

TOWARDS A MEASUREMENT OF $\frac{\sigma(gg \rightarrow t\bar{t})}{\sigma(q\bar{q} \rightarrow t\bar{t})}$

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Outline

 Introduction

 The Technique (generator-level)

- The difference...
- The parameterization
- The fit
- The pseudo-experiments

 Looking at data

 Track Multiplicity

 Two approaches

 Approach I I

 Outlook

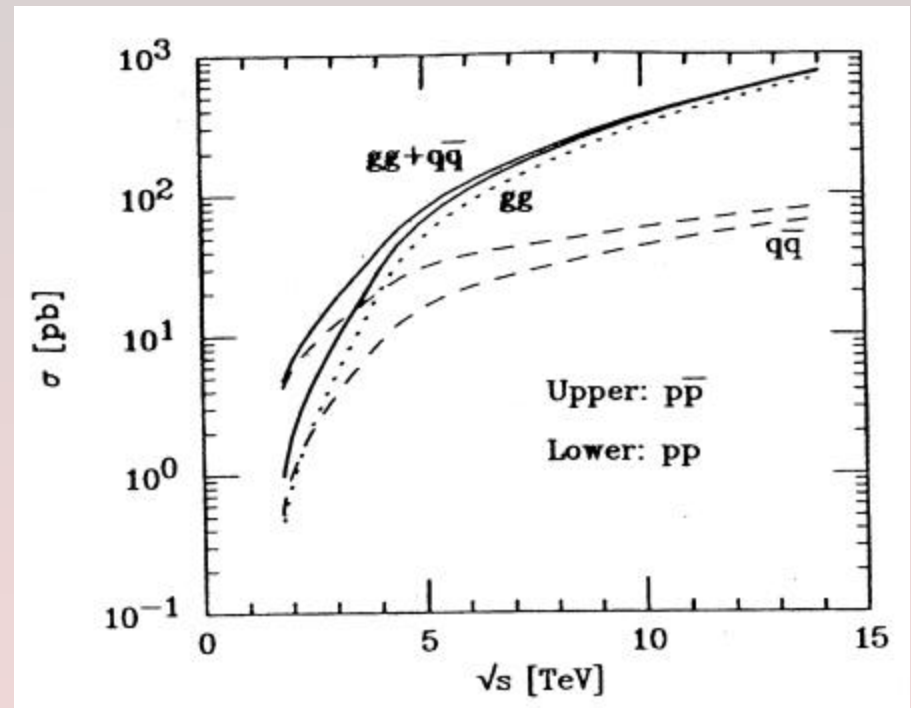
Introduction

✍ According to SM, in $p\bar{p}$ collisions at $\sqrt{s} \sim 2$ TeV

- $gg \rightarrow t\bar{t}$ $\sim 15\%$
- $q\bar{q} \rightarrow t\bar{t}$ $\sim 85\%$

✍ Measure $\frac{\sigma(gg \rightarrow t\bar{t})}{\sigma(q\bar{q} \rightarrow t\bar{t})}$

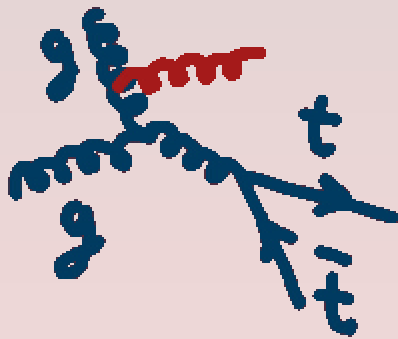
- Test of SM
- $b\bar{b}$ production
- Non-SM mechanisms



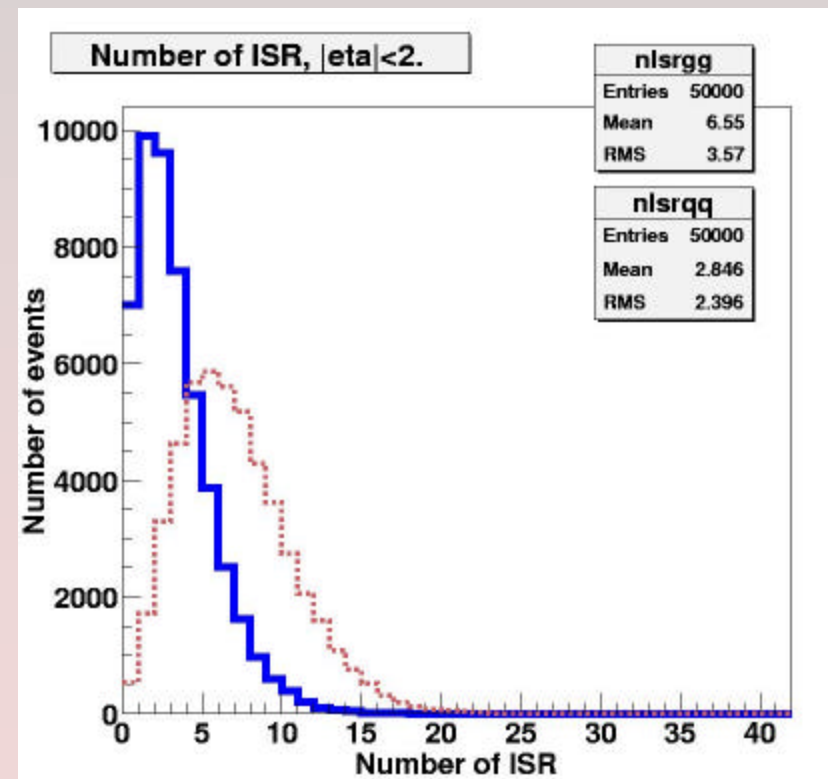
The Difference...

- ✍ Quantities related to initial state
- ✍ Looking at generator-level information

- Initial-State-Radiation (ISR)



at $|\eta| < 2$



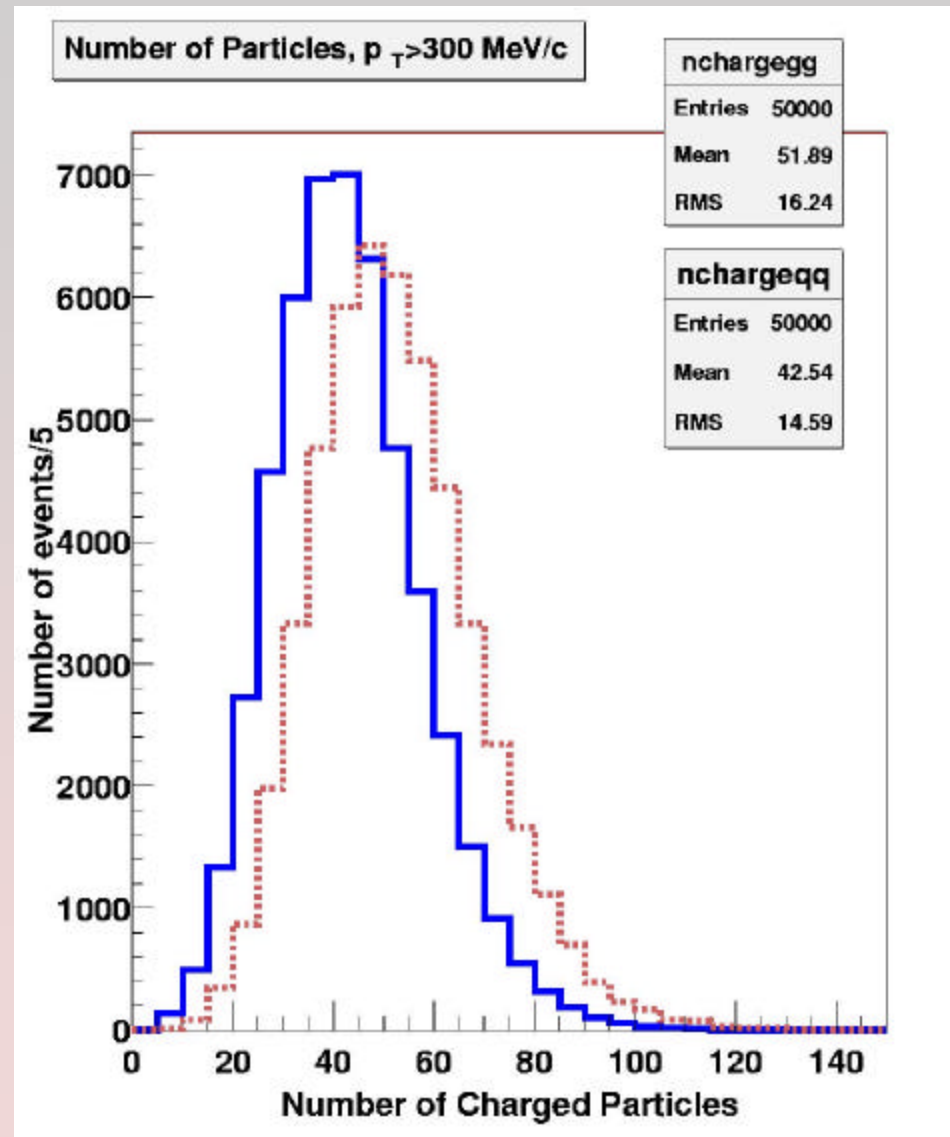
...the Difference...

✍ Larger I SR

- Larger number of stable particles
- Larger number of charged particles

✍ Charged particle multiplicity

- separated from daughters by
 $R \approx \sqrt{(\Delta p_T)^2 + (\Delta \eta)^2} \approx 0.4$
- $p_T \approx 0.3$ GeV/c
- $|\eta| \approx 2$

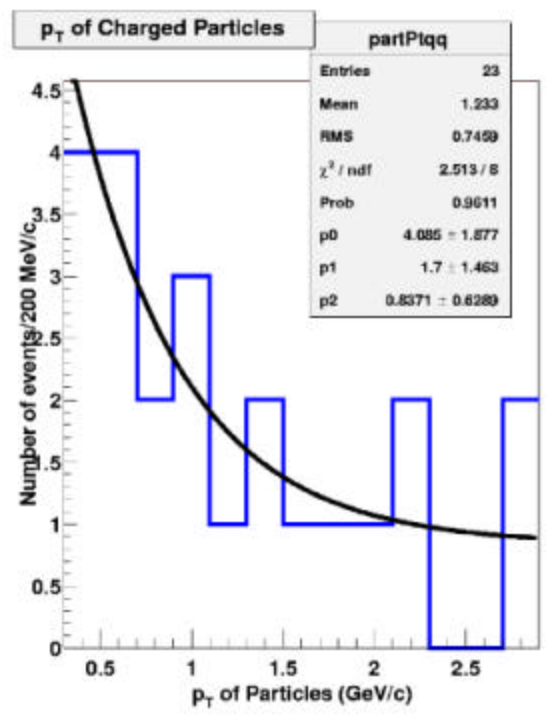
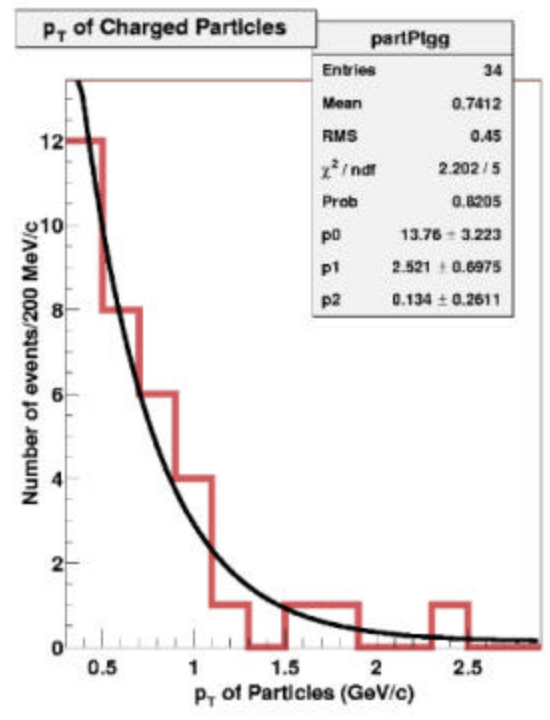
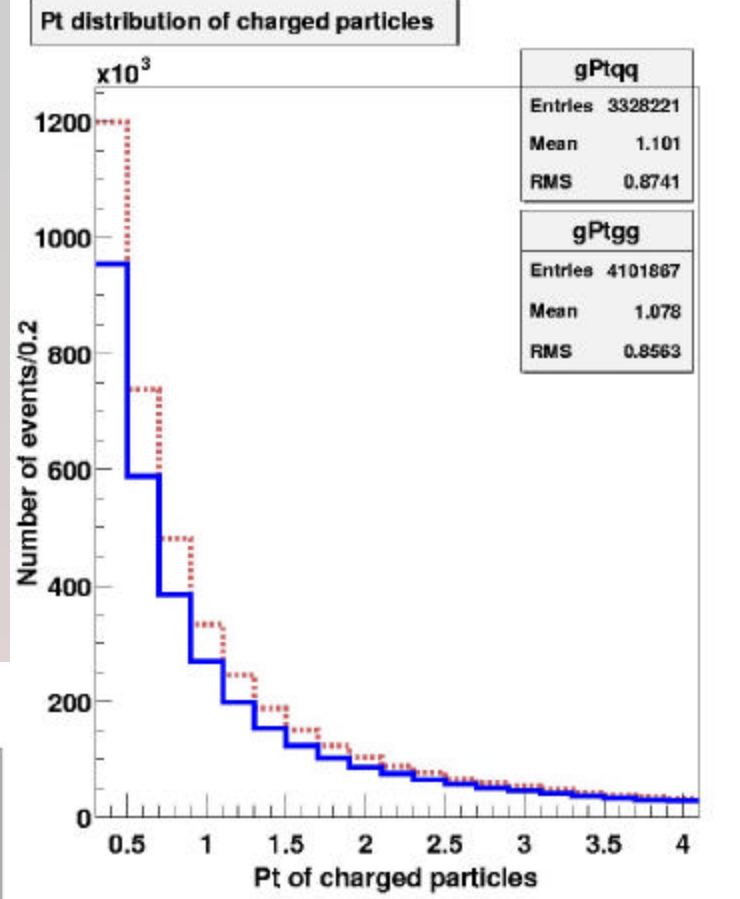


...the Difference...

p_T distribution

$f(p_T) \sim e^{-\beta p_T}$

- Slope β
- Event-by-event basis



The Parameterization

✍ 2D distribution of slope vs. number of charged particles

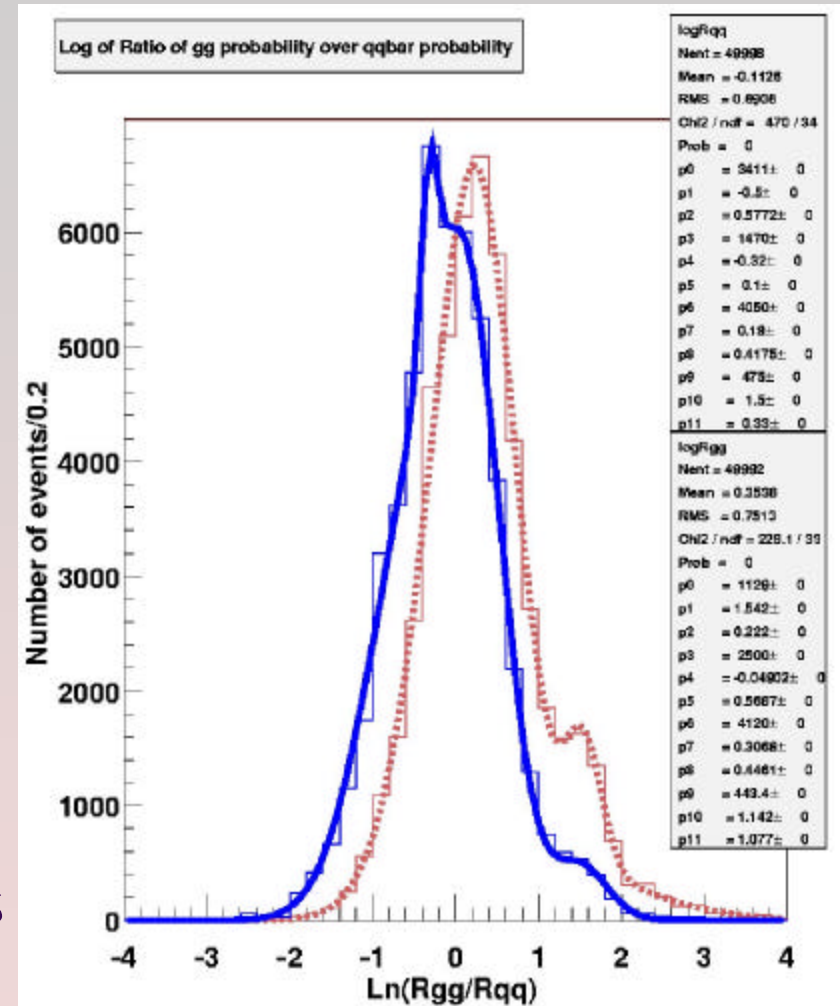
- 0.3 ? p_T ? 2.9 GeV/c

✍ Assign probabilities

- R_{gg}
- $R_{q\bar{q}}$

✍ Get distribution of ? ? $\ln(R_{gg}/R_{q\bar{q}})$

✍ Parameterize the distributions with 4 Gaussian distributions

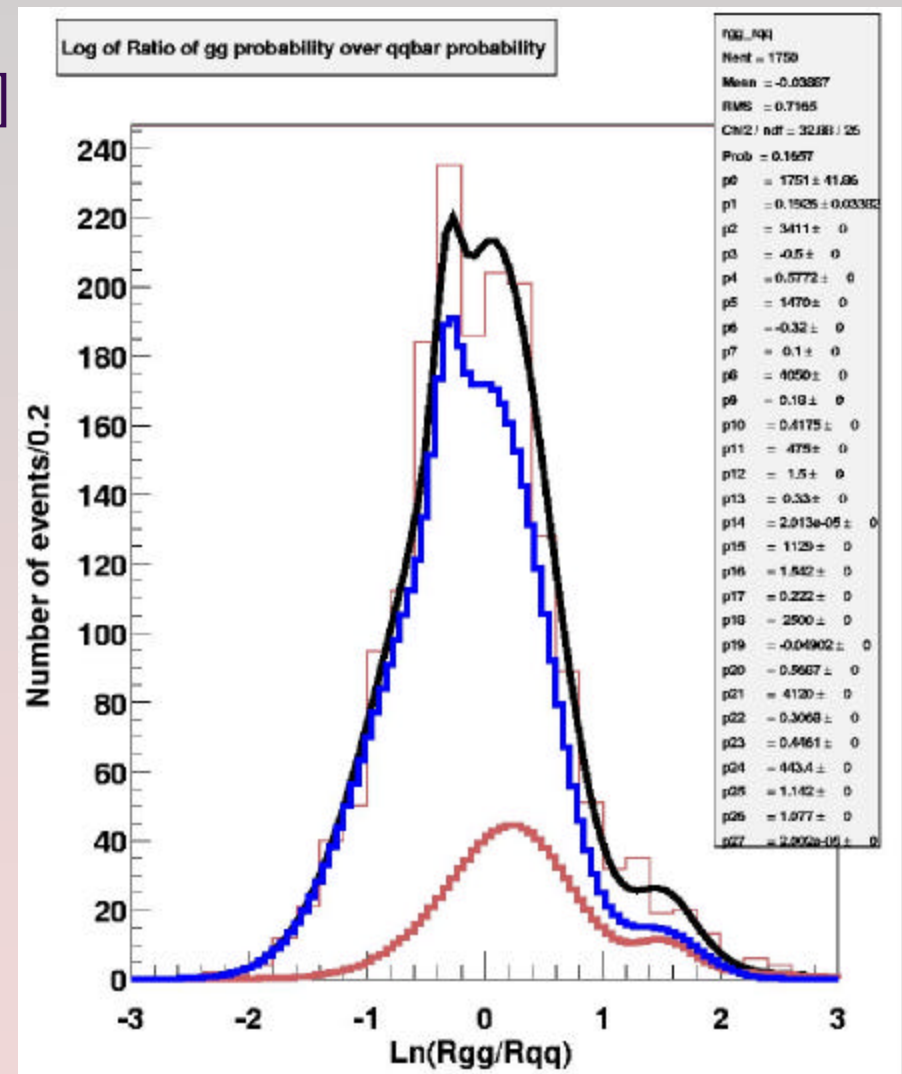


The Fit

$$F(?) = N_{t\bar{t}} [r_{gg} F_{gg}(?) + (1 - r_{gg}) F_{q\bar{q}}(?)]$$

where r_{gg} is the gg fraction and $N_{t\bar{t}}$ is the total number of $t\bar{t}$ events.

$F_{gg}(?)$ and $F_{q\bar{q}}(?)$ are the normalized 4-Gaussian functions for gg and $q\bar{q}$ events, respectively



The pseudo-experiments

✍ Experiments with different r_{gg} fraction

- Ranging from 0 to 1 with 0.1 increments

✍ 20 experiments with different number of $t\bar{t}$ events for same r_{gg}

✍ The uncertainty in r_{gg} depends on the total number of $t\bar{t}$ events

✍ There is a systematic shift in the fraction of gg events given by the fit parameter

- Overestimating the r_{gg} for samples with less than 70% gg events
- Underestimating the r_{gg} otherwise

Looking at data

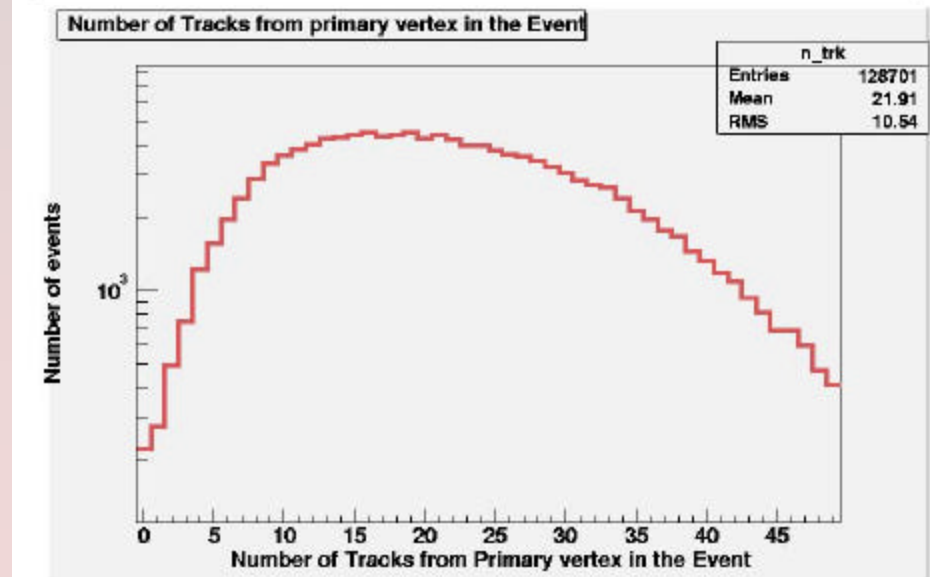
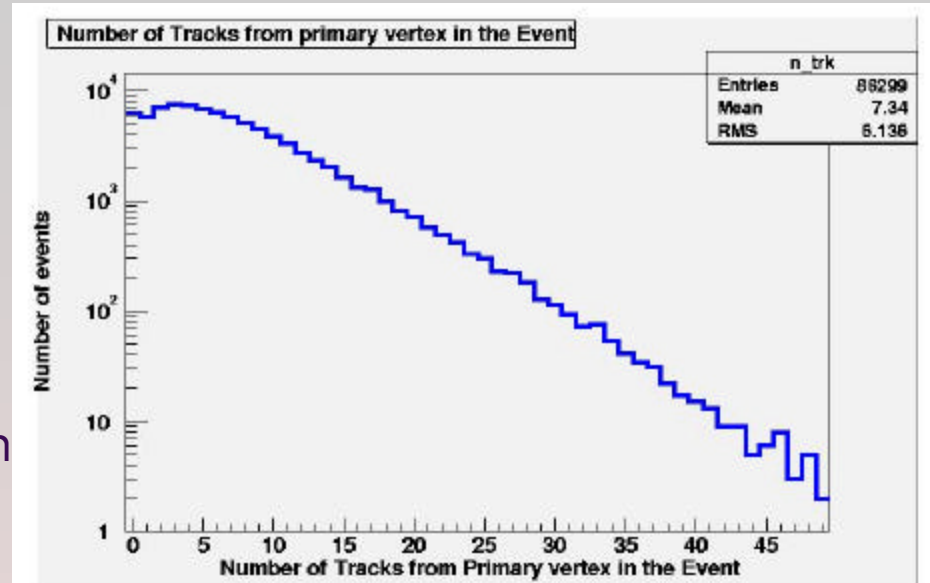
✍ Choosing data samples

- W events ? High p_T lepton sample

✍ Mainly $q\bar{q}$ (specially for W with no jet events)


- Jet production ? Jet50 sample

✍ Mainly gg and qg (for jet E_T of 50-100 GeV)



Track Multiplicity

 We want it to be:

- independent of number of interactions
 -  Number of z vertices
- independent of number of jets in the event

 We need to understand:

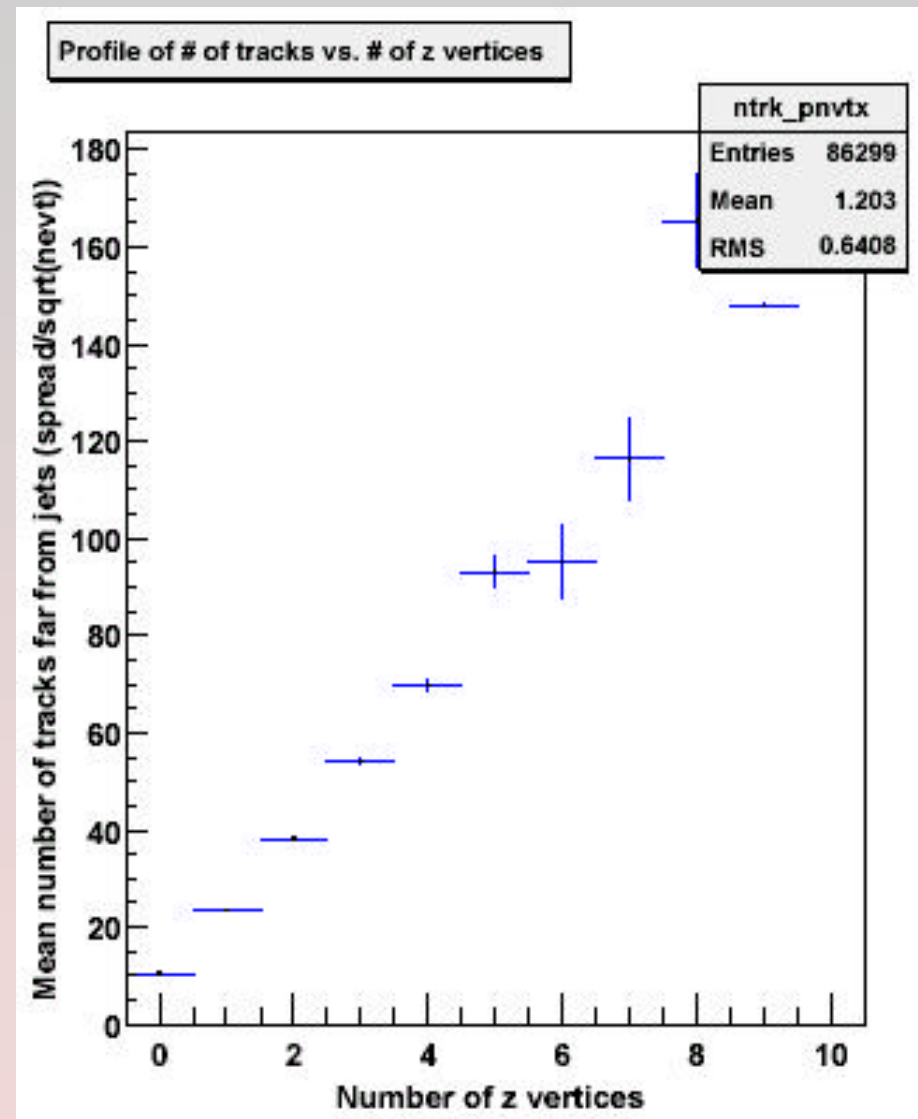
- the contribution due to each extra vertex
- the contribution due to each jet

 We look at number of tracks as a function of:

- number of vertices
- number of jets

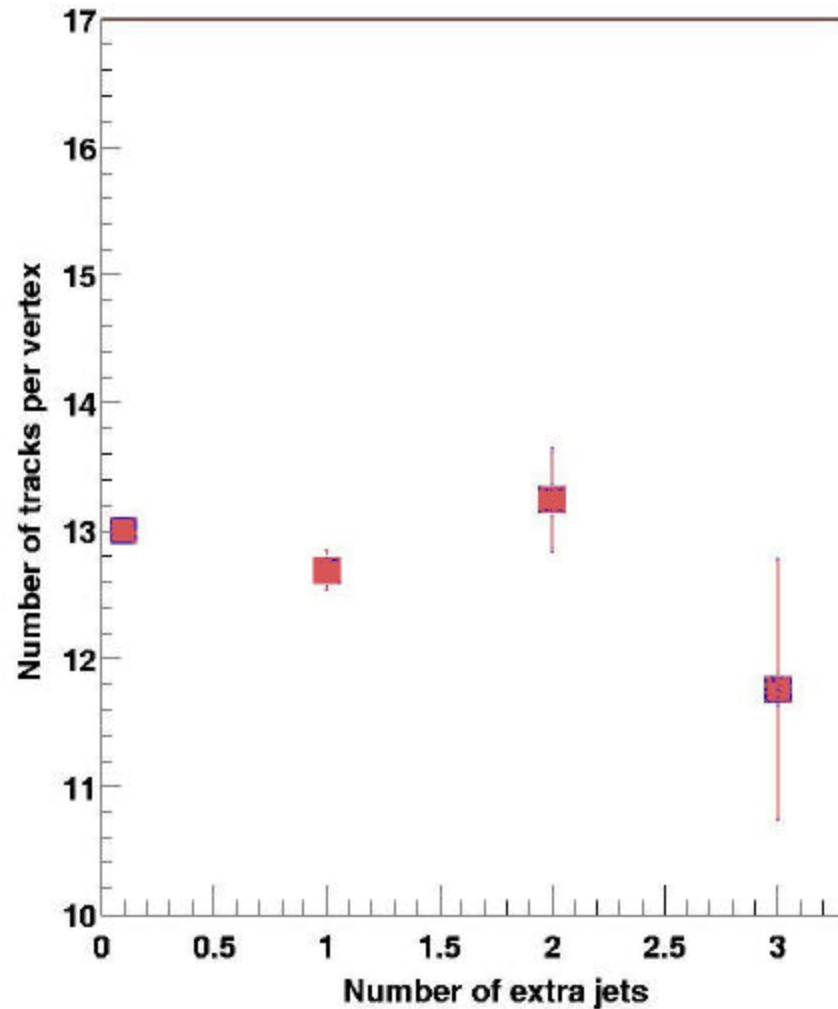
Track vs. z vertex multiplicity

- ✍ Categorize the sample with the number of (extra) jets in the event
- ✍ Look at track multiplicity vs. number of z vertices in the event
- ✍ Find the slope for each category
- ✍ We get the contribution of each z vertex

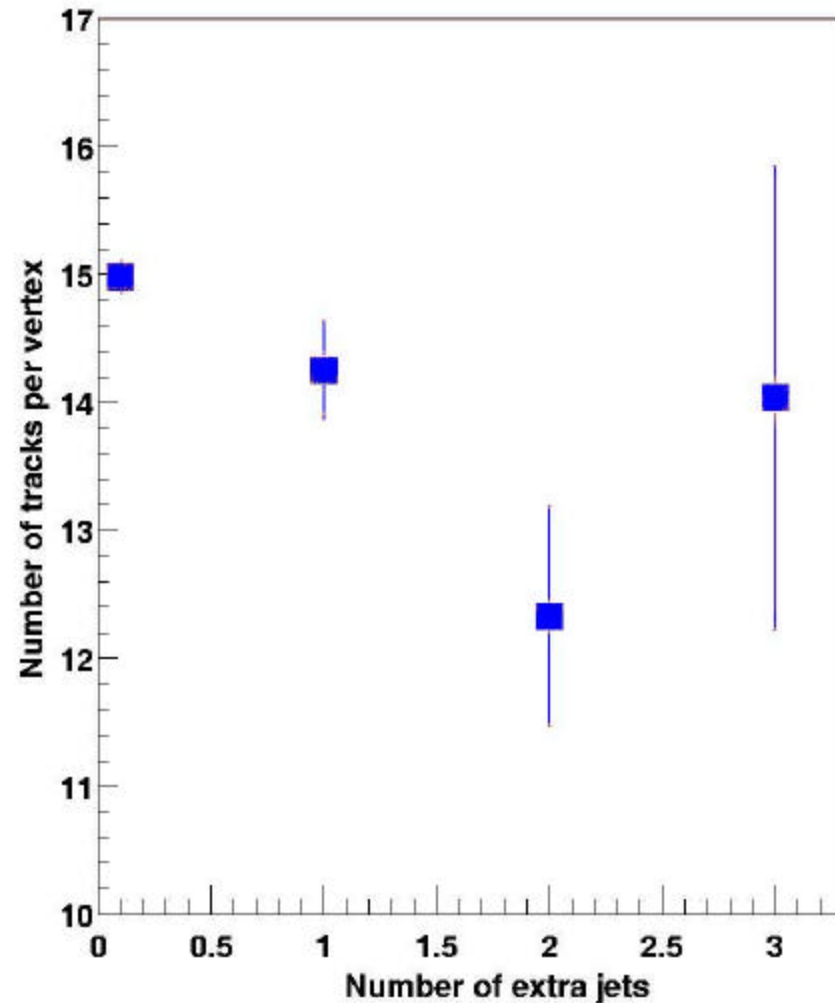


Number of Tracks per Vertex

Number of tracks per vertex vs. number of extra jets for dijets

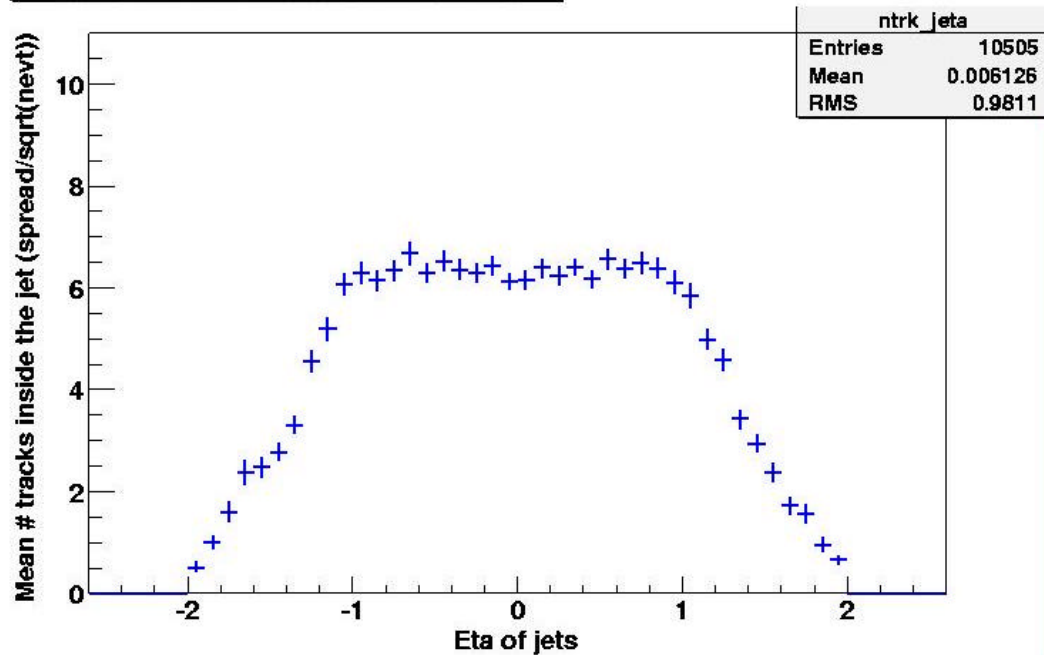


Number of tracks per vertex vs. number of extra jets for Ws



Number of Tracks per Jet

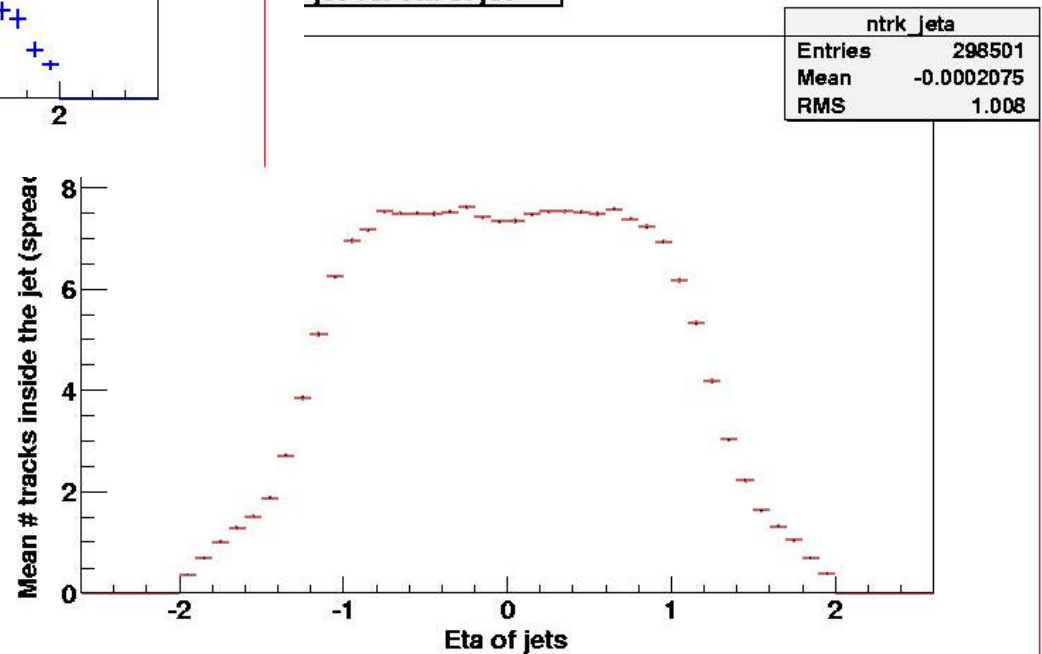
of trks inside the jet vs. eta of jet



Tracks within $R=0.4$

What are the contributions out-of-cone?

jet vs. eta of jet



Can we make corrections without calculating R ?

Two approaches

Approach I

- Get track multiplicity, vertex multiplicity and jet collection
- Apply corrections for each vertex
- Apply corrections based on jet ?

Approach II

- Find the primary vertex and tracks coming from it
- Exclude those tracks matched to primary vertex which are within $R=0.4$ of jets in the event

Approach II

✍ Started with a simple algorithm

- Matching tracks and vertices within a few s of z of track and primary vertex
- Matching tracks and vertices within a few cm

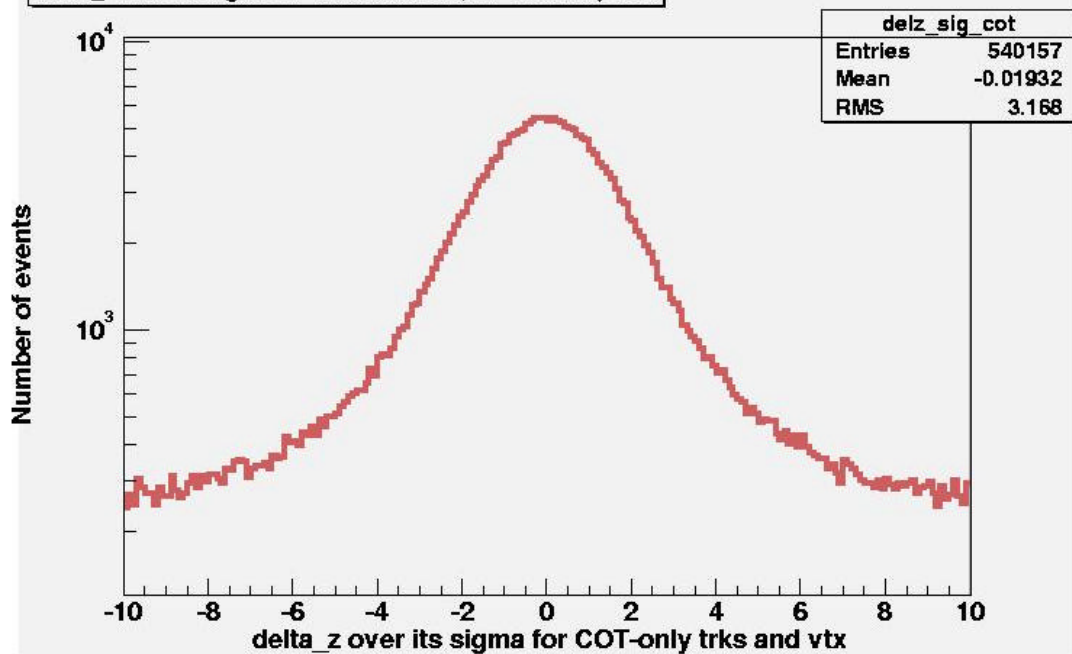
✍ Checked different track qualities

- defTracks
- Good COT tracks (at least 25 hits in axial and stereo)
 - ✍ With SI hits
 - ✍ Without SI hits
 - ✍ Either

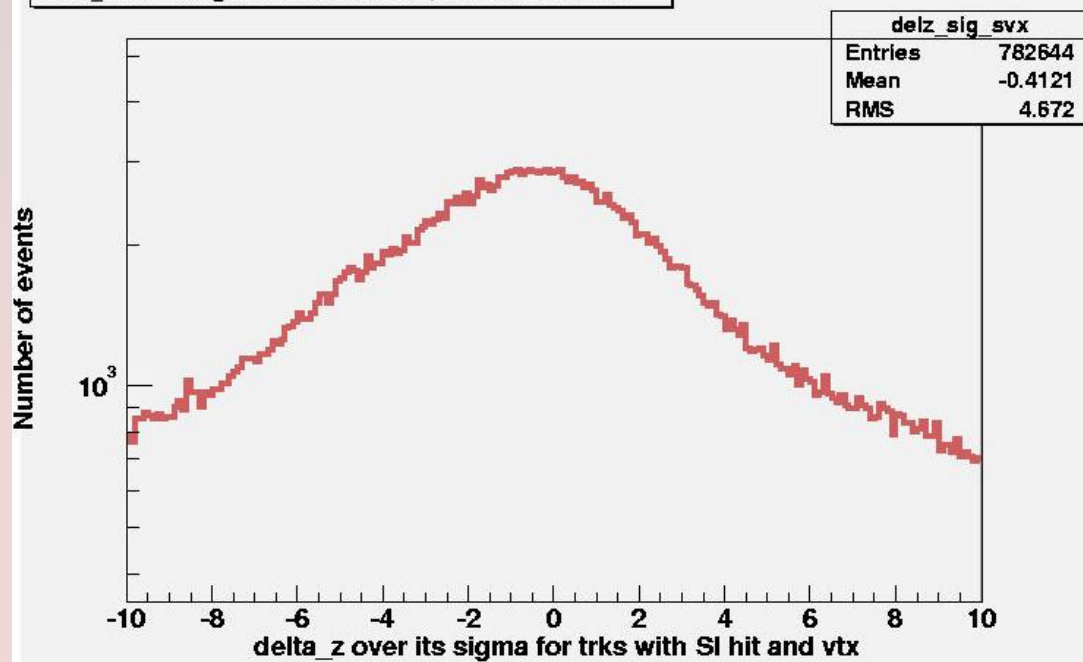
✍ About 60-80% of tracks match with primary vertex

✍ z/s distribution is very wide

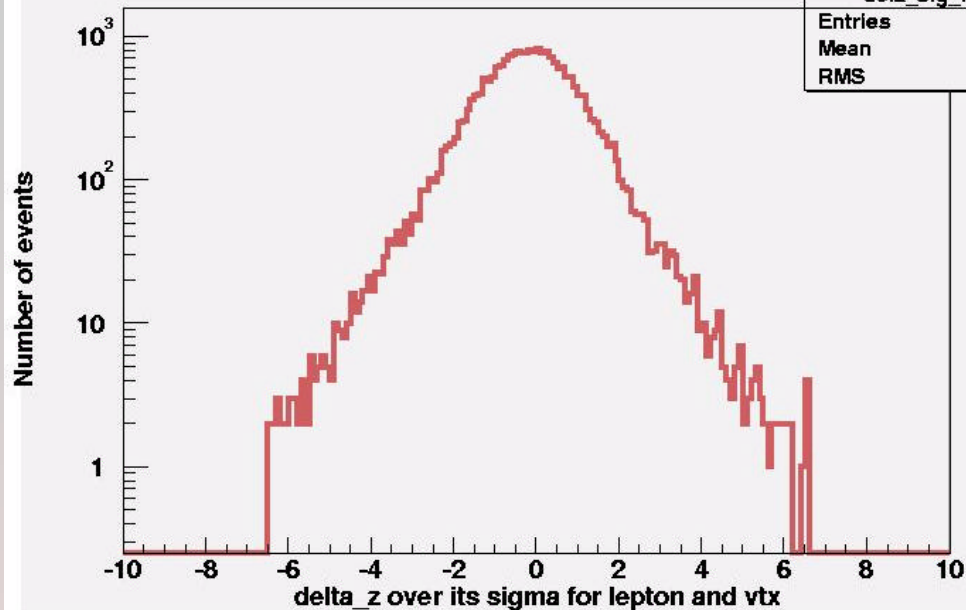
delta_z over its sigma for tracks and vtx, for COT-only trks



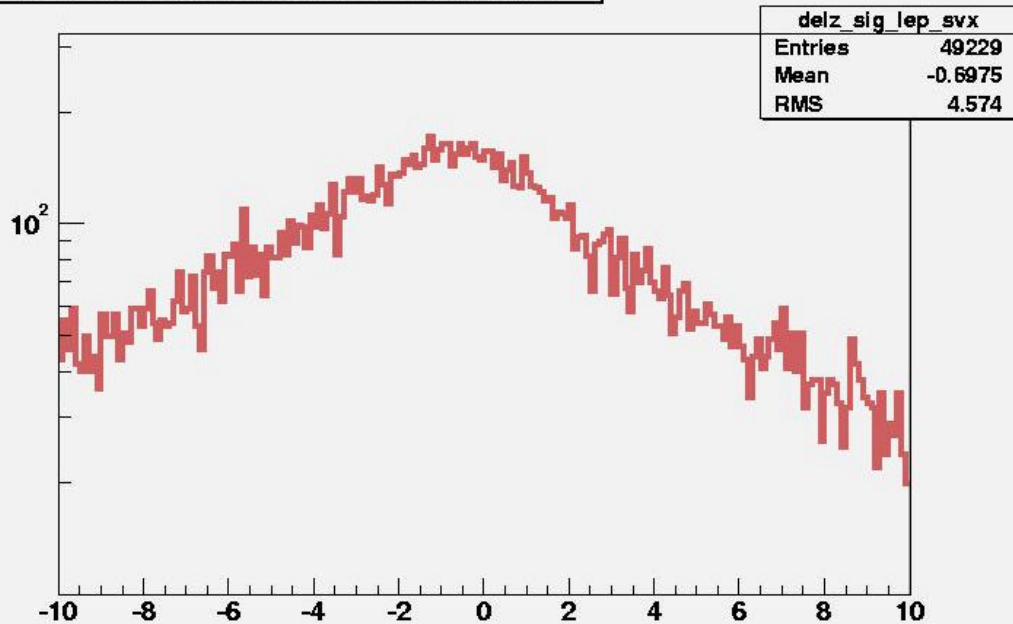
delta_z over its sigma for tracks and vtx, for trks with SI hits



delta_z over its sigma for lepton and vtx, COT-only



delta_z over its sigma for lepton and vtx, lep trk with SI



Outlook

- ✍ A trustworthy Track-Vertex Matching algorithm is needed
 - OBSP studies
- ✍ Finding the algorithm, then we look at the characteristics of tracks from primary vertex in the two data sample
- ✍ The idea is to use these two data samples as a way of calibration for the technique improved at the generator-level