MUONS IDENTIFICATION



PERFORMANCE LIMITATION'S - PUNCH THROUGH REQUIRES THICK FILTER L. dE/dx CUTS OFF LOW END OF A MOMENTUM SPECTRUM $8\lambda F_e \Rightarrow \langle \frac{dE}{dx} \rangle \sim 4.5 \text{ GeV}$ - DECAYS IN FLIGHT $K \rightarrow \mu\nu$ $R \rightarrow \mu\nu$ $K_{CZ} = 3.7 \text{ m}$ $\pi_{CZ} = 7.8 \text{ m}$

forecay ~ 1 - exp (- ad BYCZ)~ ad BYCZ

VERTER DETECTOR EVENT

With 2 muons



DEVO EVENT

MUON CANDIDATES: Track 5 P=7.3 GeV/c Pt=0.8 GeV/cStrack 13 P=5.8 GeV/c Pt=1.0 GeV/cor Track 11 P=2.6 GeV/c Pt=0.2 GeV/c





MARK III



(2



IONIZATION (dE/dx) PID

- · IONIZATION ENERGY LOSS VARIES BY ~1.5 FOR 102 3 2100
 - · USEFUL BELOW FEW Gov/C
- · SAMPLE IONIZATION LOSS IN PRIFT CHAMBER

- LANDAU FLUCTUATIONS - LOWEST 60% PULSE HEIGHTS - TRUNCATED MEAN

· TRANSIT TIME OVER KNOWN DISTANCE M = P/BX

· LIMITATIONS

FLIGHT PATH ~ 1m = ~ 1 GeV/

· TIME RESOLUTION

HARD TO DO BETTER THAN 2000S

PARTICLE IDENTIFICATIONS

IONIZATION IN DRIFT CHAMBER GAS





€

B2 - u2 V2 + 1T + K2 1T2 1T2 478



- · PARTICLE ID USING TOF
- · FORM APPROPRIATE MASS COMBINATIONS
- BEAM ENERGY CONSTRAINT σ(M) ~ 2.5 MeV/c²

4

· DECAYS WITH M° OR TI° USE Two CONSTRAINT FIT. sleph TPC Data

3.6 d€/dx a) 3.2 2.8 P K 2.4 2 1.6 1.2]] 0.8 1.6 log(p) 1.2 0.8 0.4 -0.4 0 tracks 10 b) π 10² e 10 1 2.25 0.75 1.25 1.5 1.75 2 0.5 1 (normalized to that for TT) dE/dx

Fig. 24





· STACK OF THIN LO A LATERS 1000 Li FOILS X SON THICK

. X RAY DETECTOR FOR YTR

XENON Z=54

· COUNT ENERGY OF X-RAYS OR CLUSTERS ABOVE (~2.KeV) ENERGY THRESHOLD

· IT REJECTION FACTORS ~ 1000





The ATLAS Transition Radiation Tracker detector



printed circuit board <u>Wheel Endcap Boards</u> (WEB) for HV and signal

245760 readout channels upto 20 MHz!

Transition Radiation (TR) for particle identification

- produced by charged ultra-relativistic ($\gamma \sim 10^{3-4}$) particle crossing interface between different dielectrics.
- Emitted at small angle with respect to parent particle trajectory.
- Absorbed by high-Z gas mixture (Xe)
- Deposited energy in detector: ionization loss (dE/dx) \oplus TR (> 5 keV)

Two thresholds: Low @ 200 eV (tracking), High @ 5 keV (TR)



Energy loss spectra for 20 GeV electrons

Electron /Pion separation using TR





Figure 216. Pion efficiency shown as a function of the pion energy for 90% electron efficiency, using high-threshold hits (open circles), time-

RING IMAGING CERENKOV COUNTER

RICH / CRID

DETECT RING OF CERENKOV LIGHT.

De = ances (1) VELOCITY MEASURE RADIUS OF RING

- · PHOTON DETECTOR GASEOUS PHOTOCATHODE: TEA TMAE (~ GASOLINE (:)) VEPOUR ·
- · J ABSORBED ; PHOTO ELECTRON EMITTED E DRIFTS UP TO ~ 1m L DETECTED IN MUPC

2/10	0.2 - 7.0 Gev/c
u/m	0-2-1.11; 2.1-4.0 Gov/c
IT/K	0.23 - 32 Gev/c
K/P	0.80 - 55 6ev/c

30 SEPARATION







Fig. 2.28 The principle of a RICH counter with two radiators and a single photosensitive chamber.



Fig. 2.27 A RICH image, with a centred (unfocussed or 'proximity focussed') ring around the track impact point, and an indirect (mirror focussed) ring slightly off centre. Superposition of multiple tracks with normal incidence.

MANY TRACKS !



Polar plot of the angles of emission of Cherenkov photons for a particle (both pion and kaon) of momentum 22 GeV/c in a radiator with n=1.0005 and angular resolution 0.64 mrads, in a RICH with Nc ~ 25







- . TRAP C LIGHT IN BAR
- · EXTRACT AT ONE END
- · OEXIT \$ Oc
- . SIMILAR TO RICH
- . GET & DETECTOR AWAY FROM PARTICLE TRAJORY

CONVENTIONAL PMT









Figure 6-4. (a) PMT hits projected onto the x-y plane. The particles producing the hits have distinctive markers: Cherenkov images (conic sections) from the $B \to \pi^+\pi^-$ decays are shown as solid circles, hits from the two other charged tracks as open circles, and from the secondary tracks as '+'. (b) PMT hits projected in Cherenkov angle space with the four tracks superimposed at the center. The hits from the two pions from the B decay overlap at the largest radius, $\phi_c \approx 820$ mr. The '+' marker in this case corresponds to assignment ambiguities. (c) Cherenkov angle projections for three of the tracks and the associated ambiguities.

TECHNICAL DESIGN REPORT FOR THE BABAR DETECTOR

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SIMULATION



Figure 54. Display of an $e^+e^- \rightarrow \mu^+\mu^-$ event reconstructed in BABAR with two different time cuts. On the left, all DIRC PMTs with signals within the ±300 ns trigger window are shown. On the right, only those PMTs with signals within 8 ns of the expected Cherenkov photon arrival time are displayed.





Fig. 1. A schematic of the LHCb detector.







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Fig. 14. RICH counters for LHCb [17].





Fig. 18. Same as in Fig. 17 for beam particles with 0.8 GeV/c



Fig. 9. The efficiencies and misidentification probabilities (in %) as function of momentum for pions identified as "light" (top) and kaons identified as "heavy" (bottom).





Fig. 10. The effect of the RICH in the selection of the channel $B \rightarrow \pi^+\pi^-$ without (top) and with (bottom) using RICH information.



Fig. 7. Invariant mass of the B_s when searching for the $B_s \rightarrow D_s^{\pm}K^{\mp}$ signal in data. The smooth curves are fits to the data points. The histogram with a peak at 5.37 GeV/ c^2 is from the $B_s \rightarrow D_s^{\pm}K^{\mp}$ channel and the histogram with peak at $5.42 \text{ GeV}/c^2$ is from the $B_s \rightarrow D_s^{\pm}\pi^{\mp}$ background channel. The background which swamps the signal by a factor around 10, is reduced to 10% of the signal after RICH particle identification.

LIKELIHOOD



THE LIKELIHOOD OF THE OBSERVATIONS FOR A SPECIFIC & 15: $\begin{aligned}
\int (x_1 - \cdots + x_n | G) &= \int_{i=1}^n f(x_i | G) \\
 i &= 1
\end{aligned}$ IT SEEMS OBVIOUS (70 ME!) THAT I WILL BE MAXIMUM WHEN DISTRIBUTION OF x_i FOLLOW f(G)

2 is THE JOINT PROBABILITY OF EBTAINING X1----- In GIVEN E=Ê

0

MAXIMUM LIKELIHOOD

2

 $\int (x|\theta) = \frac{\pi}{1/2} f(x;|\theta)$

JOINT PROB OF Xi AT FIXED & $\int f(x|\theta) dx = 1$ MAY LIK = Xi CONST; & VARIABLE

> CHOOSE & FOR & SUCH THAT $\int (x|\theta)$ is A MAXIMUM

 $f(x|\hat{\psi}) > f(z|\theta)$

FOR ANY CONCEIVABLE G.

$$\frac{\partial \mathcal{L}(\mathbf{x}|\theta)}{\partial \theta} = \frac{\partial}{\partial \theta} \prod_{i=1}^{n} f(\mathbf{x}_{i}|\theta) = 0$$

$$\frac{\partial^{2} \mathcal{L}}{\partial 2\theta} \Big|_{\theta=\theta} = \frac{\partial^{2}}{\partial \theta^{2}} \prod_{i=1}^{n} f(\mathbf{x}_{i}|\theta) \Big|_{\theta=\theta} < 0$$

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$$\frac{\partial}{\partial \theta} \ln \mathcal{L}(\mathbf{x}|\theta) = \frac{\partial}{\partial \theta} \sum_{i=1}^{n} \ln f(\mathbf{x}|\theta) = 0$$

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G

NORMANIZED POF

$$f(t|\tau) = \frac{1}{\tau} e^{-t/\tau}$$

$$f(t|\tau) = \int_{\tau} \frac{1}{\tau} \frac{1}{\tau} e^{-t/\tau}$$

$$\frac{\partial}{\partial \tau} \ln \mathcal{L} = \frac{\partial}{\partial \tau} \sum_{i} \left(-\ln\tau - \frac{t_{i}}{\tau} \right)$$

$$= \int_{\tau} \left(-\frac{1}{\tau} + \frac{t_{i}}{\tau^{2}} \right) = 0$$

$$\frac{1}{\tau} = \int_{\tau} \frac{1}{\tau} \sum_{i} t_{i} = xt > 0$$

MAY LIZ ESTIMATE OF T is AVERAGE OF OBSERVATIONS ti EXAMPLE MEAN OF A GAUSSIAN X, ---- Xn MEASWREMENTS OF U GAUSSIANLY DISTRIBUTED, ERROR J $\mathcal{J}(x)\sigma(\mu) = \prod_{i=1}^{n} \frac{1}{\sqrt{2\pi}} e_{\mu}\left(-\frac{1}{2} \frac{(x_i - \mu)^2}{\sqrt{2\pi}}\right)$ $\frac{\partial \ln t}{\partial \mu} = \frac{\partial}{\partial \mu} \sum_{i=1}^{n} \left(\frac{1}{2} \ln \left(2\pi \sigma^2 \right) - \frac{1}{2} \left(\frac{2\pi \sigma^2}{r} \right)^2 \right) = 0$ $\hat{\mu} = \frac{1}{n} \sum_{n=1}^{n} x_{i} = x_{n}$ MAXLIK ESTIMATE OF POPULATION MEAN M

B

= SAMPLE MEAN <2>

SAY MEASURE TIME OF FLIGHT TRACK

Ć

HOW DO WE ESTIMATE LIKE LIHOOD DE

$$\chi_{i}^{2}\left(\frac{dE}{dY}\right) = \frac{\left(\frac{dE}{dX} - dE\left[\frac{dX_{i}^{**}}{dX}\right]^{2}}{\sigma_{dE}^{2}dY} + \sigma_{TH}^{2}$$

i = e, µ, π, K, P.

$$\chi^{2}_{i}(TOF) = \left(\frac{A/\beta - A/\beta^{TH}_{i}}{\sigma^{2}_{TOF} + \sigma^{2}_{TH}}\right)^{2}$$

$$\chi_i^2 = \chi_i^2 (d \epsilon | d x) + \chi_i^2 (\tau o \epsilon)$$

PDF FOR
$$\chi^2$$

 $f(x^2, n) = \frac{1}{2^{\frac{n}{2}} \int (\frac{n}{2})} (\chi^2)^{\frac{n}{2}-1} e^{-\chi^2/2}$
BUT $\Lambda = 2 (\tau oF + dE/d\chi)$
 $= \frac{1}{2} e^{-\chi^2/2}$
 $\frac{1}{2} \rightarrow JUS7 \ ADDITIVE \ FACTOR \ WHEN$
 $TAK E \ ln$
 $J_i = e^{-\chi^2/2} - CuT \ oN \ THIS$
 $J_i = e^{-\chi^2/2} - TO \ IDENTIFY \ PARTICLES$

NORMALIZE

$$\lambda_i = \frac{\omega_i \lambda_i}{\sum_i \omega_k \lambda_k} \quad k = e_i \pi_i \mu_i K_i P_i$$

 $\omega_k \rightarrow \alpha PRIORI KNOWN (GUESSED)$
PRODUCTION RATES FOR $e \pi \mu K P$