## LECTURE 23: CP Violation (Part II)

## Overview:

-Meson mixing (cont.)

-K meson system

-B meson system

(I used mostly Burgess, and Cheng Li as references, and notes from

Frank Wuerthwein)

Meson Mixing (continued from locture 22)

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We define the states 182 and 182 (destroyed by the fields els) and the said define 14+2 (destroyed by the said the). The noralized states are:

14+>= 1 [p/8>+ 1/6>]

14-7 = 1 [ 6 | 62 - 4 | 62]

\$ = 22 = \C

CP symmetry C = B 少 2=1

J 12+ ~ ~ + -i~ [+ > A+B e = : (e-e)

eigenstates:

With

If we start with state les:

$$P_{\tau} \left[ q(\kappa) \rightarrow q(\kappa) \right] = \frac{1}{4} \left[ e^{-\int_{\tau}^{\tau} (\kappa) T} + e^{-\int_{\tau}^{\tau} (\kappa) T} + 2 e^{-\sum_{\tau}^{\tau} (\kappa) \frac{\tau}{2}} \right] \left[ e^{-\int_{\tau}^{\tau} (\kappa) T} + e^{-\int_{\tau}^{\tau} (\kappa) T} - 2 e^{-\sum_{\tau}^{\tau} (\kappa) \frac{\tau}{2}} \right] \left[ e^{-\int_{\tau}^{\tau} (\kappa) T} + e^{-\int_{\tau}^{\tau} (\kappa) T} - 2 e^{-\sum_{\tau}^{\tau} (\kappa) \frac{\tau}{2}} \right] \left[ e^{-\int_{\tau}^{\tau} (\kappa) T} + e^{-\int_{\tau}^{\tau} (\kappa) T} - 2 e^{-\sum_{\tau}^{\tau} (\kappa) \frac{\tau}{2}} \right] \left[ e^{-\int_{\tau}^{\tau} (\kappa) T} + e^{-\int_{\tau}^{\tau} (\kappa) T} - 2 e^{-\sum_{\tau}^{\tau} (\kappa) T} \right] \left[ e^{-\int_{\tau}^{\tau} (\kappa) T} + e^{-\int_{\tau}^{\tau} (\kappa) T} - 2 e^{-\sum_{\tau}^{\tau} (\kappa) T} \right] \left[ e^{-\int_{\tau}^{\tau} (\kappa) T} + e^{-\int_{\tau}^{\tau} (\kappa) T} - 2 e^{-\sum_{\tau}^{\tau} (\kappa) T} \right] \left[ e^{-\int_{\tau}^{\tau} (\kappa) T} + e^{-\int_{\tau}^{\tau} (\kappa) T} - 2 e^{-\sum_{\tau}^{\tau} (\kappa) T} \right] \left[ e^{-\int_{\tau}^{\tau} (\kappa) T} + e^{-\int_{\tau}^{\tau} (\kappa) T} \right] \left[ e^{-\int_{\tau}^{\tau} (\kappa) T} + e^{-\int_{\tau}^{\tau} (\kappa) T} - 2 e^{-\sum_{\tau}^{\tau} (\kappa) T} \right] \left[ e^{-\int_{\tau}^{\tau} (\kappa) T} + e^{-\int_{\tau}^{\tau} (\kappa) T} \right] \left[ e^{-\int_{\tau}^{\tau} (\kappa) T} + e^{-\int_{\tau}^{\tau} (\kappa) T} - 2 e^{-\sum_{\tau}^{\tau} (\kappa) T} \right] \left[ e^{-\int_{\tau}^{\tau} (\kappa) T} + e^{-\int_{\tau}^{\tau} (\kappa) T} \right] \left[ e^{-\int_{\tau}^{\tau} (\kappa) T} + e^{-\int_{\tau}^{\tau} (\kappa) T} \right] \left[ e^{-\int_{\tau}^{\tau} (\kappa) T} + e^{-\int_{\tau}^{\tau} (\kappa) T} \right] \left[ e^{-\int_{\tau}^{\tau} (\kappa) T} + e^{-\int_{\tau}^{\tau} (\kappa) T} \right] \left[ e^{-\int_{\tau}^{\tau} (\kappa) T} + e^{-\int_{\tau}^{\tau} (\kappa) T} \right] \left[ e^{-\int_{\tau}^{\tau} (\kappa) T} + e^{-\int_{\tau}^{\tau} (\kappa) T} \right] \left[ e^{-\int_{\tau}^{\tau} (\kappa) T} + e^{-\int_{\tau}^{\tau} (\kappa) T} \right] \left[ e^{-\int_{\tau}^{\tau} (\kappa) T} + e^{-\int_{\tau}^{\tau} (\kappa) T} \right] \left[ e^{-\int_{\tau}^{\tau} (\kappa) T} + e^{-\int_{\tau}^{\tau} (\kappa) T} \right] \left[ e^{-\int_{\tau}^{\tau} (\kappa) T} + e^{-\int_{\tau}^{\tau} (\kappa) T} \right] \left[ e^{-\int_{\tau}^{\tau} (\kappa) T} + e^{-\int_{\tau}^{\tau} (\kappa) T} \right] \left[ e^{-\int_{\tau}^{\tau} (\kappa) T} + e^{-\int_{\tau}^{\tau} (\kappa) T} \right] \left[ e^{-\int_{\tau}^{\tau} (\kappa) T} + e^{-\int_{\tau}^{\tau} (\kappa) T} \right] \left[ e^{-\int_{\tau}^{\tau} (\kappa) T} + e^{-\int_{\tau}^{\tau} (\kappa) T} \right] \left[ e^{-\int_{\tau}^{\tau} (\kappa) T} + e^{-\int_{\tau}^{\tau} (\kappa) T} \right] \left[ e^{-\int_{\tau}^{\tau} (\kappa) T} + e^{-\int_{\tau}^{\tau} (\kappa) T} \right] \left[ e^{-\int_{\tau}^{\tau} (\kappa) T} + e^{-\int_{\tau}^{\tau} (\kappa) T} \right] \left[ e^{-\int_{\tau}^{\tau} (\kappa) T} + e^{\int_{\tau}^{\tau} (\kappa) T} \right] \left[ e^{-\int_{\tau}^{\tau} (\kappa) T} + e^{-\int_{\tau}^{\tau} (\kappa) T} \right] \left[ e^{-\int_{\tau}^{\tau} (\kappa) T} + e^{-\int_{\tau}^{\tau} (\kappa) T} \right] \left[ e^{-\int_{\tau}^{\tau} (\kappa) T} + e^{-\int_{\tau}^{\tau} (\kappa) T} \right] \left[ e^{-\int_{\tau}^{\tau} (\kappa) T} \right] \left[ e^{-\int_{\tau}^{\tau} (\kappa) T} + e^{-\int_{\tau}^{\tau} (\kappa) T} \right] \left[ e^{-\int_{$$

Ko-K mixing (revisited)

<u>لا</u>. <del>با</del> Kaons Sec. will have 

(14) - (14)

As ž Sew < 500d approx. (since | Elect)

3 (K\_) ~ (K\_) - (Q\_)

K' - K' mixing (con1.)

(M)

have; we have:

2K = 498 MEV

(3m= 420 NEV)

 $= 9 \times 10^{-11} \sec c$ 

P-1 = 5x10-8

=> P, = 580 PL

-1 64.7

and assuring slow-roving Kaous:

 $P_{+} [K(N) \rightarrow K(N)] \approx \frac{1}{4} e^{-\sum_{k} (K)} [4]^{2} [1 - 2e^{-\sum_{k} (K)} - \sum_{k} (N)]^{2} / 2$  $P_{+} [K(N) \rightarrow K(N)] \approx \frac{1}{4} e^{-\sum_{k} (k)T} [1 + 2e^{-\sum_{k} (k)} - \sum_{k} (N)] + \sum_{k} (N) = \frac{1}{4} e^{-\sum_{k} (N)T} [1 + 2e^{-\sum_{k} (N)} - \sum_{k} (N)] + \sum_{k} (N) = \frac{1}{4} e^{-\sum_{k} (N)T} [1 + 2e^{-\sum_{k} (N)} - \sum_{k} (N)] + \sum_{k} (N) = \frac{1}{4} e^{-\sum_{k} (N)T} [1 + 2e^{-\sum_{k} (N)T} - \sum_{k} (N)] + \sum_{k} (N) = \frac{1}{4} e^{-\sum_{k} (N)T} [1 + 2e^{-\sum_{k} (N)T} - \sum_{k} (N)] + \sum_{k} (N) = \frac{1}{4} e^{-\sum_{k} (N)T} [1 + 2e^{-\sum_{k} (N)T} - \sum_{k} (N)] + \sum_{k} (N) = \frac{1}{4} e^{-\sum_{k} (N)T} [1 + 2e^{-\sum_{k} (N)T} - \sum_{k} (N)] + \sum_{k} (N) = \frac{1}{4} e^{-\sum_{k} (N)T} [1 + 2e^{-\sum_{k} (N)T} - \sum_{k} (N)] + \sum_{k} (N) = \frac{1}{4} e^{-\sum_{k} (N)T} [1 + 2e^{-\sum_{k} (N)T} - \sum_{k} (N)] + \sum_{k} (N) = \frac{1}{4} e^{-\sum_{k} (N)T} [1 + 2e^{-\sum_{k} (N)T} - \sum_{k} (N)] + \sum_{k} (N) = \frac{1}{4} e^{-\sum_{k} (N)T} - \sum_{k} (N) = \frac{1$ Dn = 3.5 x 10-6 eV (MKL - MKS) >0 cos (Ant) cos (Ant)

Frequency

comperable To

K, lifeTime (how would you necesure

CP violation in Kaon decays

-CP violation can occur through mixing:

[K-> = 1 [ 18-> +: 8 10+>)

With Lw devoling week interaction Legrangian
(05 = ±1) we write < \pii/12 lk+>

- CP violation CC osts occur at the decay:

< Till In IK-> i.e. Lw iTself breaks CP (Known)

as "direct" CP violation.

determine relative size of these contributions can use the observables:

700 = < 10 11 12 1 / 1/2> ツナー・ヘニ・ニーとの しんし

CP violaTion in Kaon decays If mixing is sole source of CP violation: Mos = 7+-

Note that the Keass decepting to two piens have either isospin o or 2. Amplitudes are:

< 1777 - ) Zw/K·> = A, e; 5, + A 2 e; 52

< 11-17 | (1) = A, e, o + A, e = 1/2

As, Az are CP - conserving strong interection matrix elements for pion 150/p. I chemied, \$0, \$2 are the CP-violating phases due to In In (assuming cP-violating In)

-> Physical decay rates prop. To I A, eiso + Azeise |2 => relative phase is relevent

CP violation in Krow decays (cont.)

 $\left(\frac{A_2}{A_o + A_c}\right) \left| \left( \mathcal{E}_2 - \mathcal{E}_o \right) \right|$ 

we gel: 7+-= E+E' Experiments (KIEV, NA48) have , 700 = E-2E confirmed that

 $\frac{\mathcal{E}'}{\mathcal{E}} \neq 0 \quad \mathcal{R}_{e} \left| \frac{\mathcal{E}'}{\mathcal{E}} \right| = 1.7 \times 10^{-3}$ 

-> E' smell relative to E

Messurements with 10 resons also have observed direct CP violation

Similar To K-K mixing but b quark ness >> s

- Theoretical uncertainties are reduced.

   much larger phase space climinates (essentially) The lifetime difference. Simplifies expressions...

   B decays are more CKA suppressed

With  $\Gamma_{\infty} \sim \Gamma_{+}$  , we'll devote the two states by "H" for hacvy, and "L" for light. Previous

oscillation probabilities become (NOW-relativistic B's):

 $P_{\tau} \left[ B^{\circ} \rightarrow B^{\circ} \right] = e^{-\Gamma \tau} \cos^{2} \left( \frac{\Delta \pi I}{2} \right)$ 

Pr[B°→5°] = |+|2° c [r s,~2 (2/1)

## B-B Mixing (cont.)

In our example (now-re), e.g. CLEO), it is difficult to massive time to elapsed since the B was in a poure Bo eigenstate. We start from:

etc - > x\* -> BB

-> relative angular momentum &=1

CP 105> = - 105>

imitial state 1815>=1 [18(K) B(-K)}- 18(-K) B(K)>

We can thou "Tay" the Flower of the B using son; - leptonic decay of one B (there are other ways To

By reconstructing decay vertex, we can determine prob.
of observing (for instance) sene-sign leptons us distance
i.e. versus Time

i.e. versus Time

Asymmetric B factories make this ession

B-B Mixing (in more detail)

1< FI HIB. > 12 = 15 EIHIB. (4)> 12

: 1 1<6 | B\_(+1) + < 6 | B\_+(+) > 12 cos Ant)

1<F1H10°7|2 = 1<F10°(t1)212

1 1 9 A e (-in- - FL/z)t - 9 A e (-in + - Fi+/z)t | 2 - 1- 12 12 FIBL(t)> + < FIBH(t)>12

B-B Mixing (in more detail, cont.)

Kerenber we have:

$$\rightarrow$$
 if  $A \neq \overline{A}$ 

1< PIHIN> > 12 + 12 FIHINS> 12 = 1/A/2 (e-fit + e-fit)

(E)

is due to 4 parameters in unitary CKA matrix.

Physics beyond SM could provide new contributions. By physics provides news opportunities of Testing SM.

Unitarity conditions -> 2; Vin Vin = form

W. Th 13d mesons, we have implied: M=6, ~=d which

Vud Vit + Vid Vit + Vid Vit = 0

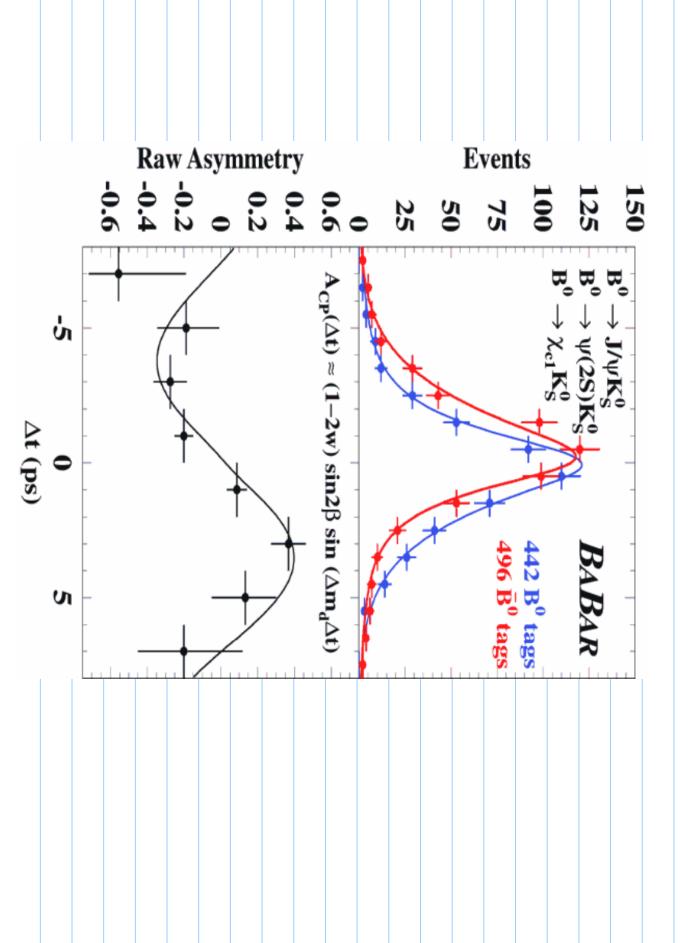
-> sun of 3 complex numbers verish complex plane

ソッカソッド RN P2A VTU VTE 13 = arz ( Vcd Vct ) 2 = 45 ( Va Va)

-Fit day time difference to dN ~ e-I(+) [1 ± FSc, (sin 20) sin (Ant)] 4 CP of Final state

- Deleraine @

Note that: But A(I, , I2) & sin 2 qcp A=N(0, +fc, 8, +F) - N(0, +f, 18, +F) = 0 502



Other sources of CP violation

CP violation due To CKM natrix is Too snall To explain observed natter andi-natter asymmetry in the Universe.

Are there other potential sources of CP violation

Yes : - Strang CP violation (very - lepton sector small if it exists) (next lecture)

Physics beyond SM could also contribute

Musi general revora. Lagrangian involving SA fields includes: 265 = -1 6x 6xm -1 Wx Wxm - 1 Bubar

- 33 B3 Enny Crun Cays similar bons for W, B

-> this Term is offerlisely a Total derivative and would be expected to have no physical implications

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Tern deternined by charge in charge ) d3xK° = Ncs

Axious are Charge in drarge need not be zero in a vacum
To vacum process -> aco vacum Topologically mon-trivial a potential solution ( need To add scalar field)

