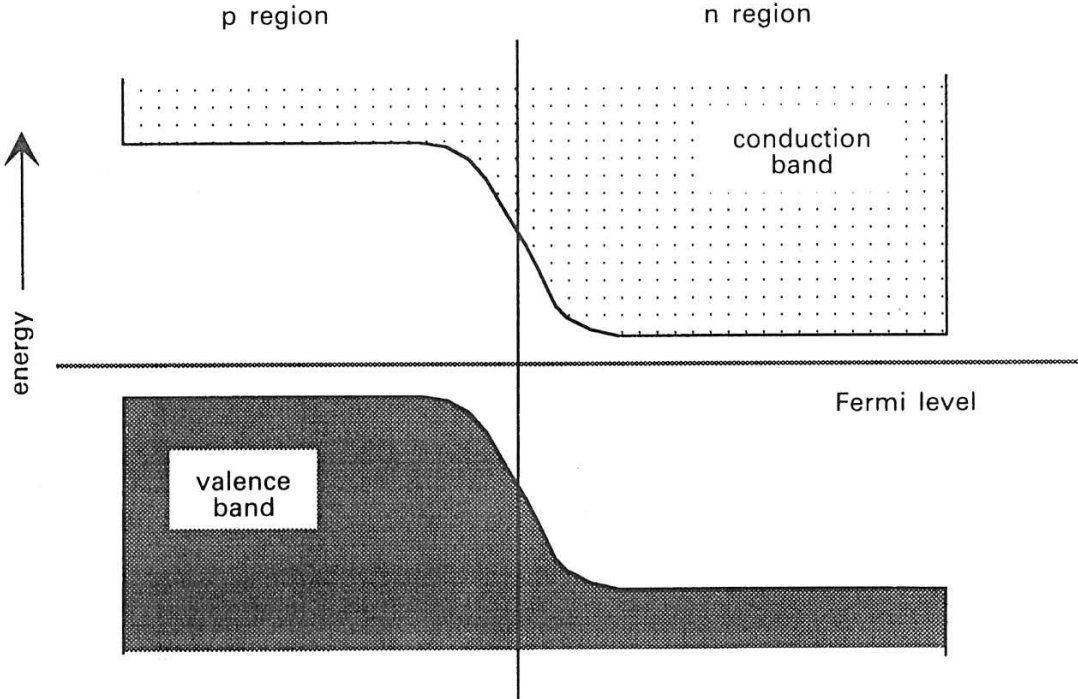
$n_i = 1.5 \times 10^{10} \text{ cm}^{-3}$ in pure silicon at room temp
increases with temperature

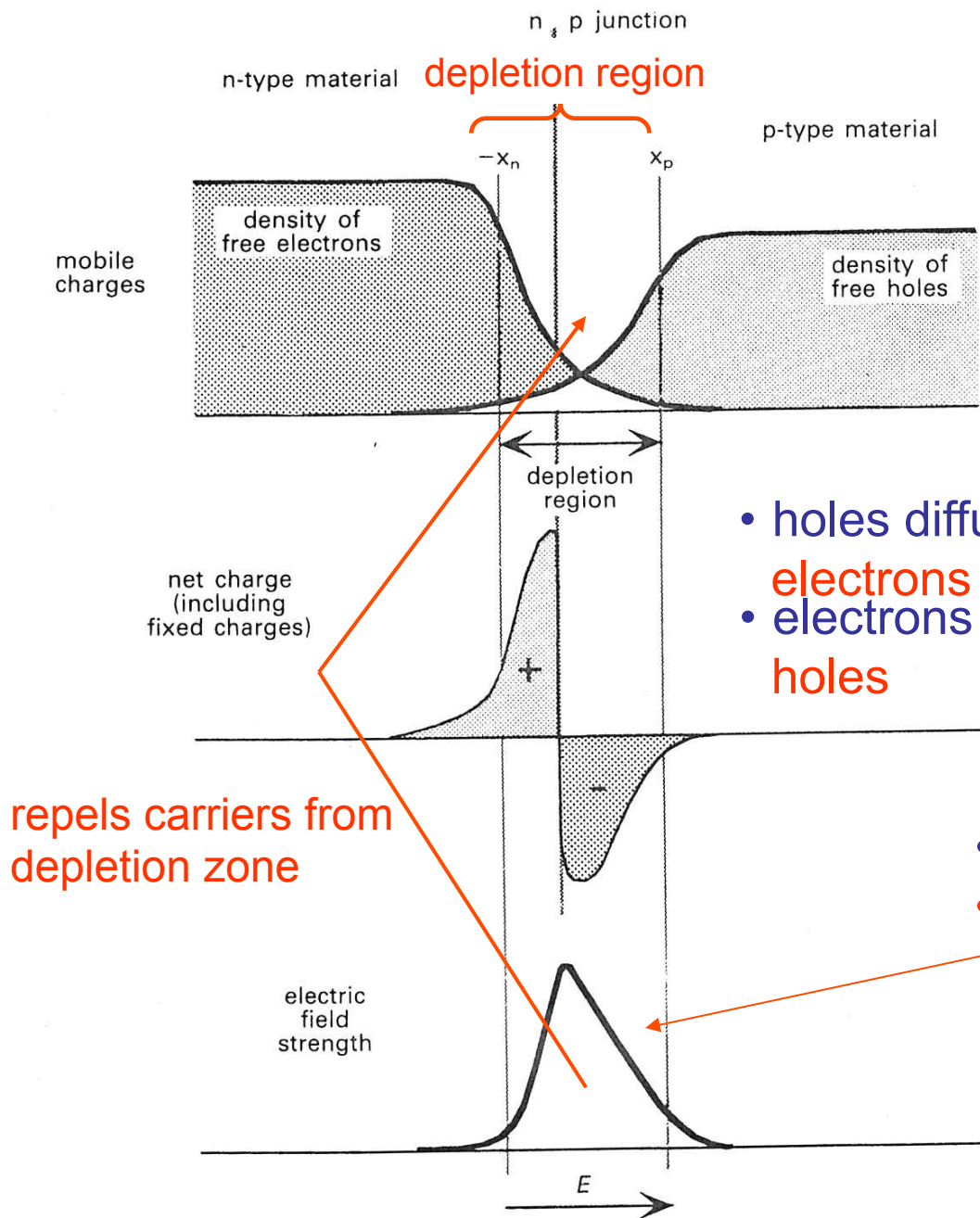
Doped Semiconductors



- In **n-type** , extra conduction **electrons** easily excited into conduction band
-increase conductivity
- In **p-type**, valence electrons excited into impurity band – **holes** in valence band conduct
 - n-type - electrons – majority carriers
 - **p-type** - **holes** – majority carriers

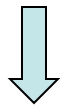
p-n Junction





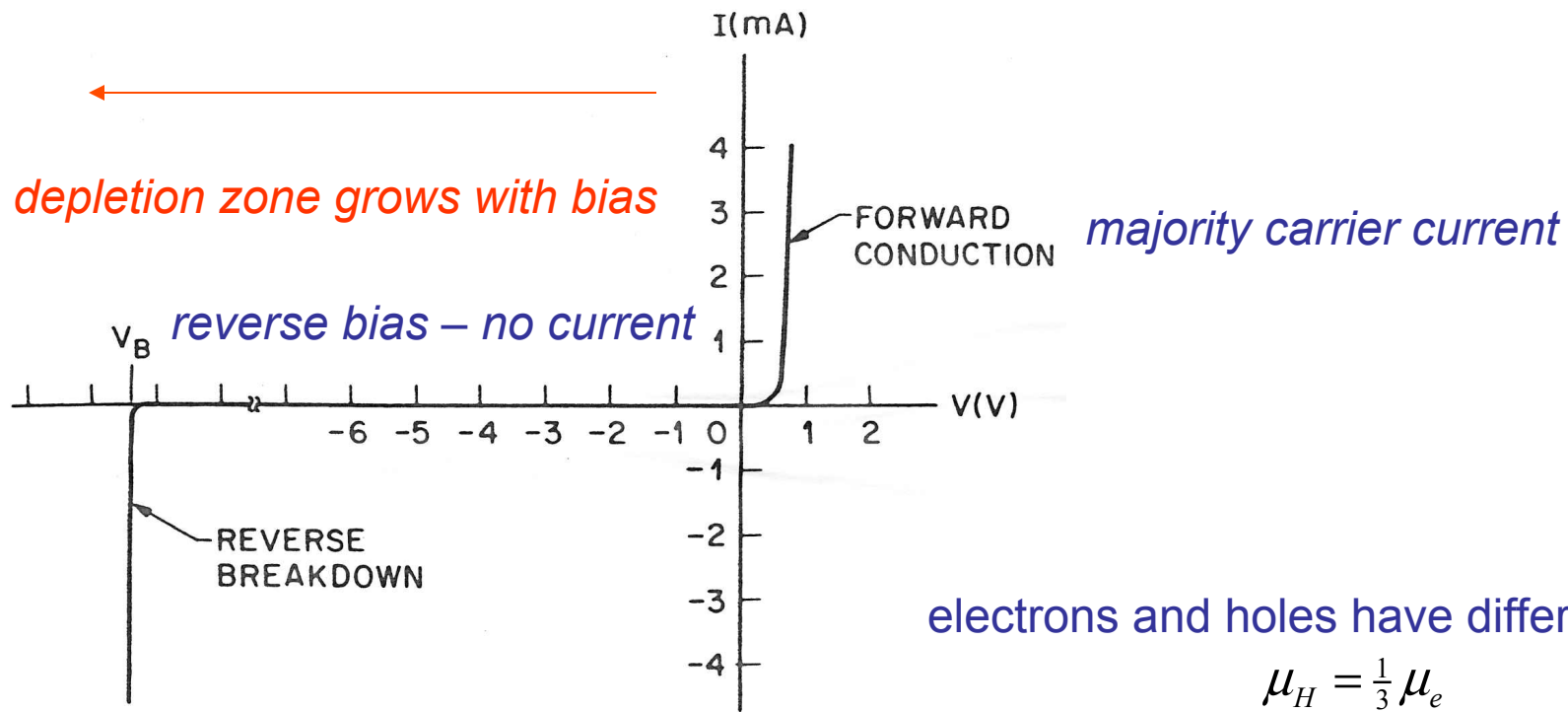
- Both n & p are initially electrically neutral

- holes diffuse into n-region - “fill”
- electrons diffuse into p-region - “fill”



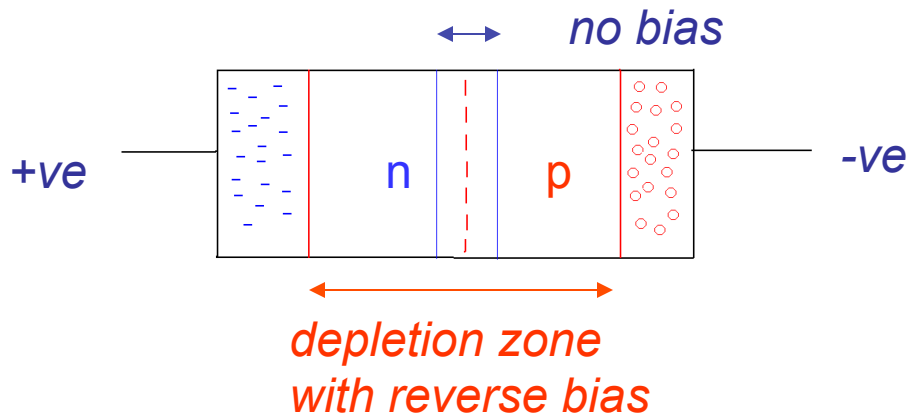
repels carriers from depletion zone

- charge buildup
- electric field



electrons and holes have different mobility

$$\mu_H = \frac{1}{3} \mu_e$$



for $V_0 = 300V$ $d = 5\text{ mm}$ cf 75μ

need high resistivity Si for large bias voltage
- high purity or compensated

Depletion Zone as a Detector

- Reverse biased p-n junction – no majority carriers – no current
- Ionizing particle passing through depletion zone
- Liberates electron-hole pairs – current flows
- Intrinsic field not high enough to efficiently collect carriers – small signal
- Small depletion layer – large capacitance – large noise into electronics

- Depth of Depletion Zone

$$d = \left[2\epsilon\mu_e\rho(V_0 + V_B) \right]^{\frac{1}{2}}$$

$1.054 \times 10^{-12} \frac{F}{cm}$

dielectric constant

electron mobility

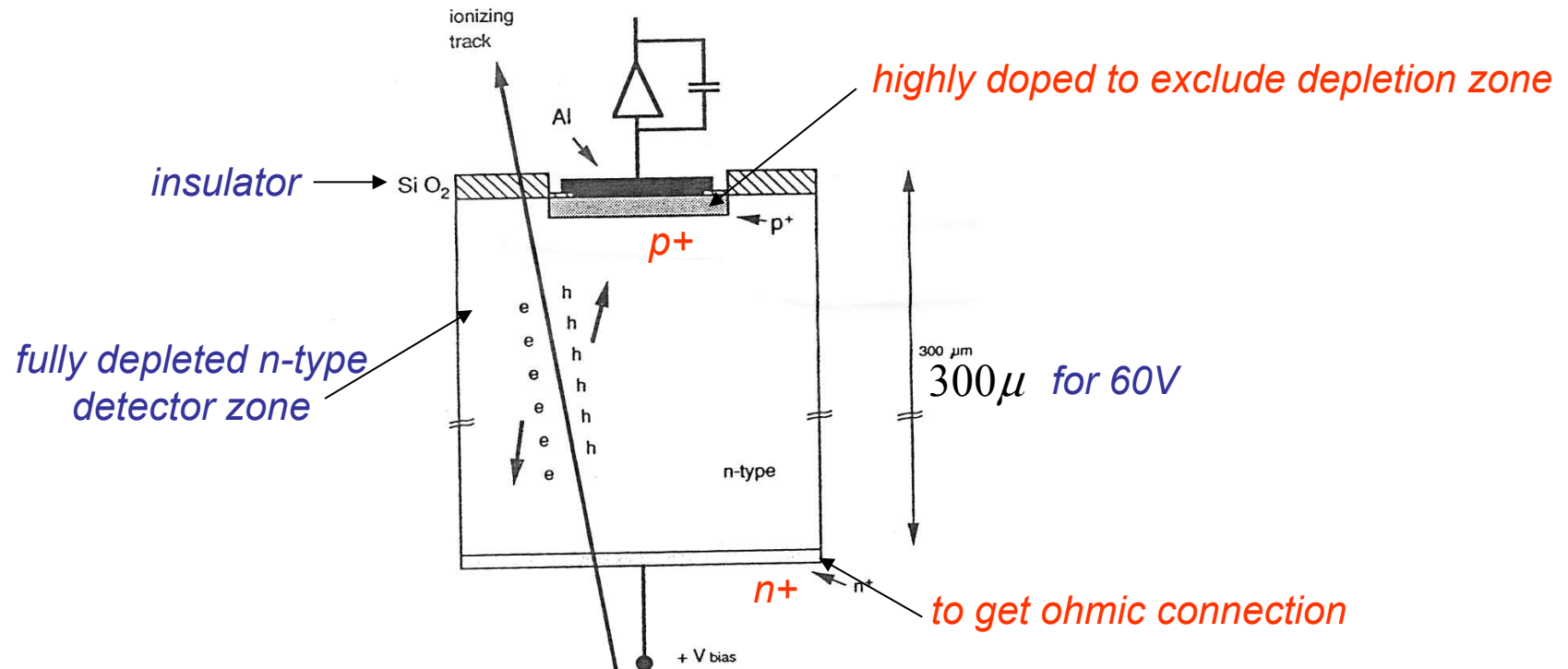
contact

$V_0 \approx 1V$

bias

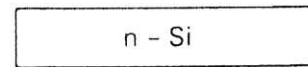
resistivity

Principle of micro-strip Detector

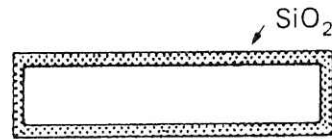


- 1 e-h pair / 3.6 eV - 10² e-h per micron - dense
- unlike gas – no multiplication of primary ionization 3×10⁴ for 300μ
- noise reduced by full depletion – reduce capacitance

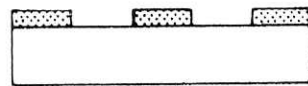
Fabrication



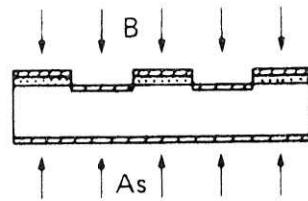
← n - Si WAFER



OXIDE PASSIVATION



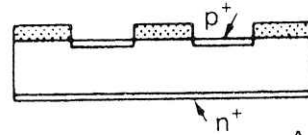
OPENING OF WINDOWS



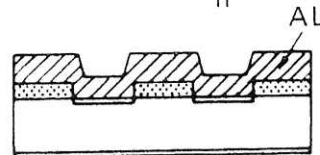
DOPING BY ION IMPLANTATION

B : 15 keV $5 \times 10^{14} \text{ cm}^{-2}$

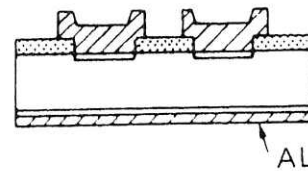
As : 30 keV $5 \times 10^{15} \text{ cm}^{-2}$



ANNEALING AT 600°C, 30 MIN



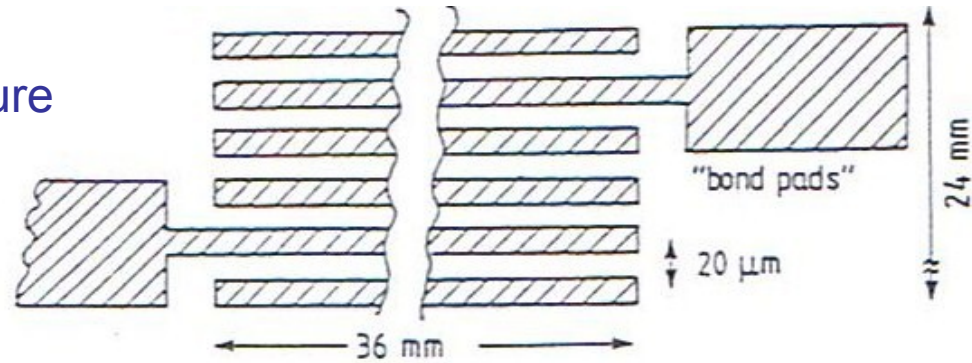
AL METALLIZATION



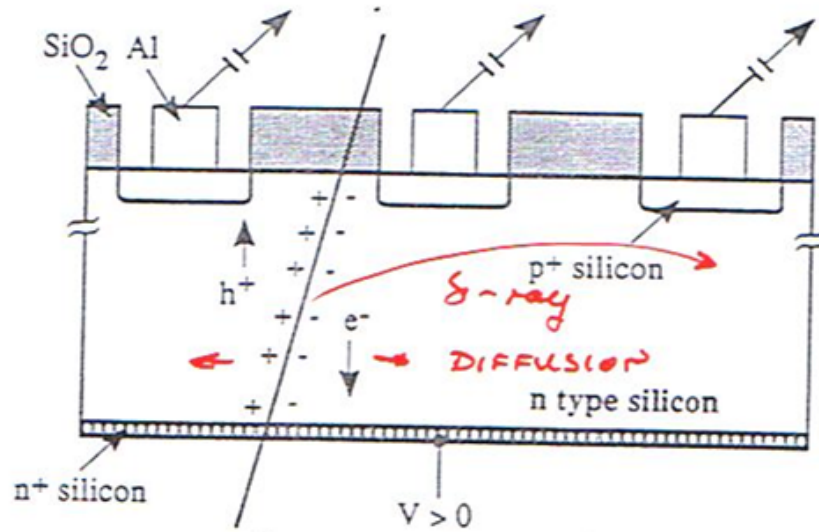
AL PATTERNING AT THE FRONT

AL - REAR CONTACT

- micro strip structure

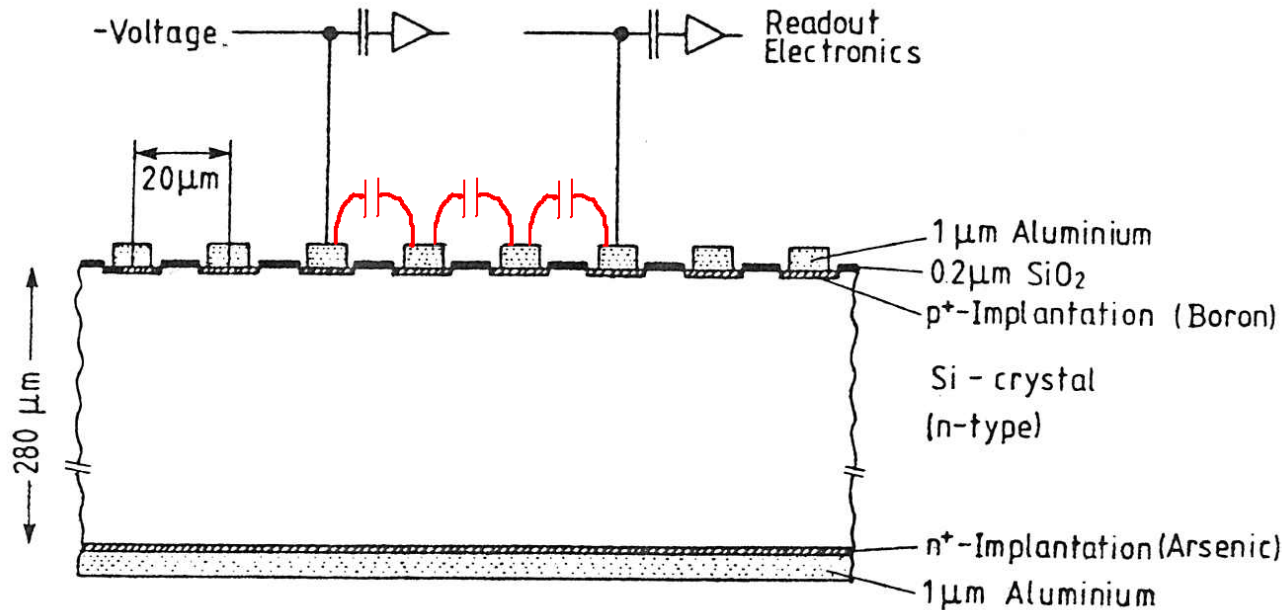


Strip pattern of the microstrip detector



- position resolution < 10 microns
- limited by diffusion and delta-rays

Capacitive Charge - Division

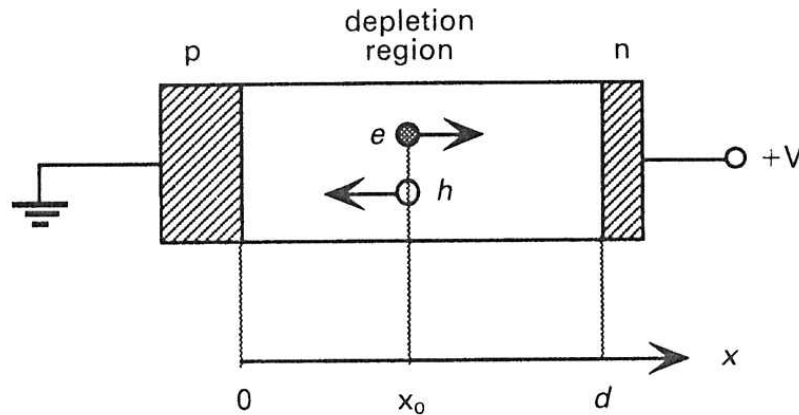


$$\sigma = \frac{\text{pitch}}{\sqrt{12}}$$

Cross-section of the microstrip detector with capacitive charge division

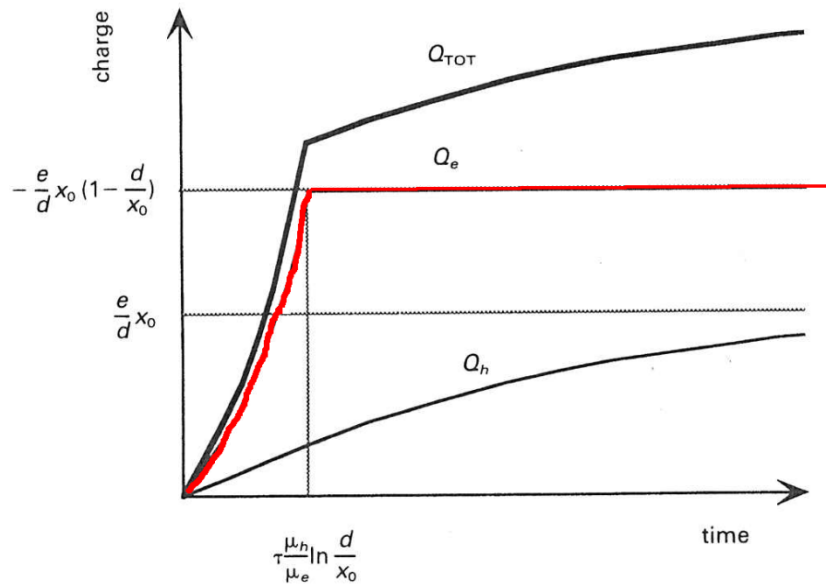
- many strips resulting from 20 μ pitch
 - ⇒ many electronics channels – many \$\$
- stray capacitive coupling of strips – read out every nth strip
 - ⇒ read out every 6th strip – effective 120 μ pitch -- $\sigma : 8\mu$

Time Development of Signal



resistivity ρ

dielectric constant ϵ_s

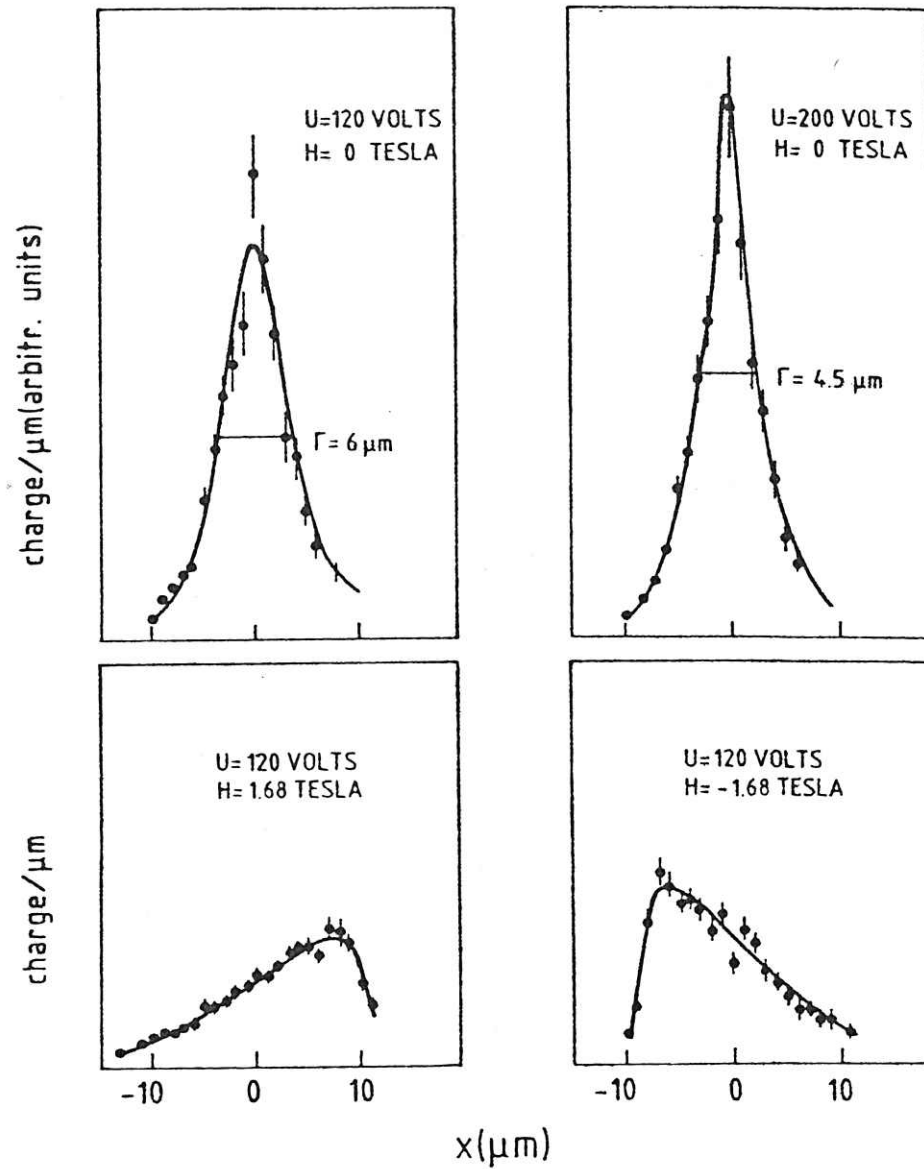


electrons dominate rise time

$$Q_e = \frac{e}{d} x_0 \left(1 - \exp \frac{\mu_e t}{\mu_h \tau} \right)$$

$$Q_h = \frac{e}{d} x_0 \left(1 - \exp \frac{\mu_h t}{\mu_e \tau} \right)$$

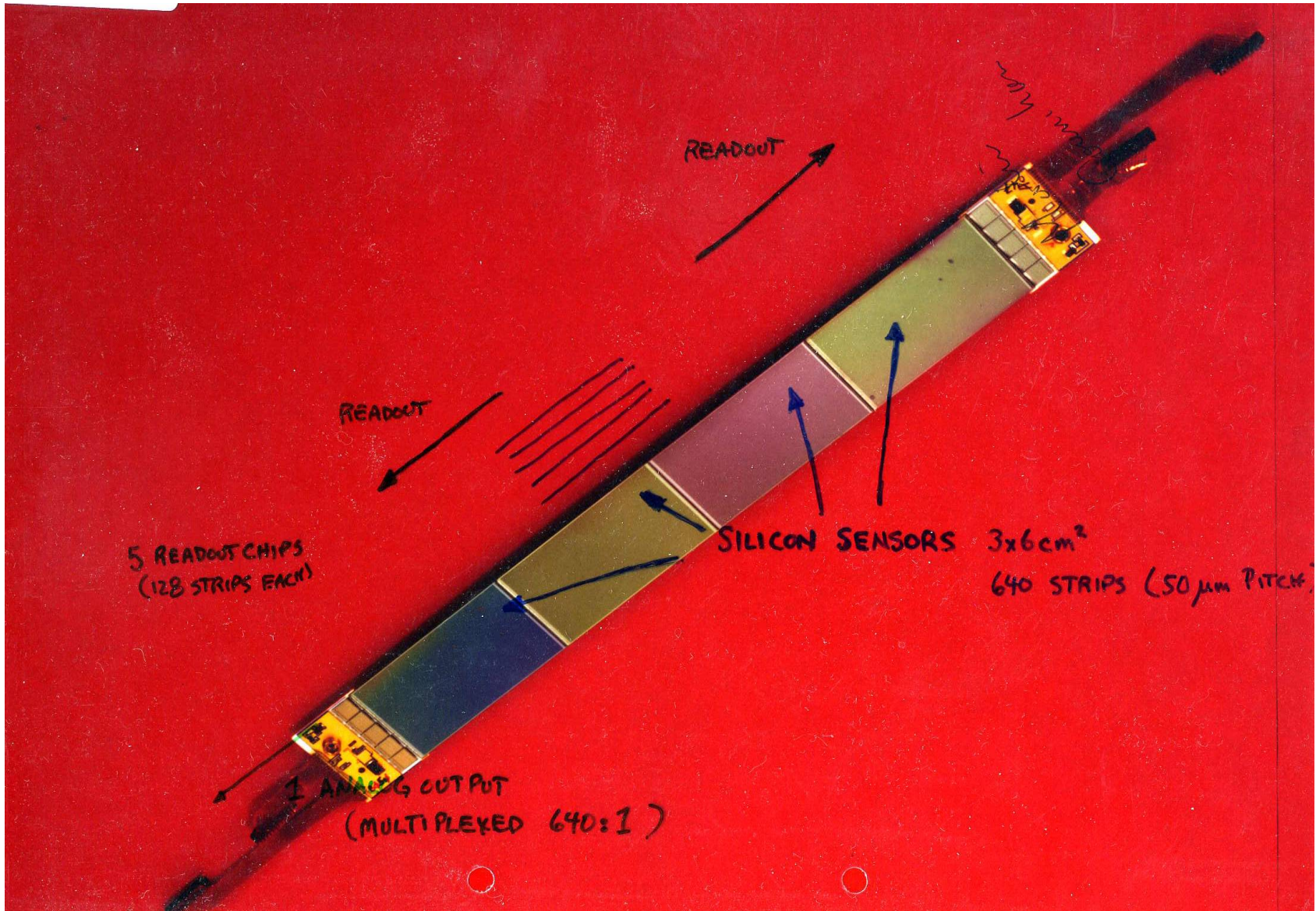
$$\tau = \epsilon_s \rho$$

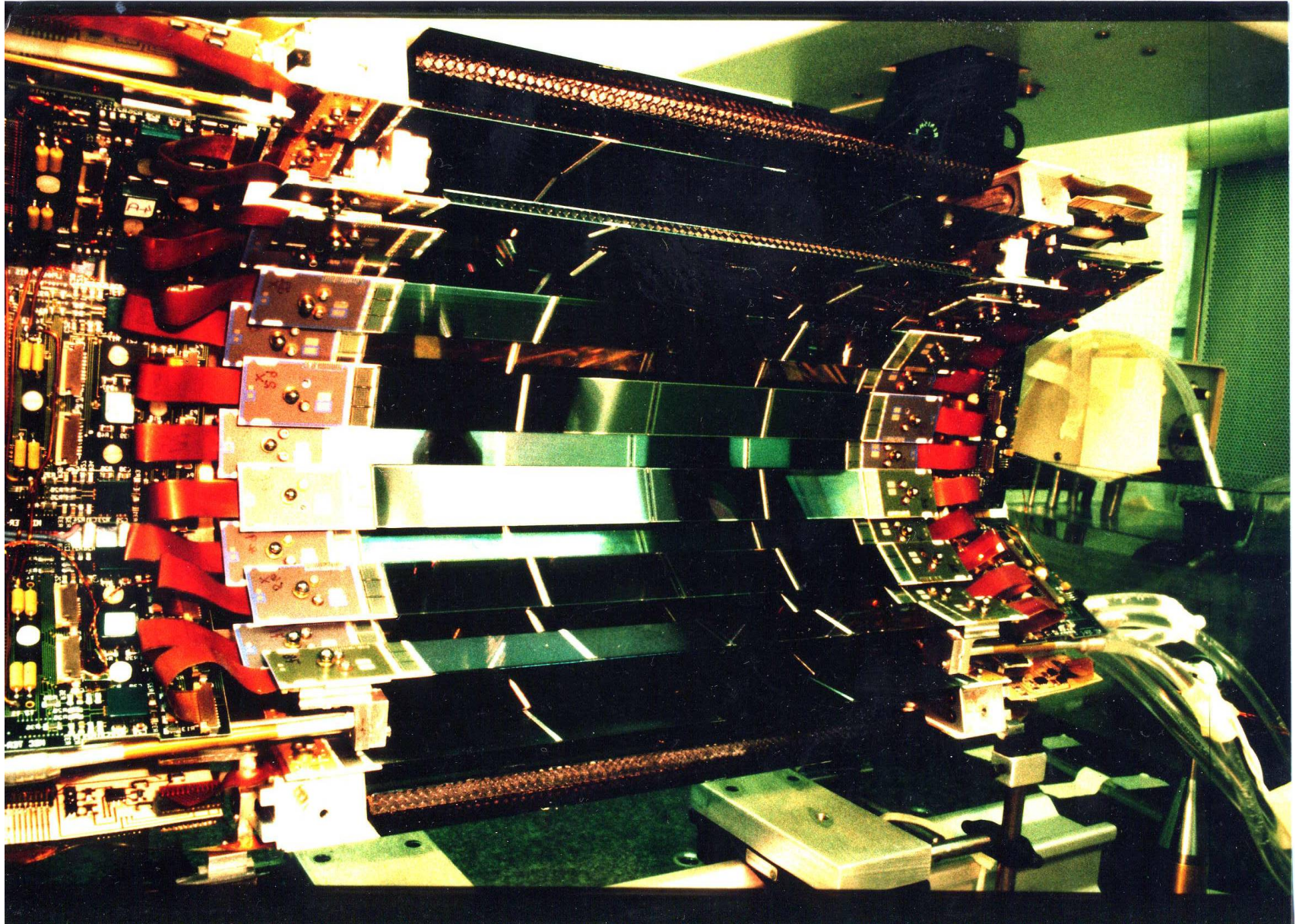


field off

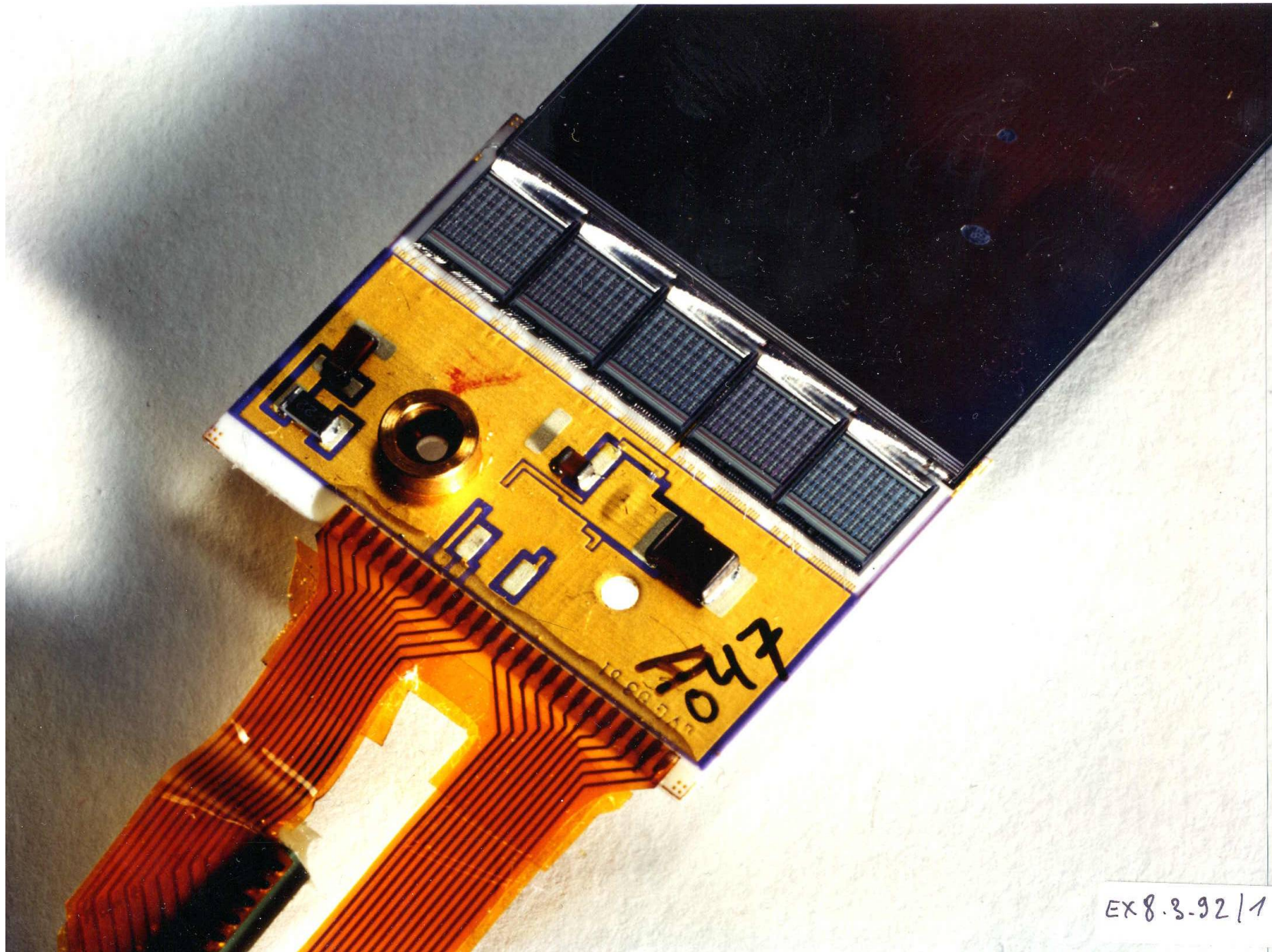
- Effect of magnetic field on space resolution

field on





R.S. Orr 2009 TRIUMF Summer Institute



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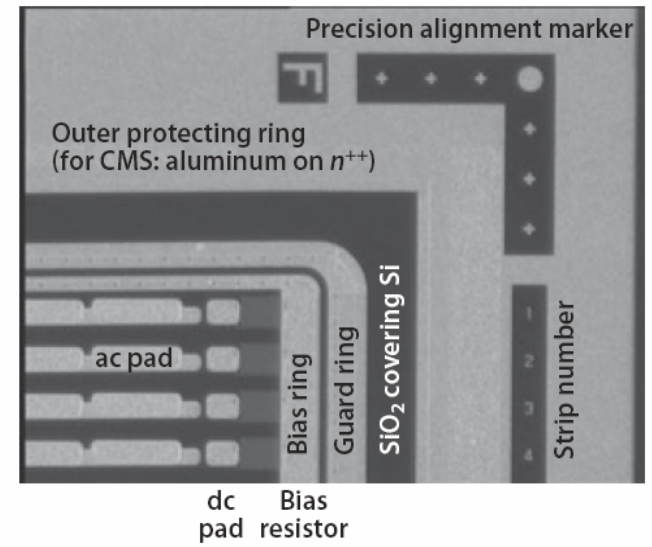
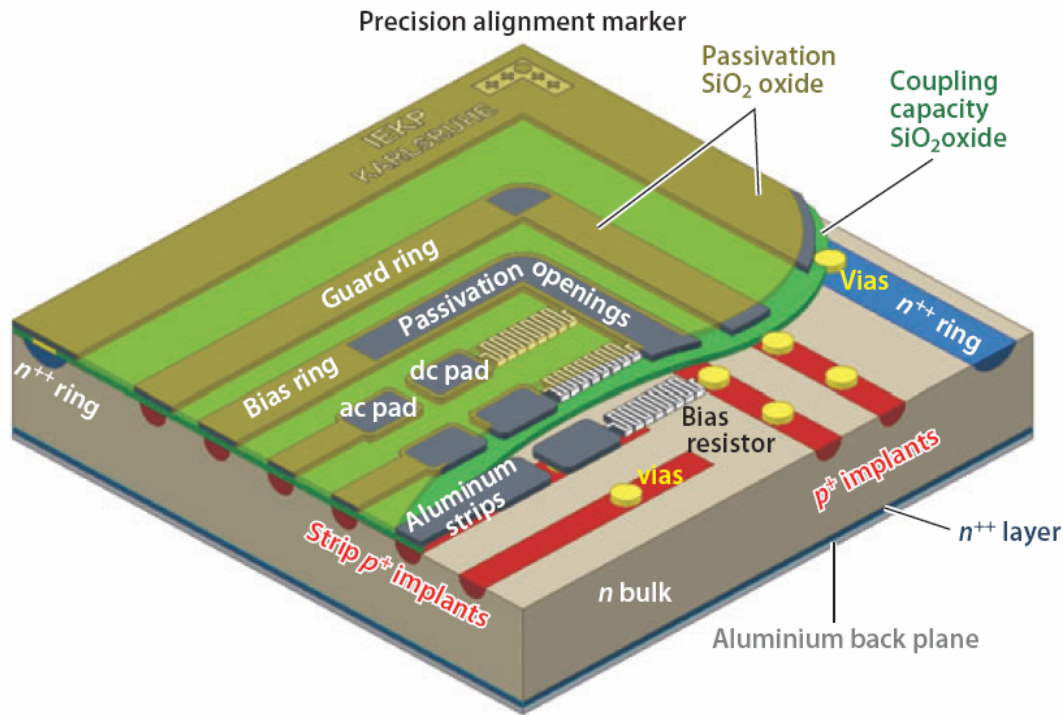
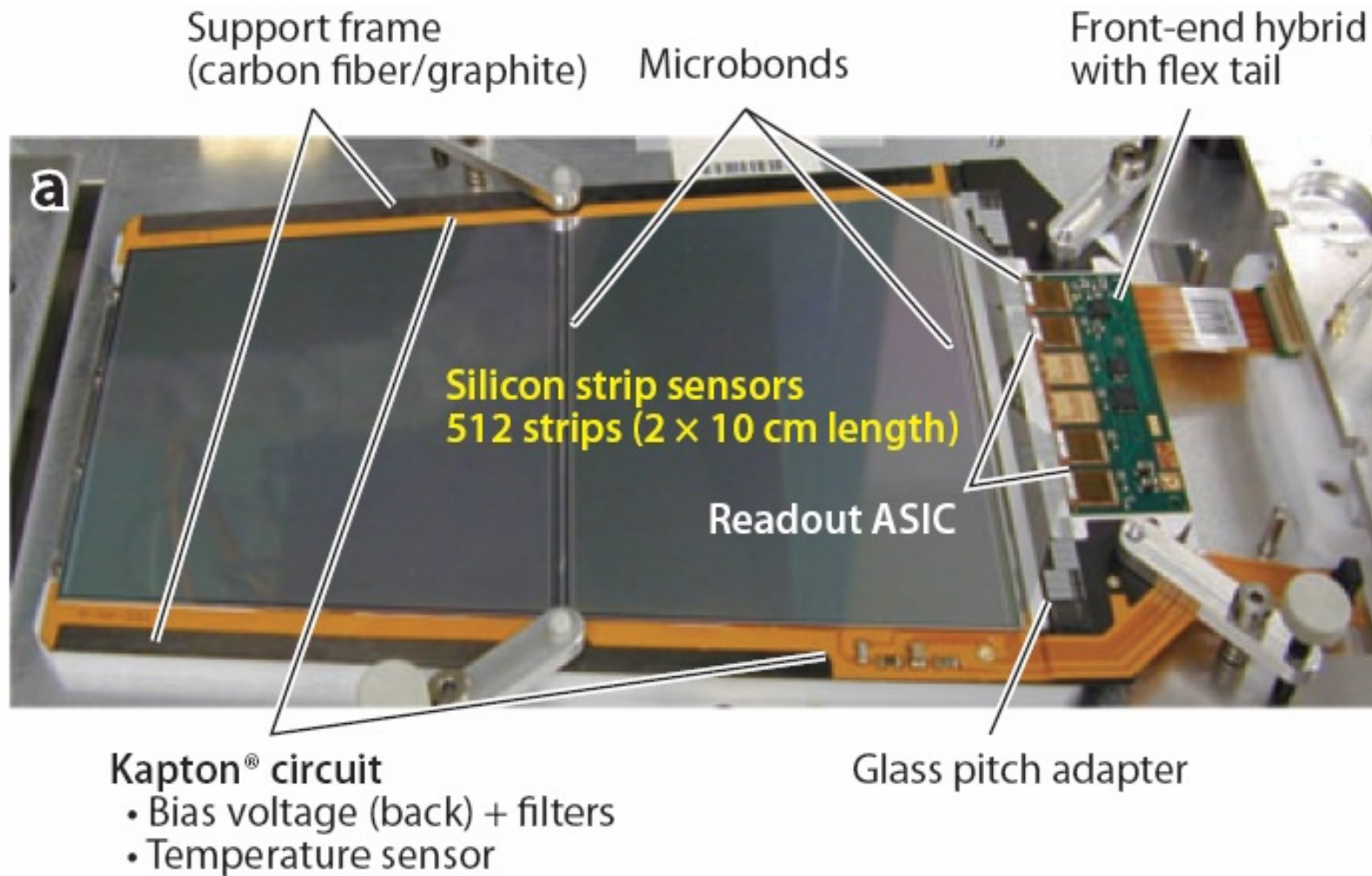
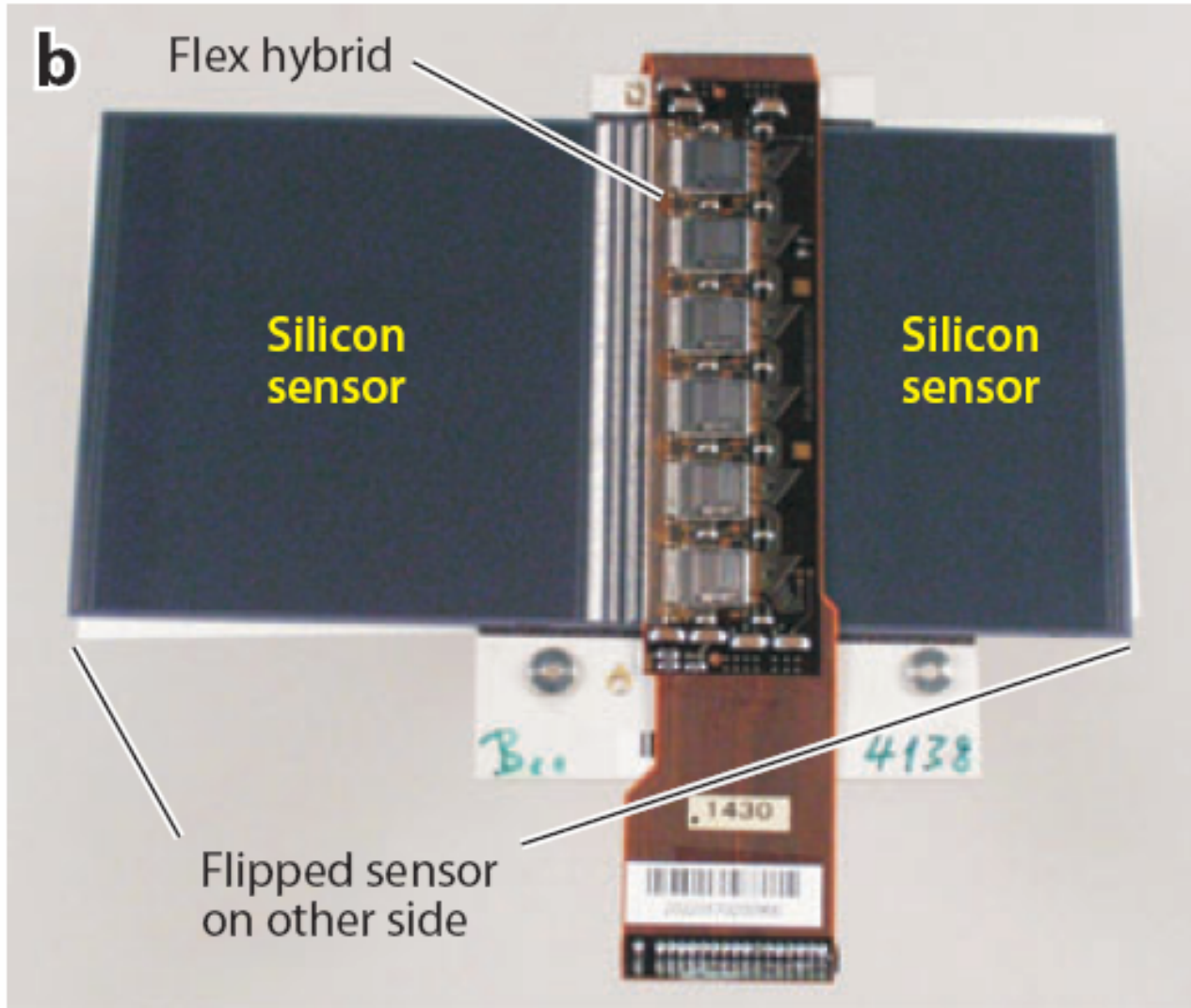
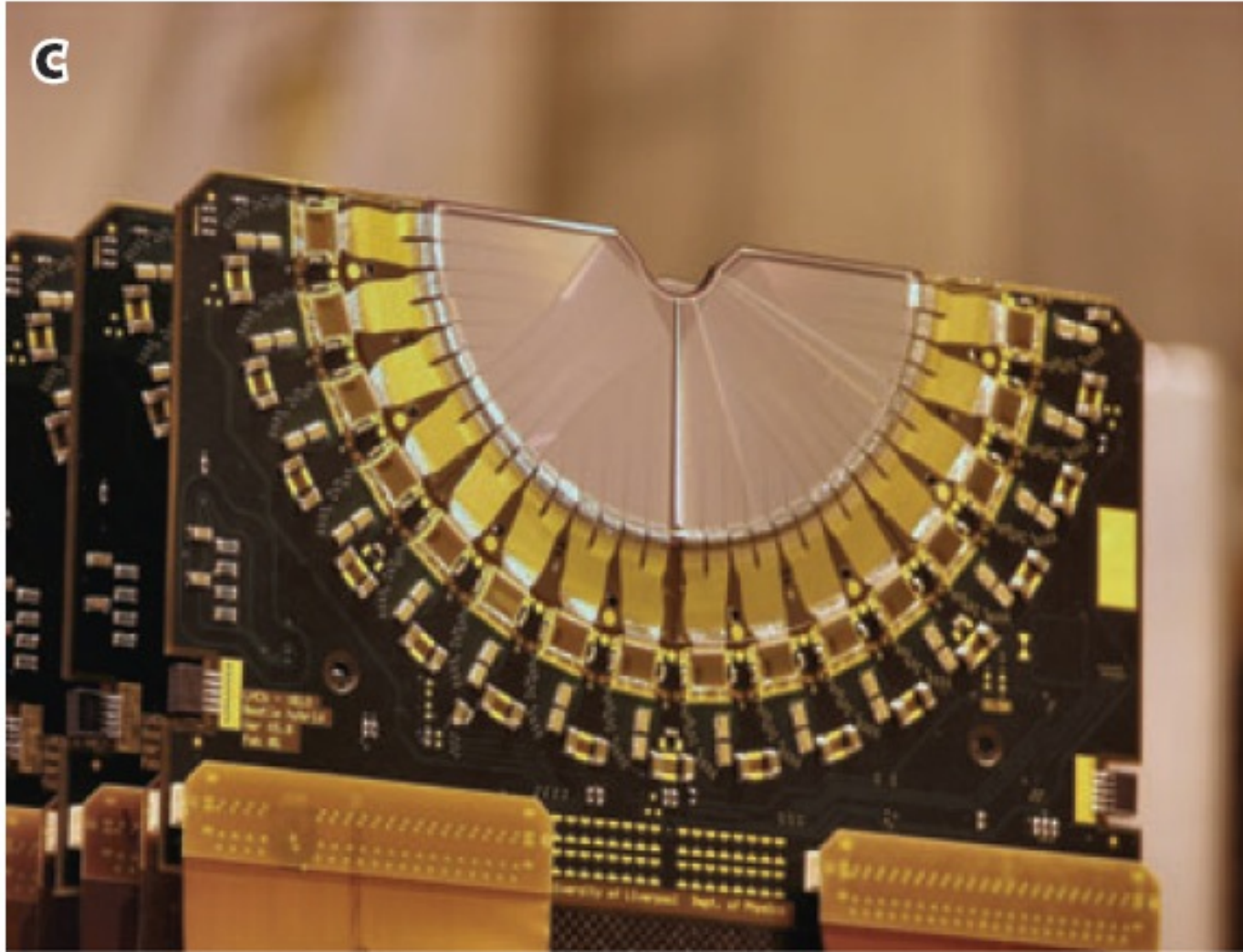


Figure 2

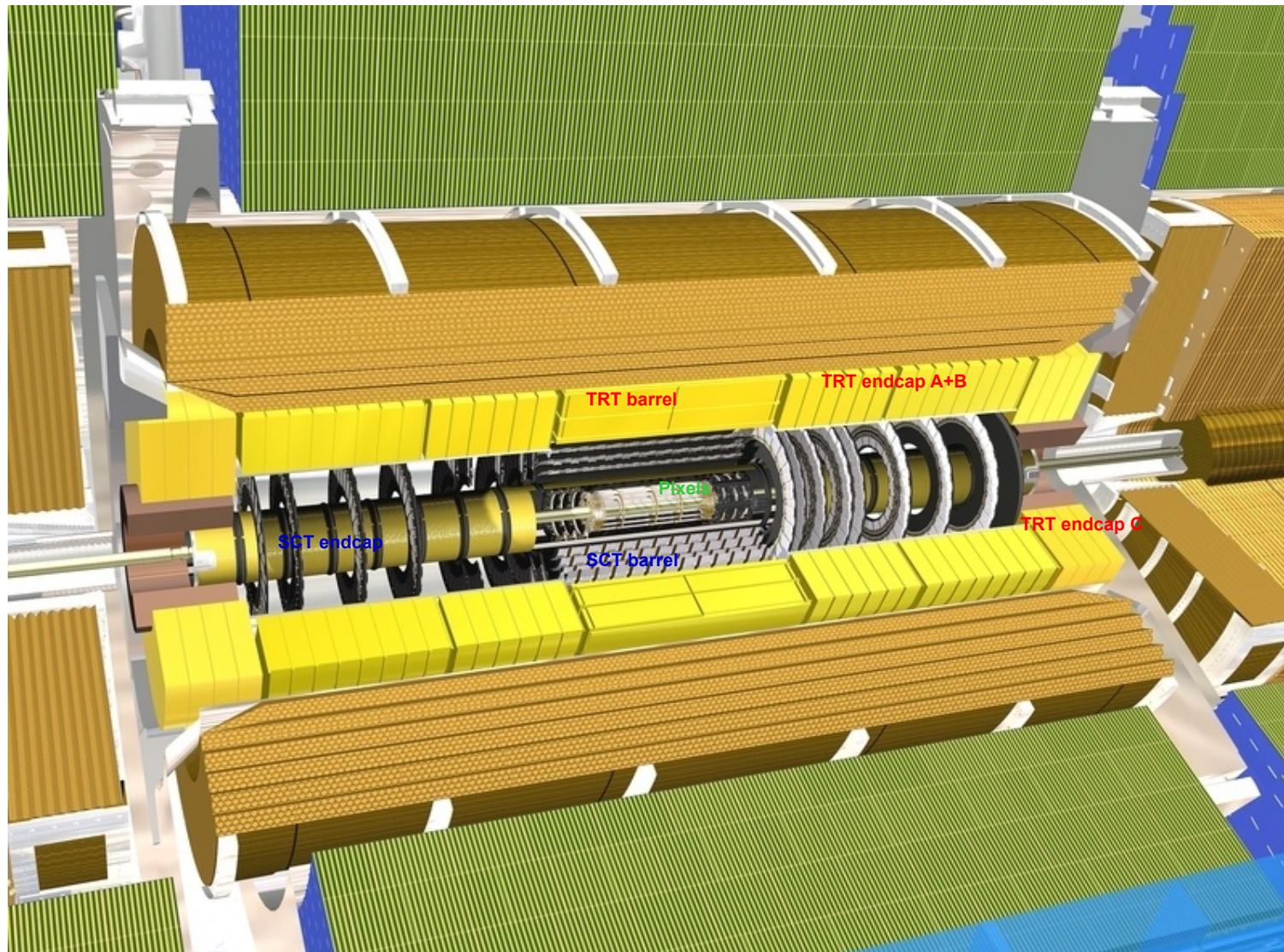
(a) Three-dimensional schematic of a single-sided, ac-coupled, polysilicon resistor-biased sensor showing the baseline of the CMS sensor at the LHC. During operation, the bias ring is connected to the GND (ground) potential, which is then distributed via the polysilicon bias resistors to the p^+ implant strips. The aluminum back plane is set to positive high voltage, depleting the full n -bulk volume of free-charge carriers by forming a pn -junction p^+ strip to n bulk. The long strips and thin decoupling oxide allow high coupling capacitances to be implanted directly into the sensor. The guard ring shapes the field at the borders. The n^{++} ring defines the active volume and prevents high field in the edge regions. (b) View of an actual sensor surface with a strip pitch of $80\ \mu\text{m}$.

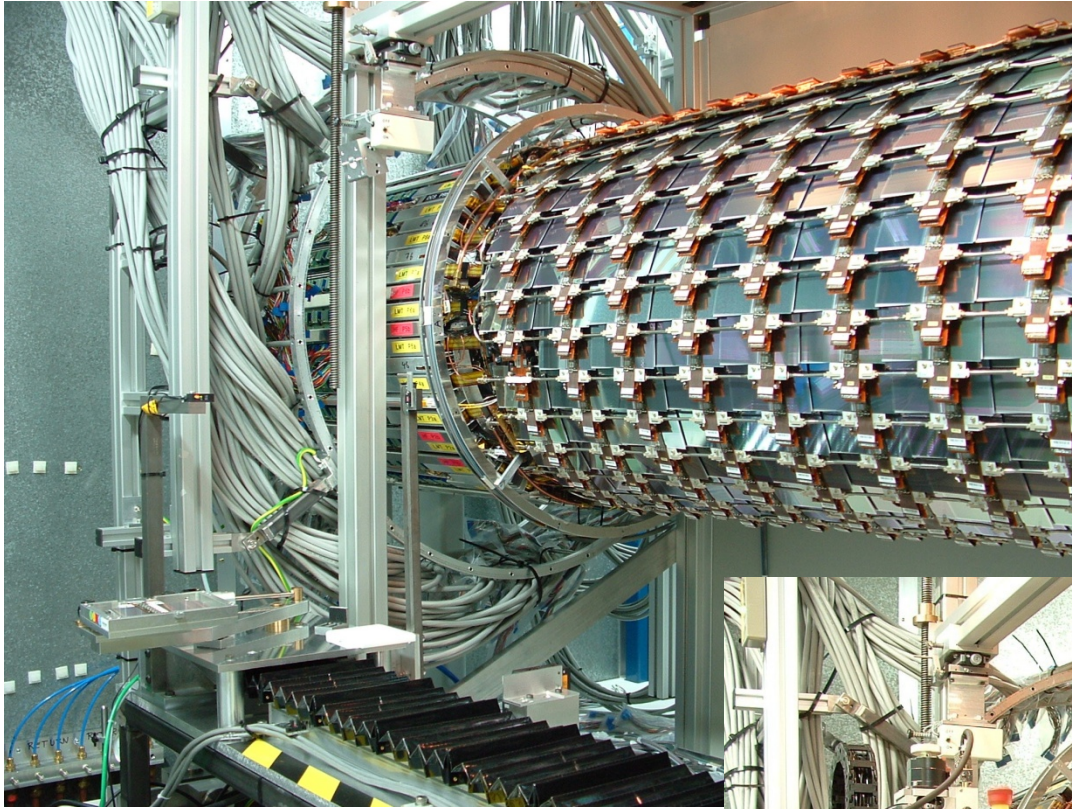




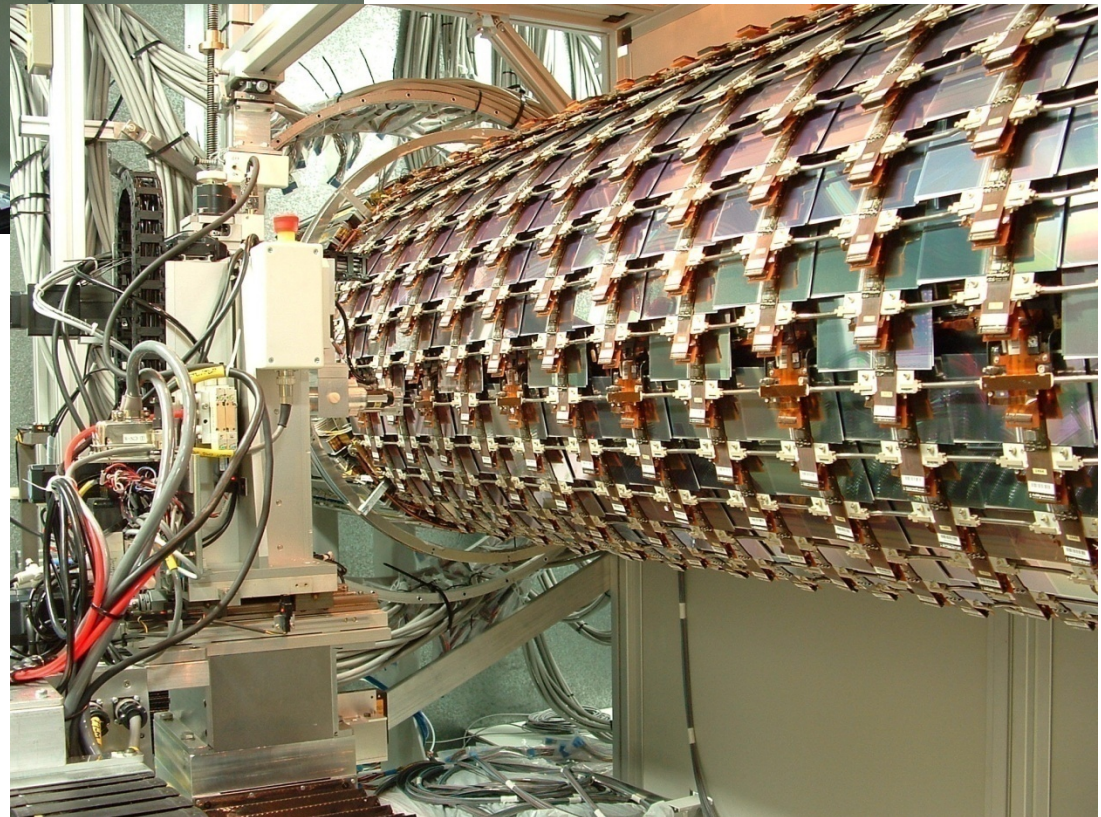


The ATLAS Inner Detector

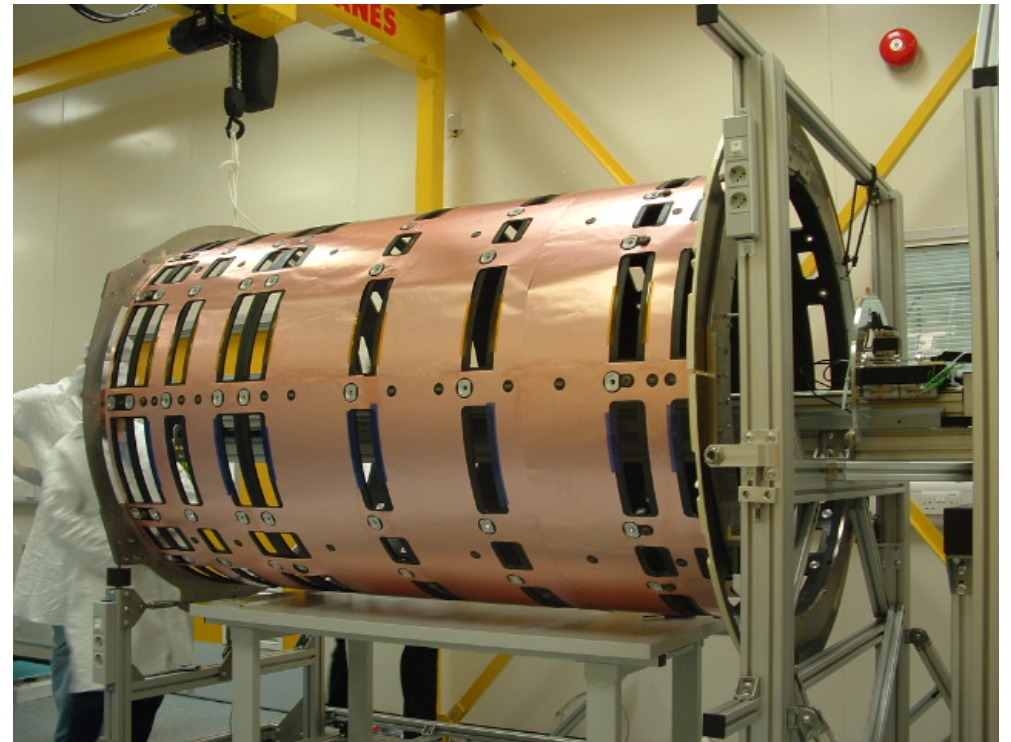
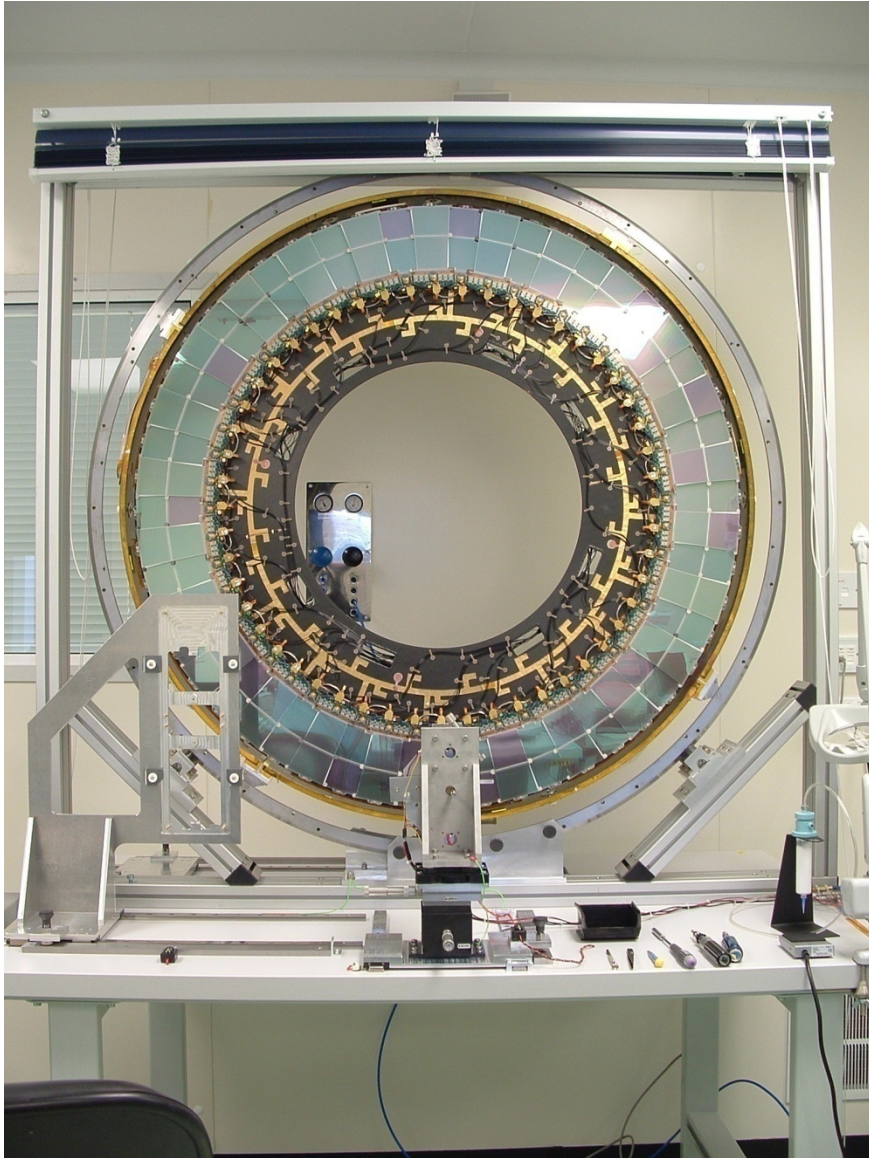




SCT barrel



SCT EndCap



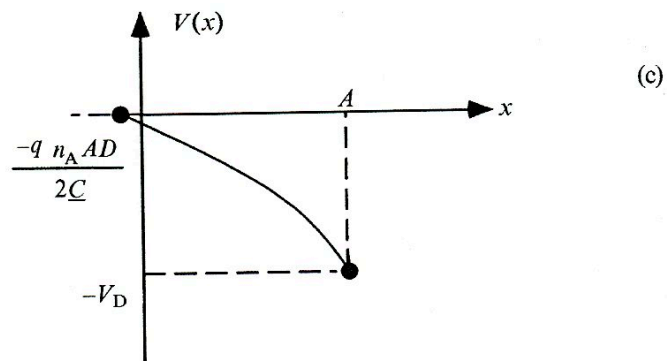
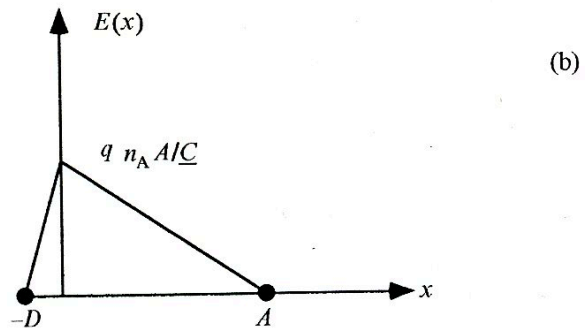
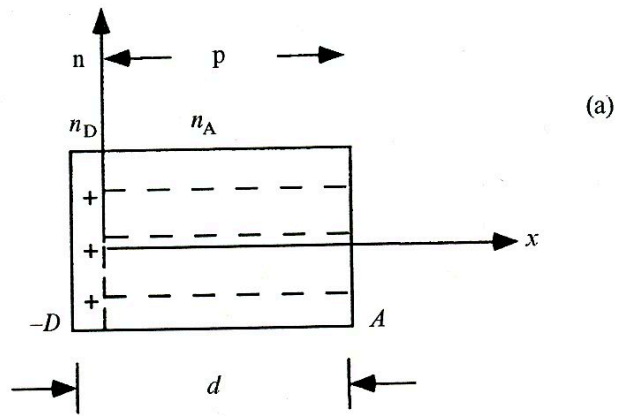


Fig. 9.4. (a) Geometry of a p-n junction. The static charge number density is n_D and n_A . The full depletion region is $d = A + D \sim A$. (b) Electric field for a p-n junction. (c) Electric potential for a p-n junction.

Signal from Si Detector

SAME TREATMENT
AS SIGNAL IN GAS TUBE

$$\begin{aligned} I(t) &= \frac{dQ}{dt} = \frac{\mu q_s E^2}{V_B} \\ &= \frac{4\mu q_s V_B}{d^2} \exp\left(-\frac{2t}{\tau_D}\right) \\ &= \frac{2q_s V_B}{\tau_D} \exp\left(-\frac{2t}{\tau_D}\right) \end{aligned}$$

$$I(0) = \frac{2q_s}{\tau_D}$$

$$I(\infty) = 0$$

$$\tau_D = \frac{d^2}{2\mu V_D} = \frac{d}{\mu E(0)}$$

• for a source charge $q_s \sim 5fC$

• peak electron (hole) current 710 nA (240 nA)

• How does this compare to the noise level?

electron mobility $\mu_e : 1400 \text{ cm}^2 \text{ V}^{-1} \text{ s}^{-1}$

drift velocity $\sim 42 \mu \text{ ns}^{-1}$

for 300μ $\tau_D : 7 \text{ ns}$

detector is current source
+
capacitor

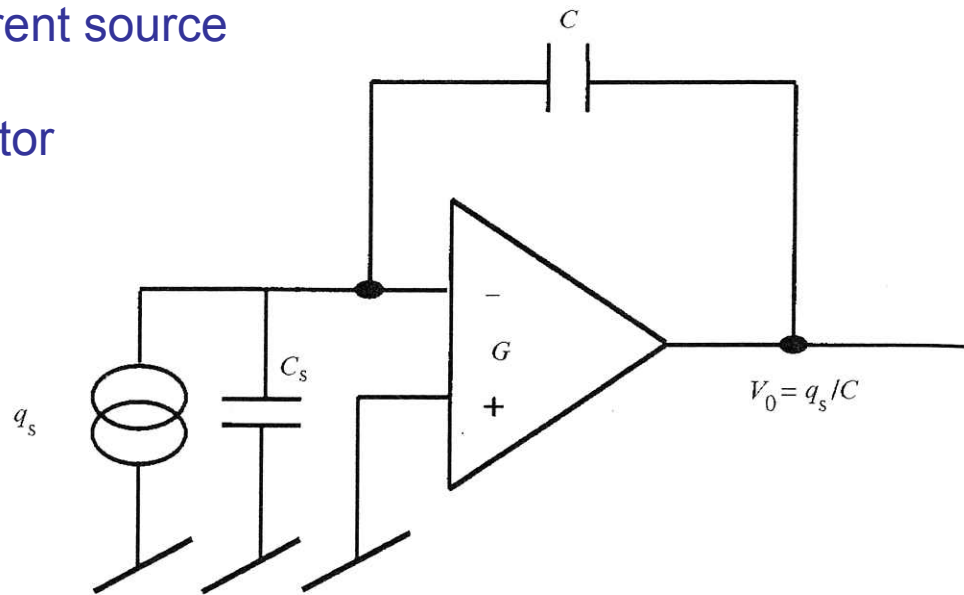


Fig. 9.10. Charge sensitive preamplifier.

$$Q = CV$$

$$I = \frac{dQ}{dt} = C \frac{dV}{dt}$$

$$V_{OUT} \propto q_s$$

NOISE POWER IN A RESISTOR IS THERMAL ENERGY kT SPREAD OVER ALL FREQ. ω

THERMAL NOISE POWER $\rightarrow I_T$

$$P = VI = I^2 R \rightarrow dI_T^2 = \frac{2kT}{R} \left(\frac{d\omega}{\pi} \right) df$$

SHOT NOISE \rightarrow QUANTIZED q AT ALL ω

$$dI_s^2 = qI \left(\frac{d\omega}{\pi} \right)$$

$$R_B = kT / qI_C = 1/g_m$$

Equivalent Circuit of Detector + Amplifier

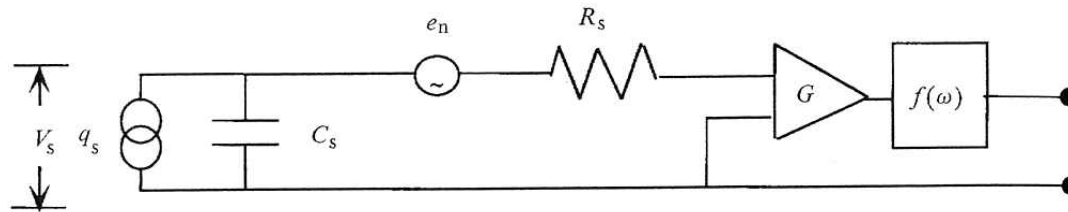


Fig. 9.11. Amplifier and bandwidth limiting filter, $f(\omega)$ with source capacitance, C_s , source resistance, R_s , source charge, q_s , and input noise voltage, e_n .

- resistors – source of thermal noise – thermal energy kT
 - noise is spread uniformly over all frequencies

$$I_T \rightarrow P = VI_T = I_T^2 R$$

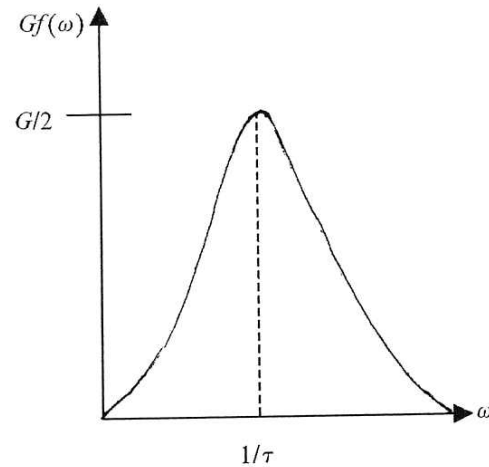
$$dI_T^2 = \frac{2kT}{R} \left(\frac{d\omega}{\pi} \right) \leftarrow \text{thermal noise}$$

- current made of – discrete carriers

$$dI_S^2 = qI \left(\frac{d\omega}{\pi} \right) \leftarrow \text{shot noise}$$

- need to limit bandwidth or infinite noise

- frequency filter



$$f(\omega) = G \left[\frac{\omega\tau}{1 + (\omega\tau)^2} \right]$$

Plot of the transfer function $Gf(\omega)$ which $\rightarrow 0$ as $\omega \rightarrow 0$ and as $\omega \rightarrow \infty$ and $= 1/\tau$.

$$\sqrt{qI} = 0.4 \text{ nA} \sqrt{I \text{ Hz}}$$

$$\sqrt{\frac{2kT}{R}} = 0.9 \text{ nA} \sqrt{\frac{\text{Hz}}{R}}$$

- for a frequency range of 100 MHz and 1mA
- 126 nA – pretty close to signal

Three sources of noise

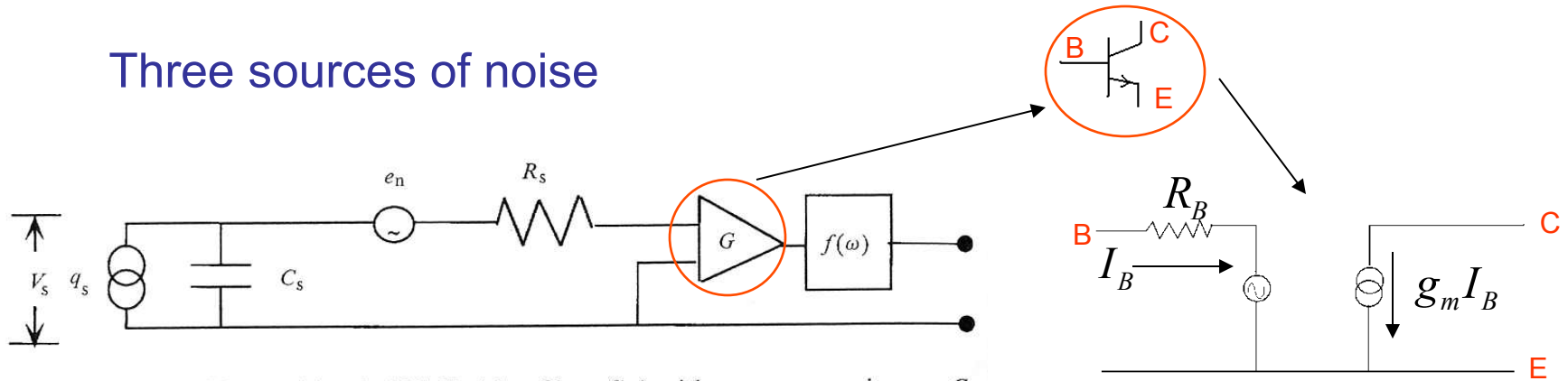


Fig. 9.11. Amplifier and bandwidth limiting filter, $f(\omega)$ with source capacitance, C_s , source resistance, R_s , source charge, q_s , and input noise voltage, e_n .

After shaping (filter) Equivalent Noise Charge

- Thermal – R_S
- Shot – I_E
- Thermal - R_B

$$ENC_P = 2.72 \sqrt{\tau \left(\frac{kT}{2R_S} + q \frac{I_B}{4} \right)}$$

$$ENC_S = 2.72 C_S \sqrt{\frac{kT}{2g_m \tau}}$$

$$d\bar{V}^2 = d\bar{I}_T^2 Z_{C_S}^2 + d\bar{I}_S^2 Z_{C_S}^2 + d\bar{I}_T^2 R_B^2$$

$$= \left[\frac{2kT}{R_S (\omega C_S)^2} + \frac{qI_B}{(\omega C_S)^2} + \frac{2kT}{g_m} \right] \left(\frac{d\omega}{\pi} \right)$$

$\frac{1}{\omega^2}$ constant

- Low temp
 - R_S large
 - I_B small
 - C_S small
 - R_B small
- } parallel noise
 } series noise

$$d\bar{v}^2 = d\bar{I}_T^2 Z_{C_s}^2 + d\bar{I}_S^2 Z_{C_s}^2 + d\bar{I}_T^2 R_B^2$$

$\frac{2kT}{R_s}$
 $\frac{1}{(\omega C_s)^2}$
 $q I_B$
 $\frac{2kT}{R_B}$
 $\frac{1}{g_m}$

$$d\bar{v}^2 = \left[\frac{2kT}{R_s (\omega C_s)^2} + \frac{q I_B}{(\omega C_s)^2} + \frac{2kT}{g_m} \right] \frac{d\omega}{\omega}$$

RMS VOLTAGE

$$\langle V^2 \rangle = \int_0^\infty |f(\omega)|^2 \frac{d\bar{v}^2}{d\omega} d\omega$$

$$= G^2 \left[\left(\frac{kT}{2R_s} + \frac{q I_B}{4} \right) \frac{\tau}{C_s^2} + \frac{kT}{2g_m \tau} \right]$$

FOR A SIGNAL CHARGE q_s , IF THE FILTER MATCHES THE FREQUENCY DISTRIBUTION OF THE SOURCE

$$q_s \rightarrow \frac{q_s G}{C_s} / e^{2.72 \dots} = V$$

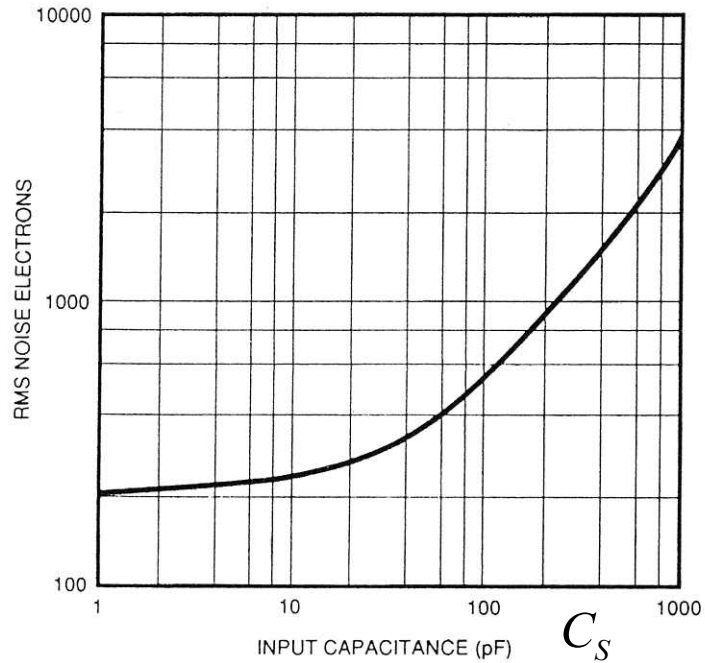
CHARGE ENC $\rightarrow \left(\text{ENC} \cdot \frac{G}{C_s e} \right)^2 \equiv \langle V^2 \rangle$

↑
NOISE CHARGE FROM ALL SOURCES

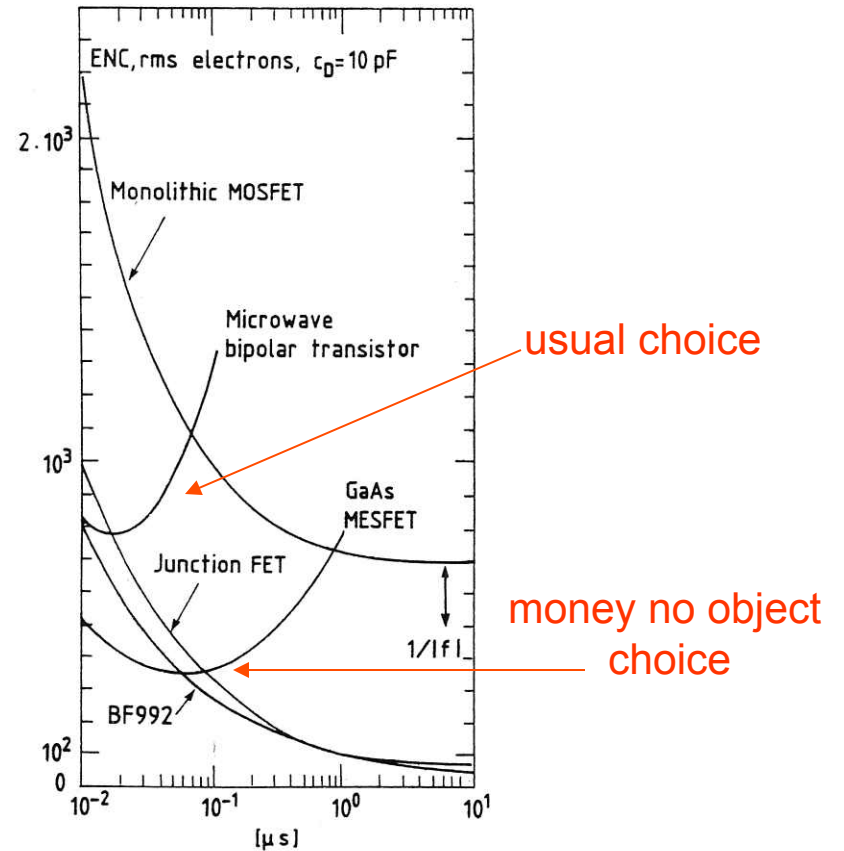
$$\text{ENC}_P = (G_s e / G) \sqrt{\langle V^2 \rangle_P} \equiv e \sqrt{\tau \left(\frac{kT}{2R_s} + \frac{q I_B}{4} \right)}$$

$$\text{ENC}_S = (C_s e / G) \sqrt{\langle V^2 \rangle_S} \equiv e C_s \sqrt{\frac{kT}{2g_m} \frac{1}{\tau}}$$

$P \Rightarrow \parallel^{\text{th}}$ RESISTOR ; $S \Rightarrow$ SERIES RESISTOR



- minimize detector cap – minimize noise
- long strips? – cheap – too noisy

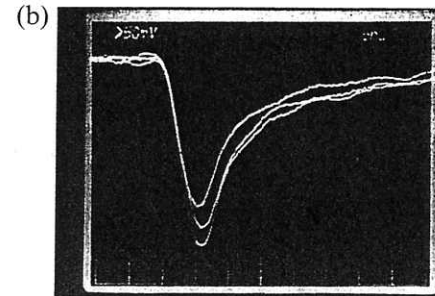
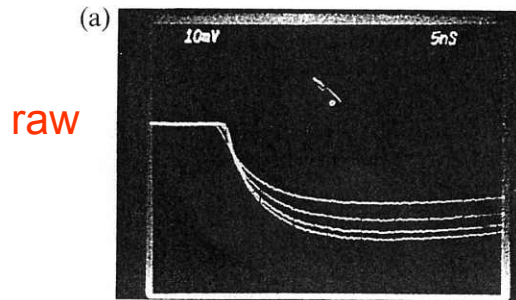


- transistor noise

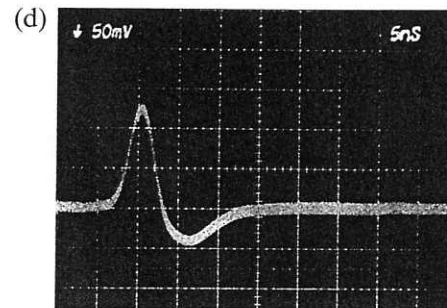
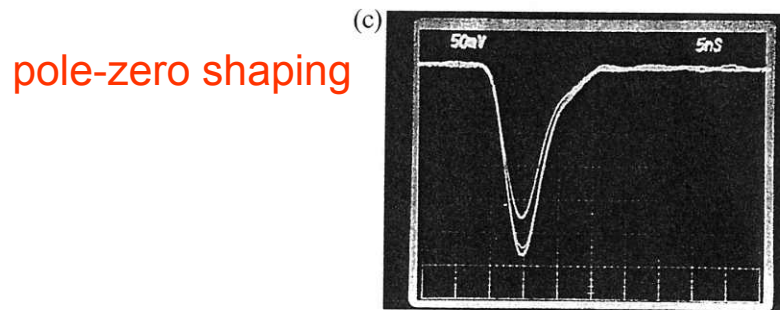
$$\left. \begin{array}{l} C_S = 25 \text{ pF} \\ \tau = 25 \text{ ns} \end{array} \right\} \sim 1000 \text{ electrons}$$

cf signal ~ 31000 electrons

Total Noise

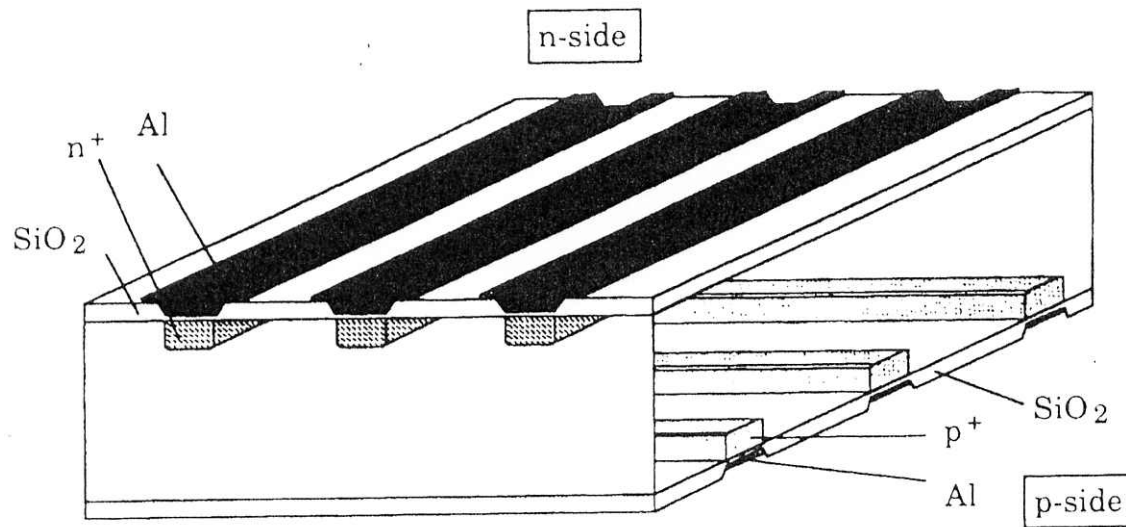


cancel tail



impulse response
- noise

series noise	$q_s : 51 fC$ $g_m : 25 \Omega^{-1}$ $C_S : 30 pF$ $\tau : 10 ns$	}	1125 electrons	}	add in quadrature
parallel noise	$R_S : 1 M\Omega$ $I_B : 1 mA$	}	825 electrons		$\frac{\text{Signal}}{\text{Noise}} : 23$

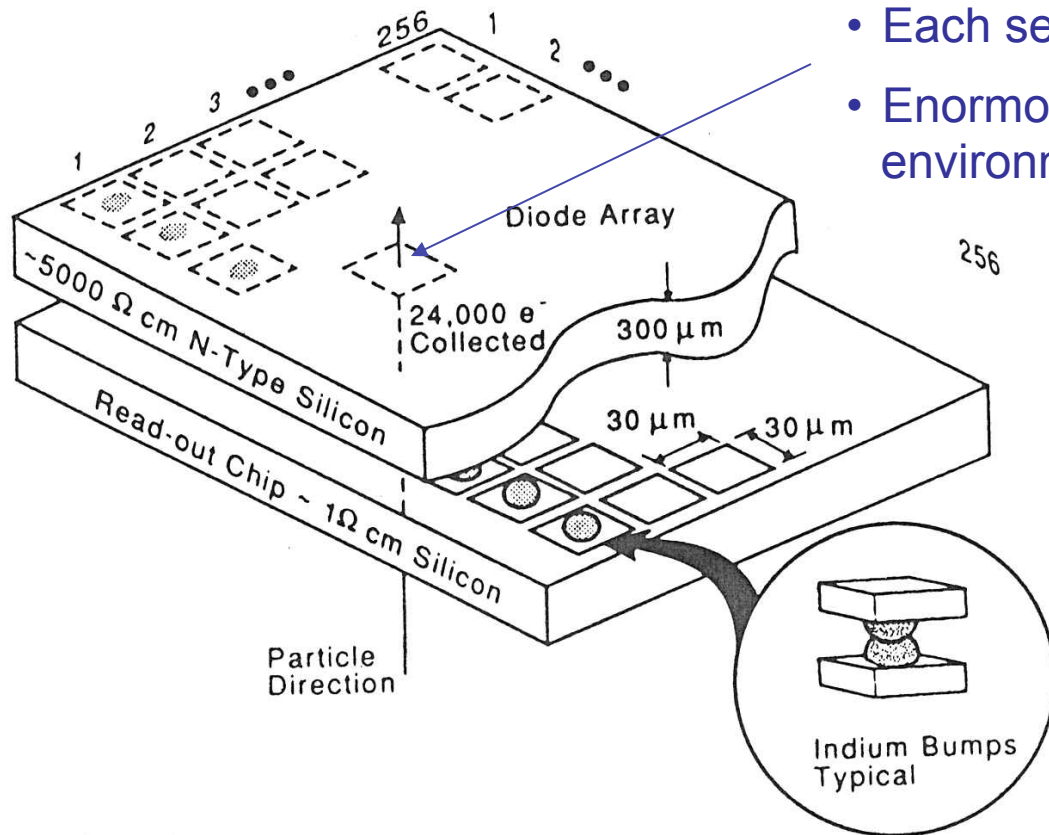


Double-sided silicon strip detector. (From Hubbeling et al.)

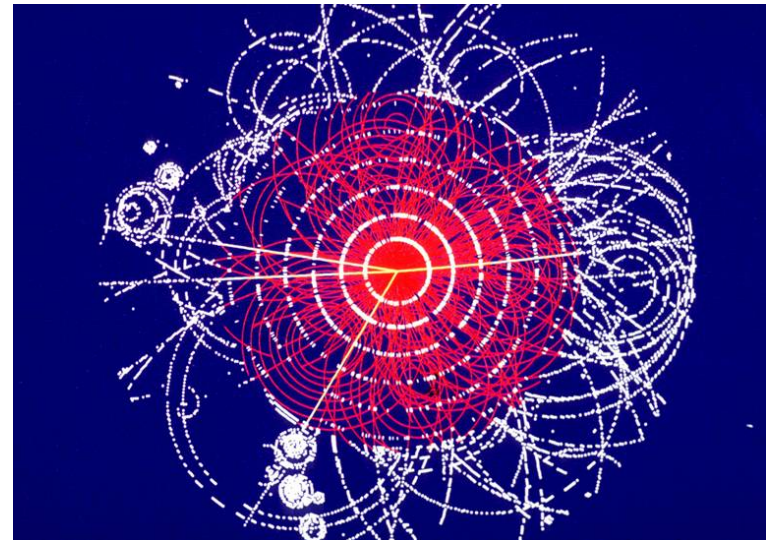
Space Point

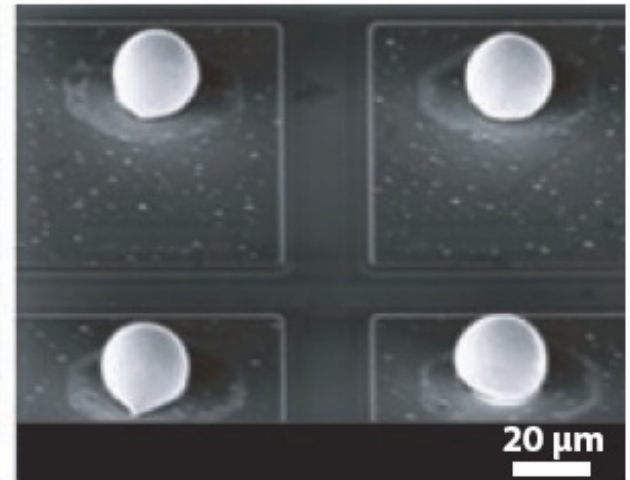
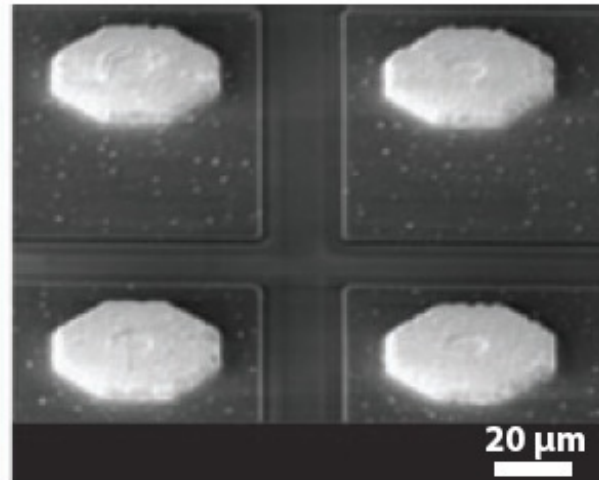
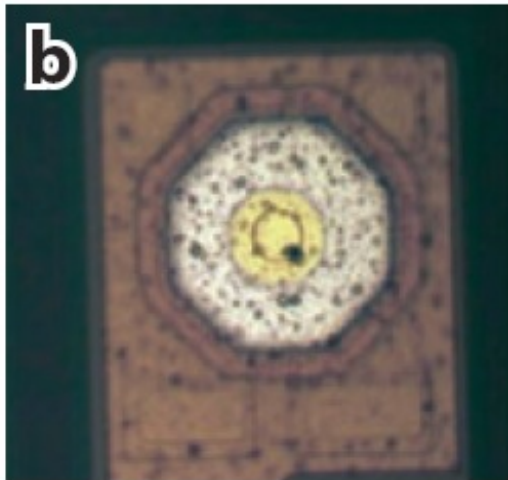
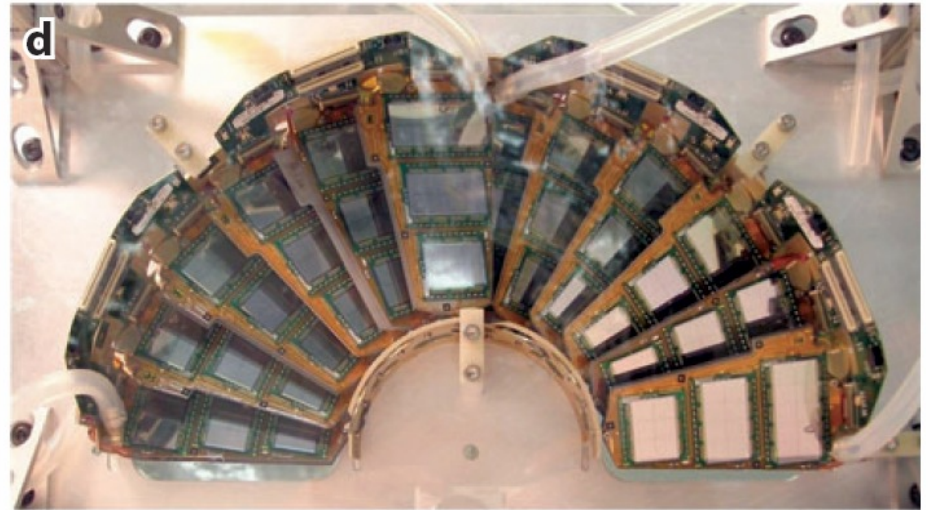
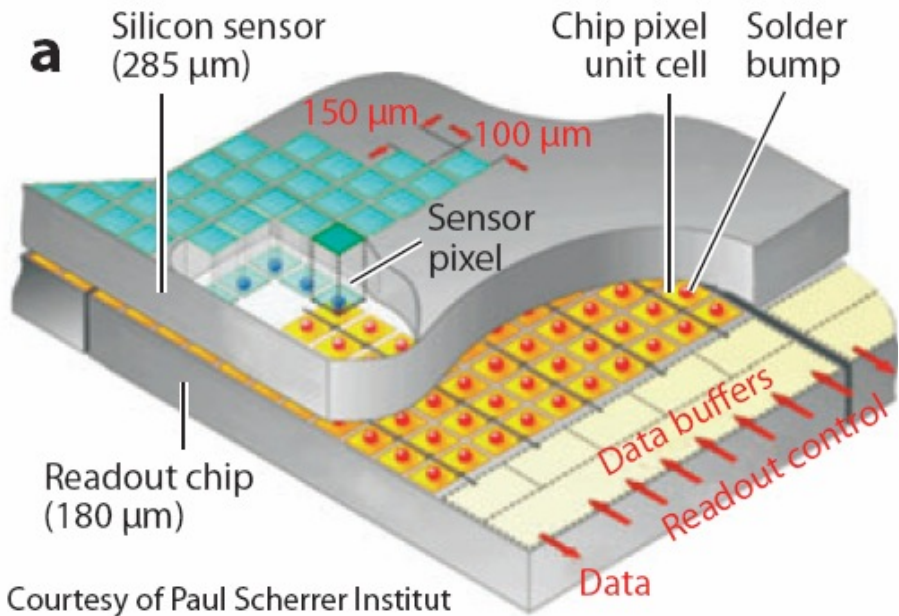
- Harder to fabricate (more expensive)
- Less material – less MCS

Pixel Detector

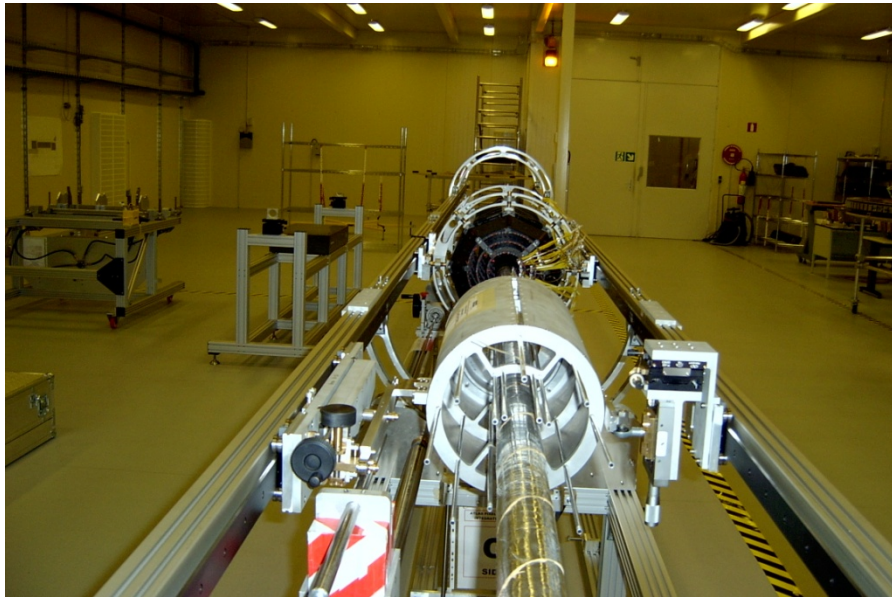
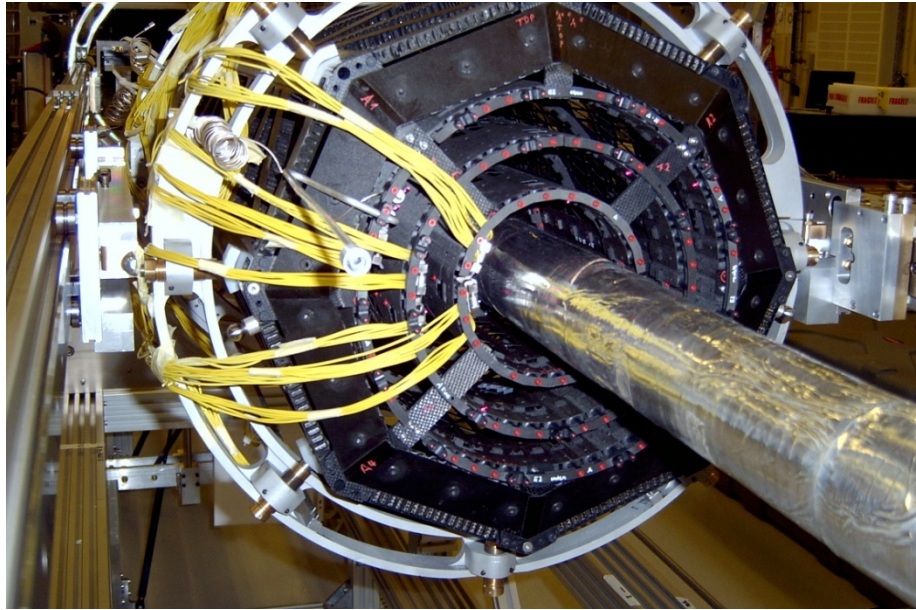


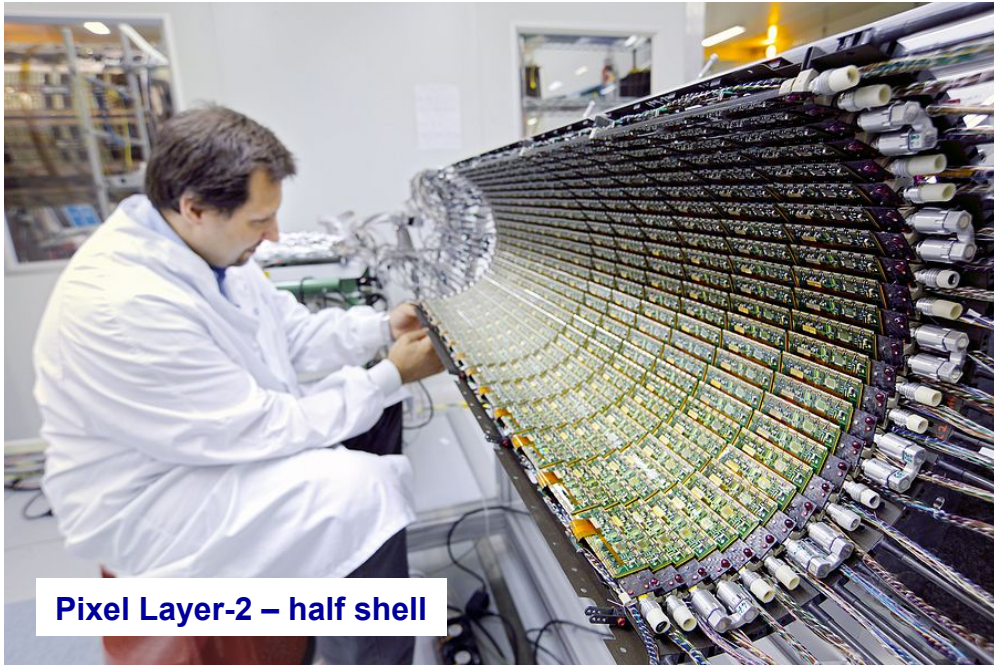
- Each sensor gives a space point
- Enormous advantage in high occupancy environment



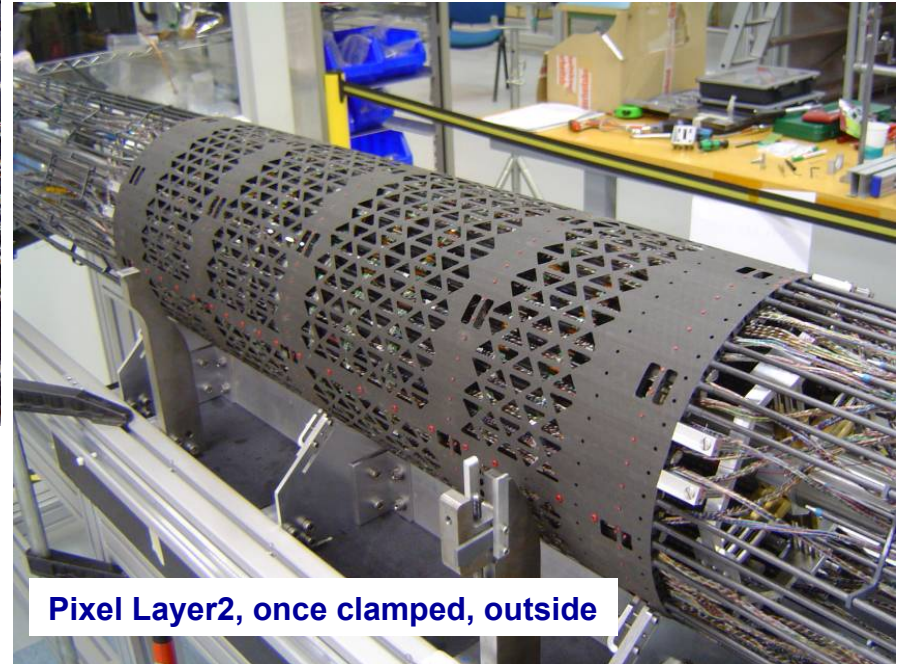


Pixel System

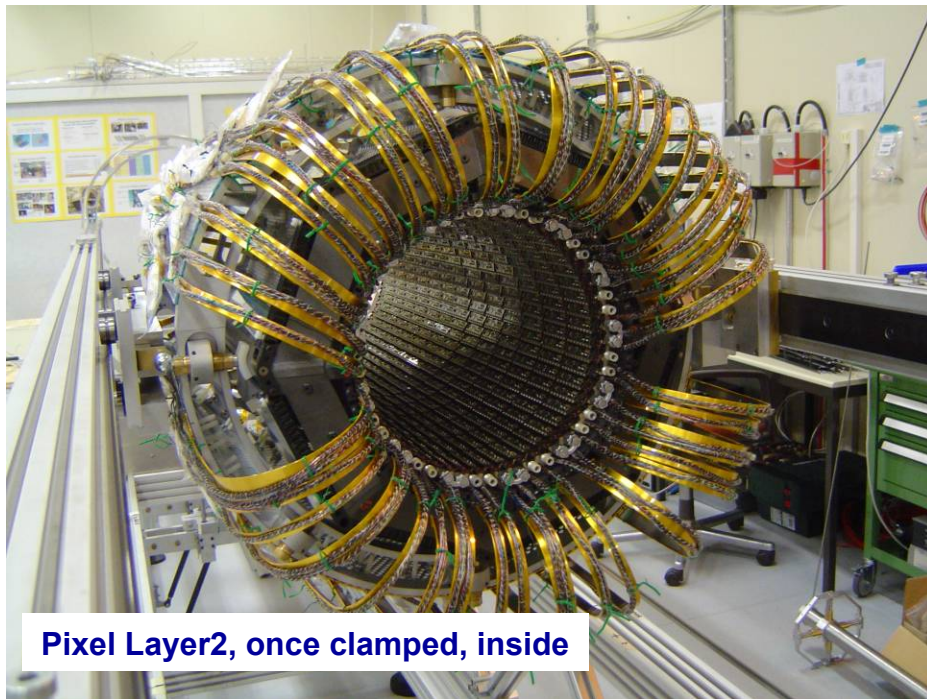




Pixel Layer-2 – half shell



Pixel Layer2, once clamped, outside



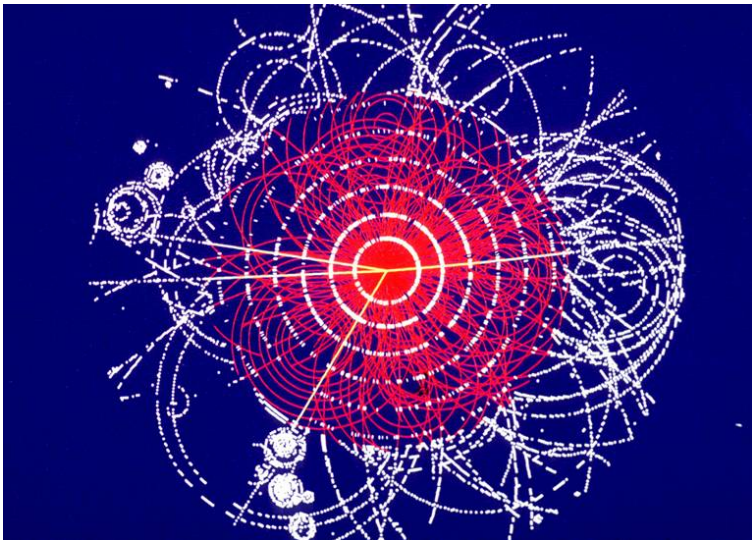
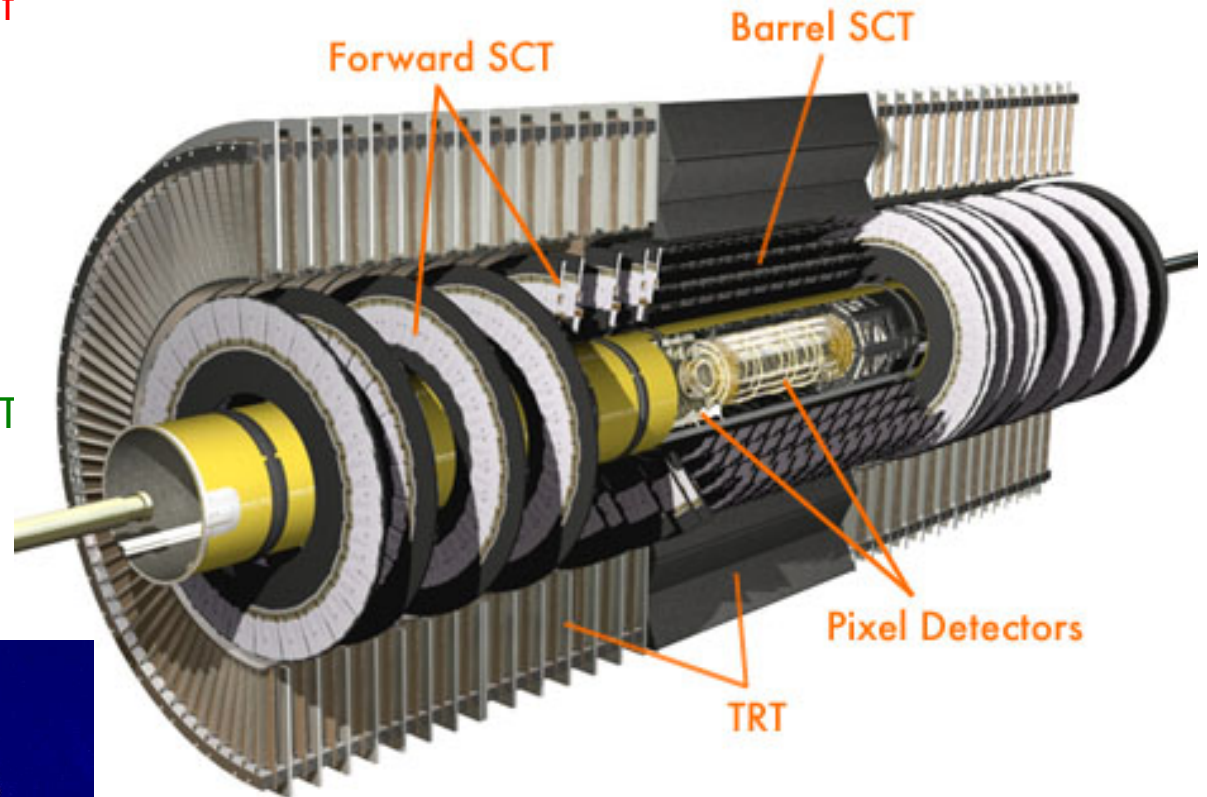
Pixel Layer2, once clamped, inside

“Ready for installation” date is 1st April 2007

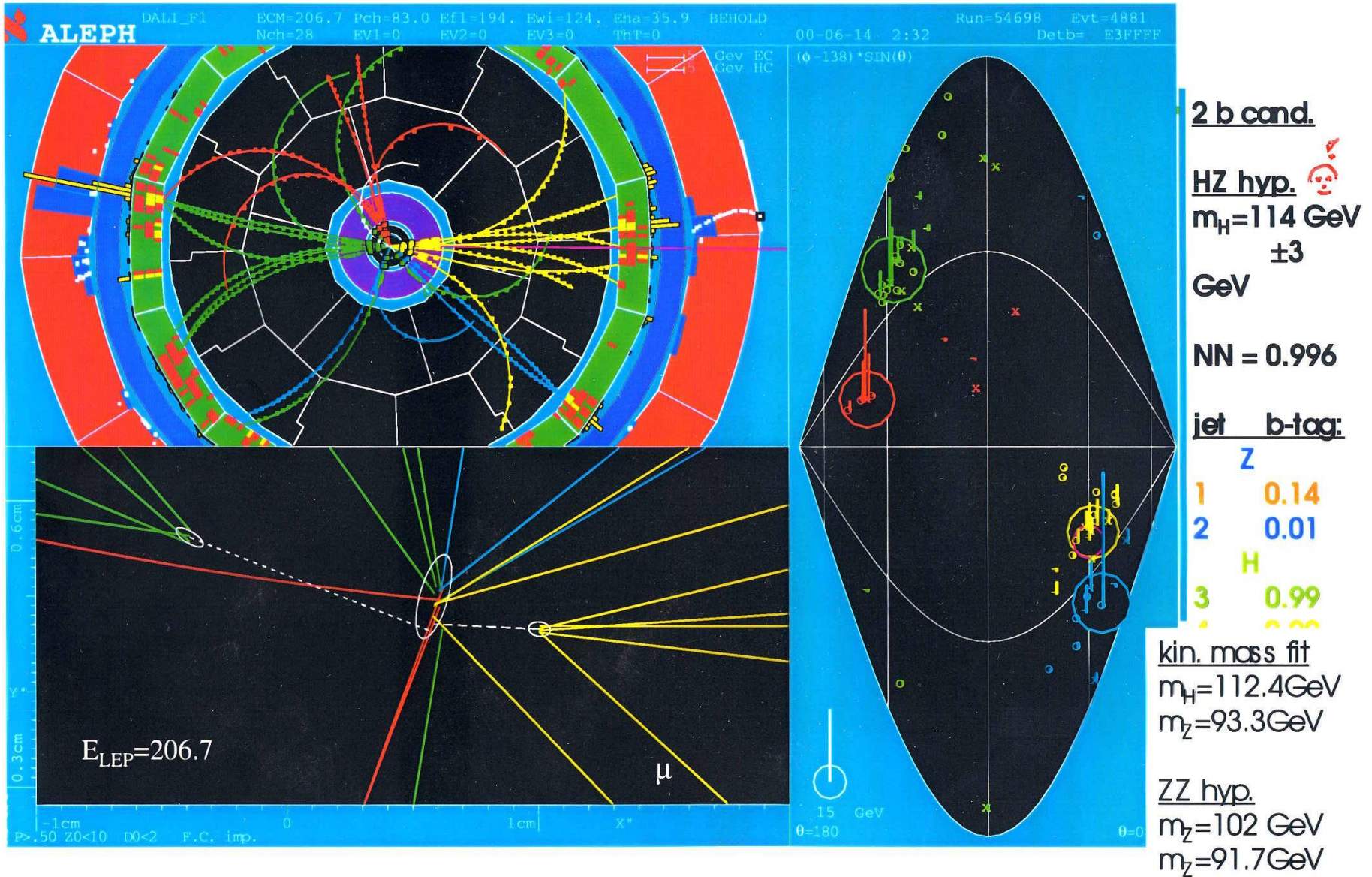
Inner Detector (ID)

The Inner Detector (ID) comprises four sub-systems:

- Pixels ($0.8 \cdot 10^8$ channels)
- Silicon Tracker (SCT) ($6 \cdot 10^6$ channels)
- Transition Radiation Tracker (TRT) ($4 \cdot 10^5$ channels)



Utility of Si Tracker



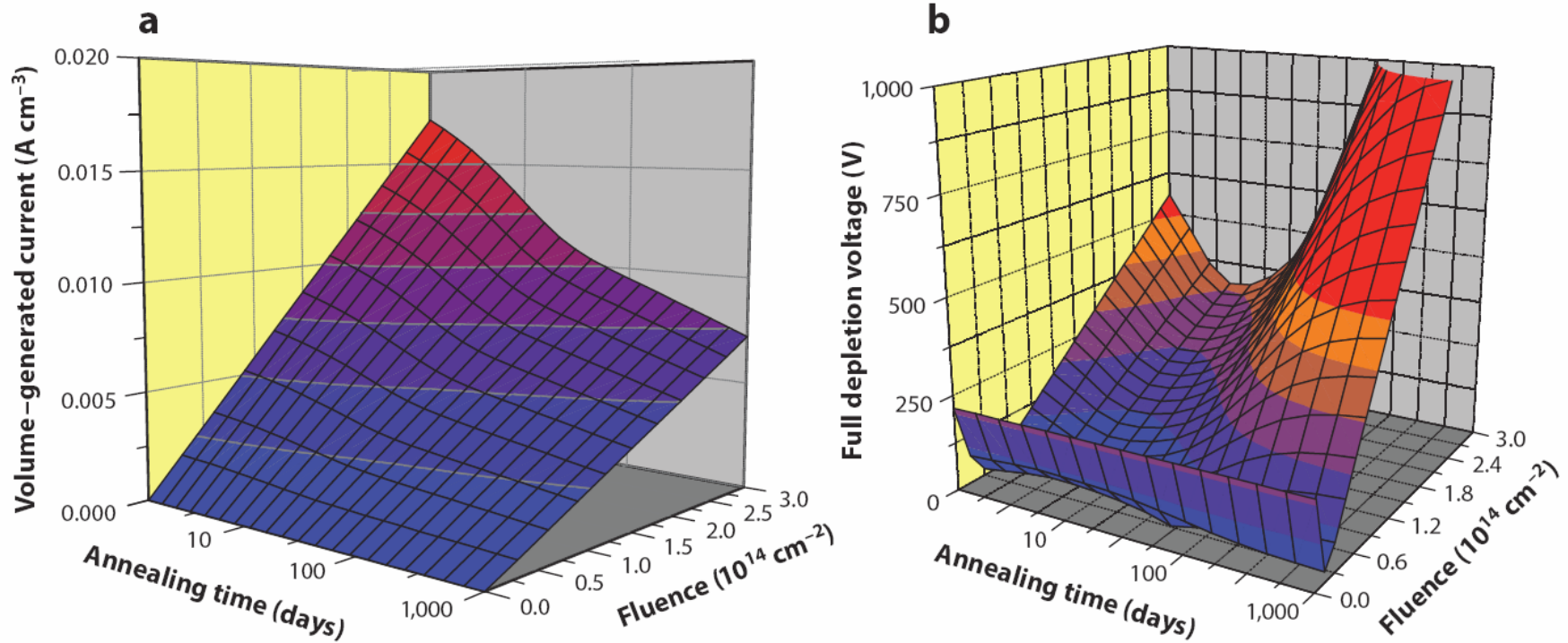
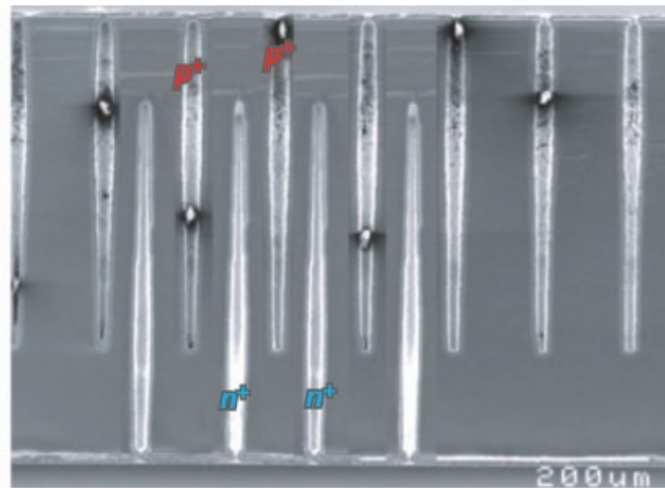
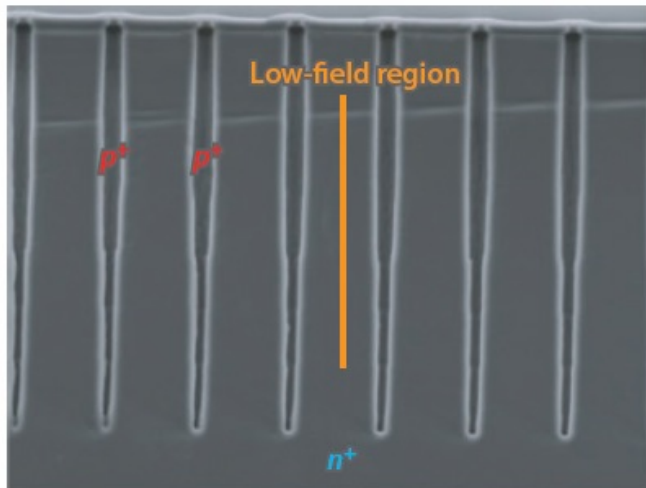
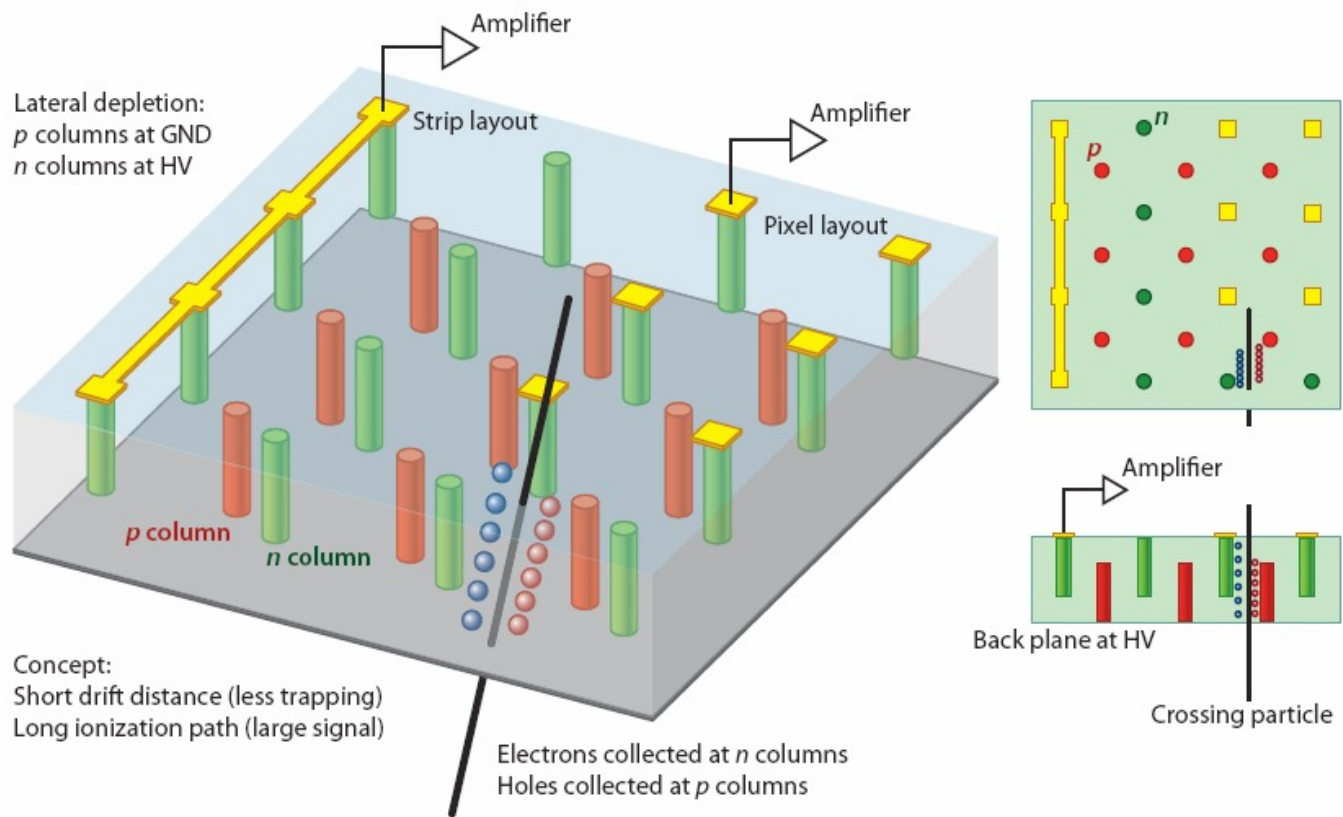
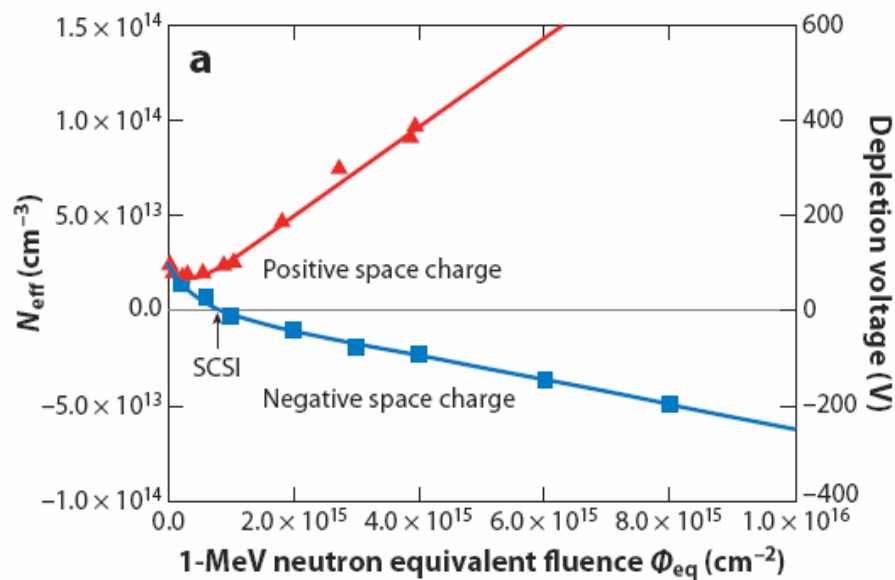


Figure 6

The evolution of current and full depletion voltage ($\sim |N_{\text{eff}}|$) versus fluence and further annealing at room temperature (22). In panel *b*, the dip around 0.5×10^{14} in the fluence axis reveals the space charge sign inversion point; the minimum in the time axis illustrates when the reverse annealing becomes relevant.

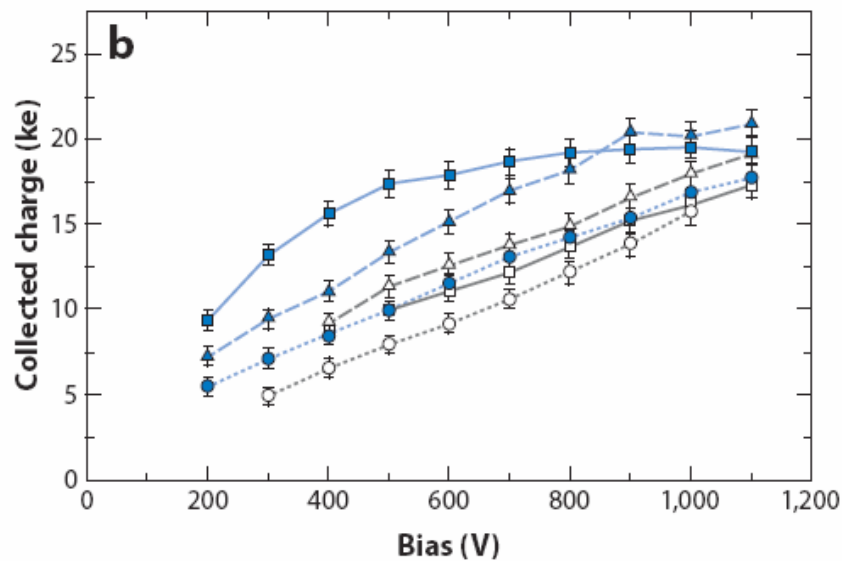




Reactor neutrons: 23-GeV protons:

■ Experimental data ▲ Experimental data

— Fit (Hamburg model) — Fit (Hamburg model)



■ *n-in-n* MCz ($5 \times 10^{14} \text{ cm}^{-2}$ neutrons + $5 \times 10^{14} \text{ cm}^{-2}$ protons)

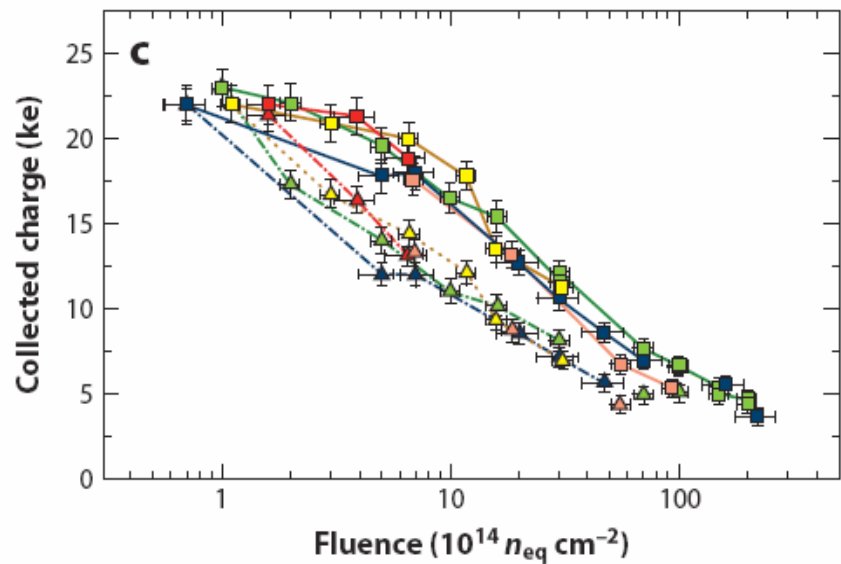
□ *n-in-n* FZ (5×10^{14} neutrons + 5×10^{14} protons)

● *n-in-n* MCz ($1.1 \times 10^{15} \text{ cm}^{-2}$ protons)

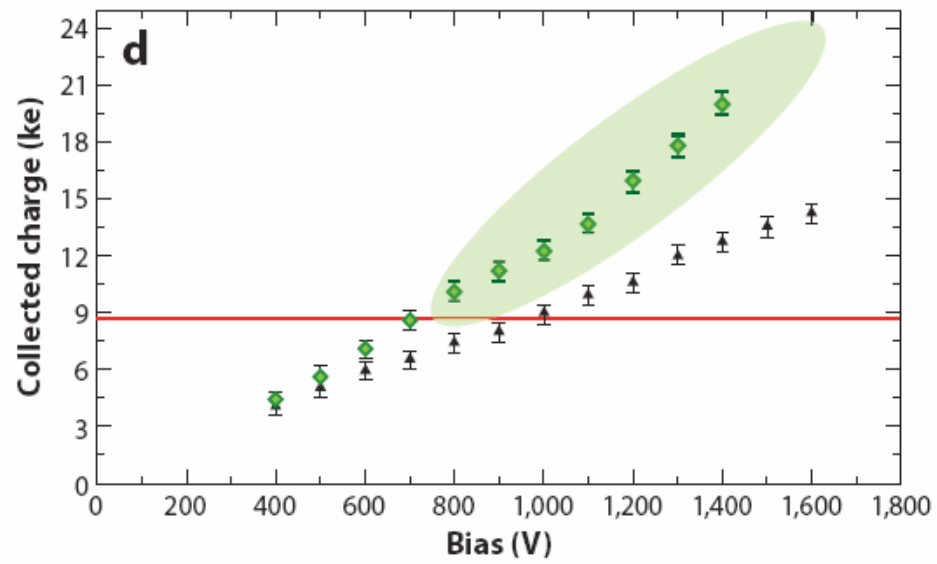
○ *n-in-n* FZ ($1.1 \times 10^{15} \text{ cm}^{-2}$ protons)

▲ *n-in-n* MCz ($1 \times 10^{15} \text{ cm}^{-2}$ neutrons)

△ *n-in-n* FZ ($1 \times 10^{15} \text{ cm}^{-2}$ neutrons)



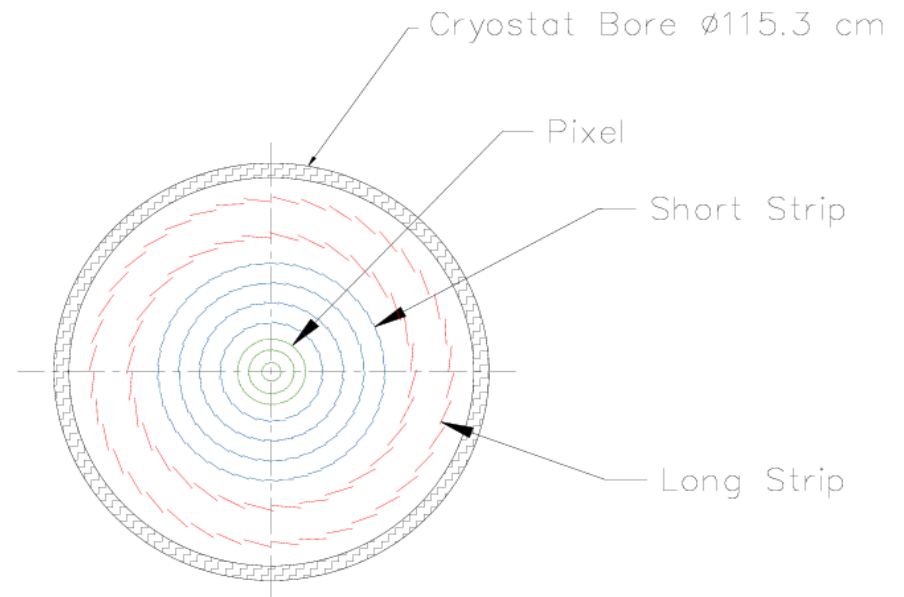
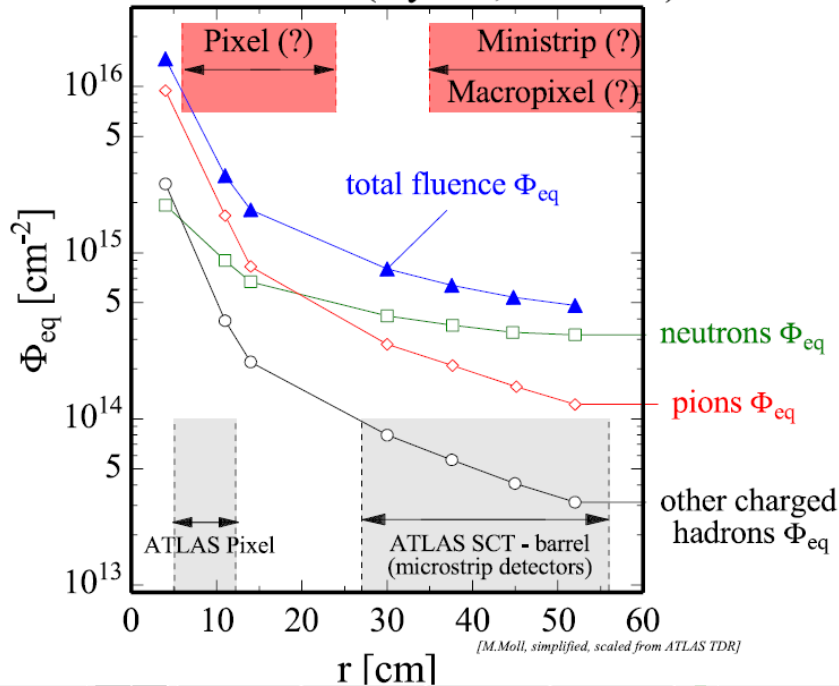
- ▲ Neutrons (500 V)
- Neutrons (900 V)
- ▲ Pions (500 V)
- Pions (900 V)
- ▲ 26-MeV protons (500 V)
- 26-MeV protons (900 V)
- ▲ 24-GeV protons (500 V)
- 24-GeV protons (900 V)
- ▲ 24-GeV protons, cold (500 V)
- 24-GeV protons, cold (900 V)



- ▲ $5 \times 10^{15} n_{\text{eq}} \text{ cm}^{-2}$, 300 μm
- ◆ $5 \times 10^{15} n_{\text{eq}} \text{ cm}^{-2}$, 140 μm

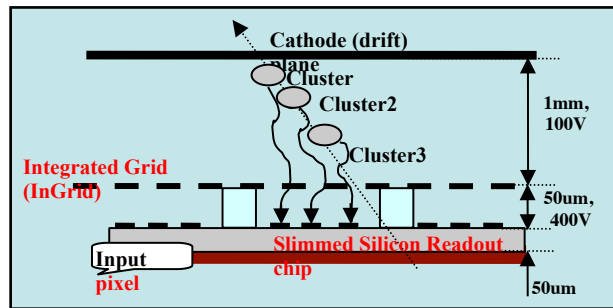
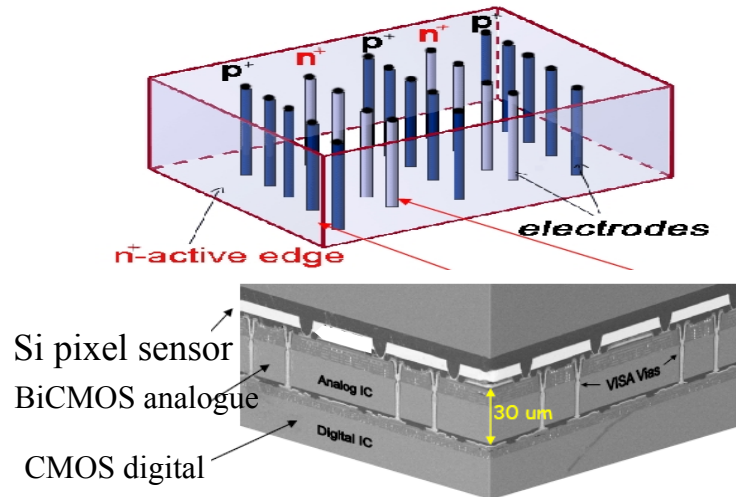
Inner Detector Replacement

SUPER - LHC (5 years, 2500 fb⁻¹)



- Order of magnitude increase in Data rates, Occupancy, Irradiation
- No TRT – Si strips
- Pixels moved to larger radius
- New technology for inner layers
- R&D required on sensors, readout, and mechanical engineering

Pixel-layer Technologies



- Harshest radiation environment ($R \sim 4\text{cm}$)
 - investigate new technologies

- 3D Si
- Thin silicon + 3D interconnects
- Gas over thin pixel (GOSSIP)

Diamond pixels

- May test in pre-SLHC b-layer replacement (~2012)

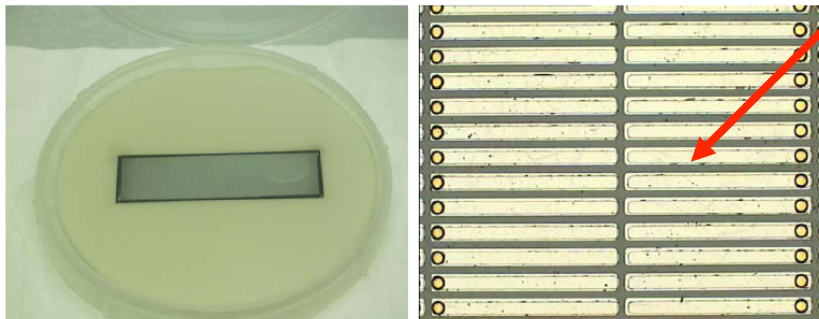


Figure 5: (a) Photograph of the ATLAS pixel diamond mounted in the carrier ready for bump bonding. (b) Zoom view of the pixel pattern after the under-bump metal is deposited.

