

# FISICA ADRONICA AL TEVATRON (..e in generale ad una macchina adronica)

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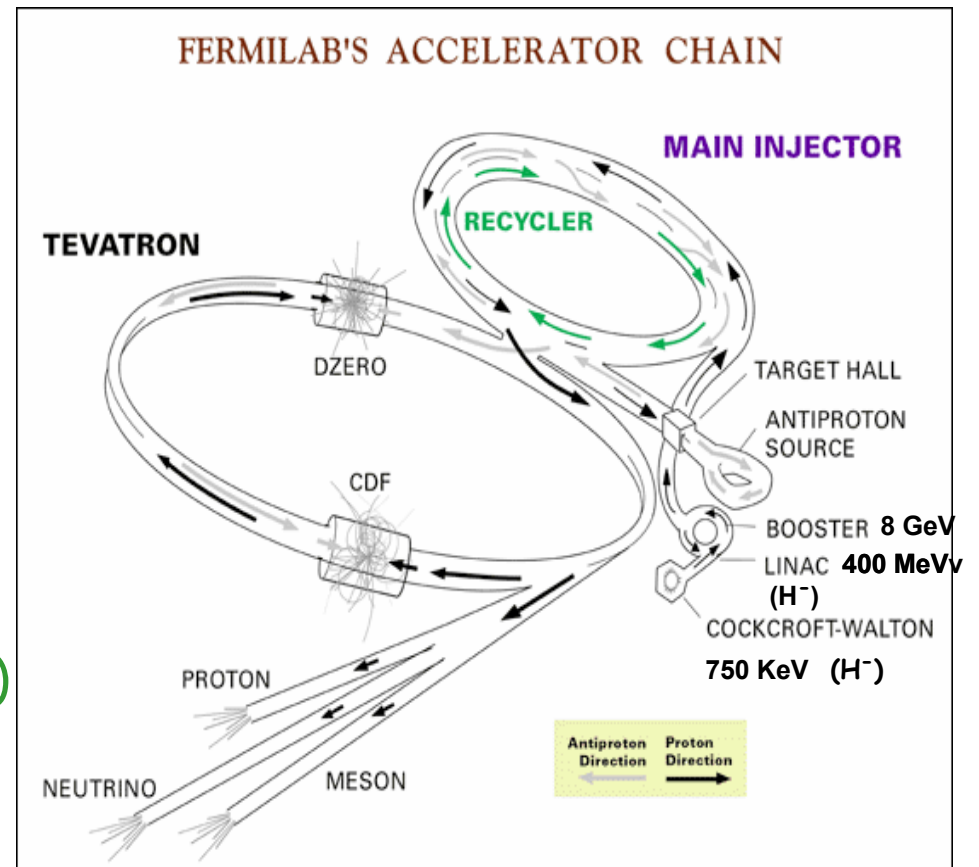
Lezioni Dottorato 2005

## Lezione 1:

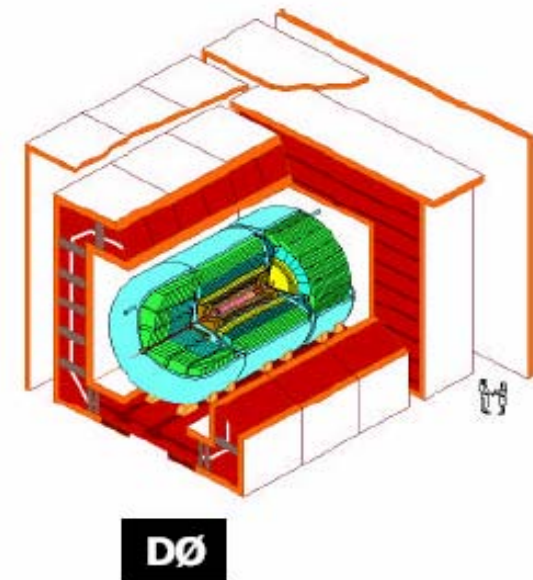
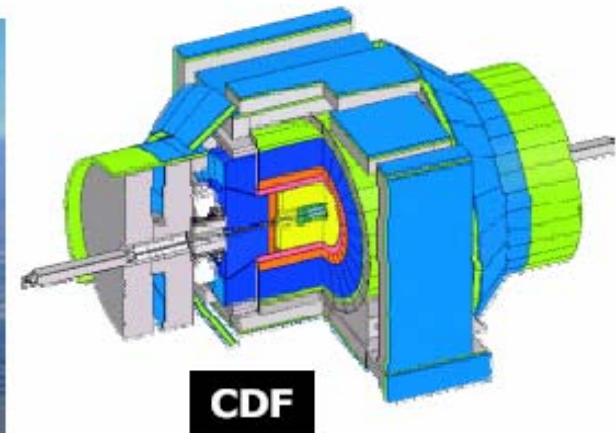
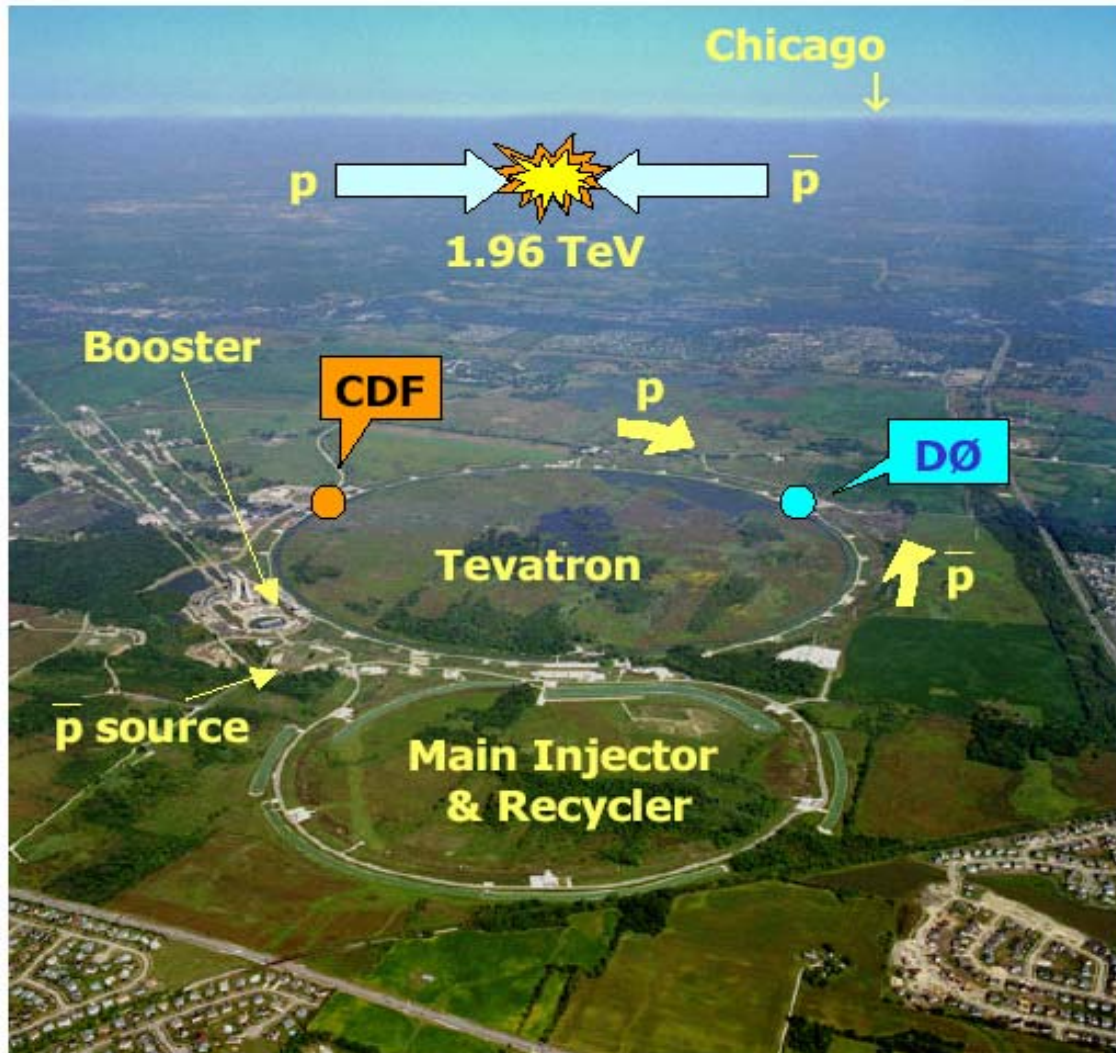
- ❖ Il Tevatron
- ❖ Highlights del programma di fisica
- ❖ Problematiche QCD - PDF
- ❖ Fisica dei Jet

# Tevatron

- proton-antiproton collisions  
 $\sqrt{s} = 1.96 \text{ TeV}$  (Run I  $\rightarrow$  1.8 TeV)
- ~6.3 Km circumference
- Superconducting magnets - since 1983
- 36 bunches (396 ns crossing time)
- Main injector (new in Run II - 2001)  
(150 GeV proton storage ring)
- antiproton recycler (still commissioning)
  - Electron cooling **NEW**
  - 40% increase in Luminosity



# Acceleratore

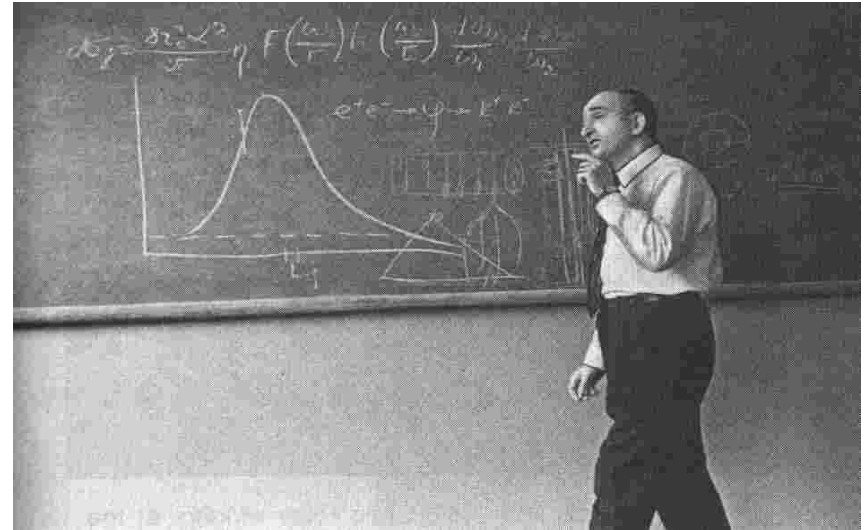


## The Recycler & e-cooling

- The Recycler is a fixed-energy storage ring placed in the Main Injector tunnel. The purpose of the Recycler is to **further increase the luminosity of the Tevatron Collider** over the luminosity goals of the Main Injector by itself.
- The Recycler is just a ring of steel cases holding bricks of **permanent magnets** (*magnetized strontium ferrite: the same material used in refrigerator magnets*).
- The Recycler will function as a **post-Accumulator ring**. As the stack size in the Accumulator ring increases, there comes a point when the stacking rate starts to decrease. By emptying the contents of the Accumulator into the Recycler periodically, the Accumulator is always operating in its optimum antiproton intensity regime.
- In the Recycler antiprotons will be cooled both **by stochastic and e-cooling**.
- Originally the Recycler was supposed to act as a receptacle for antiprotons left over at the end of Tevatron stores (origin of his name)→I believe this feature has been dropped from the project

# Electron cooling

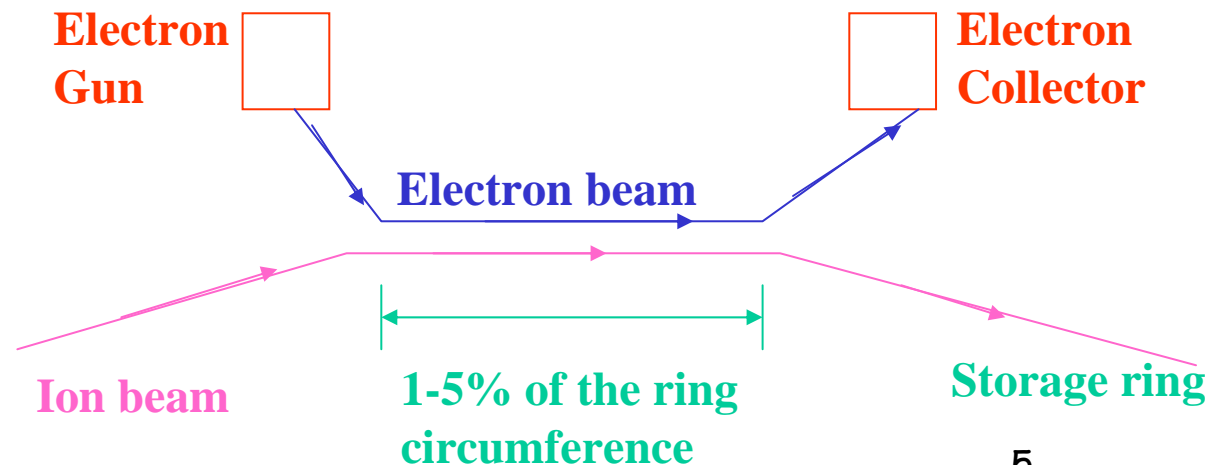
- Was invented by G.I. Budker (INP, Novosibirsk) as a way to increase luminosity of p-p and p-pbar colliders.
- First mentioned at Symp. Intern. sur les anneaux de collisions á electrons et positrons, Saclay, 1966: "Status report of works on storage rings at Novosibirsk"



## How does electron cooling work?

The velocity of the electrons is made equal to the average velocity of the ions.

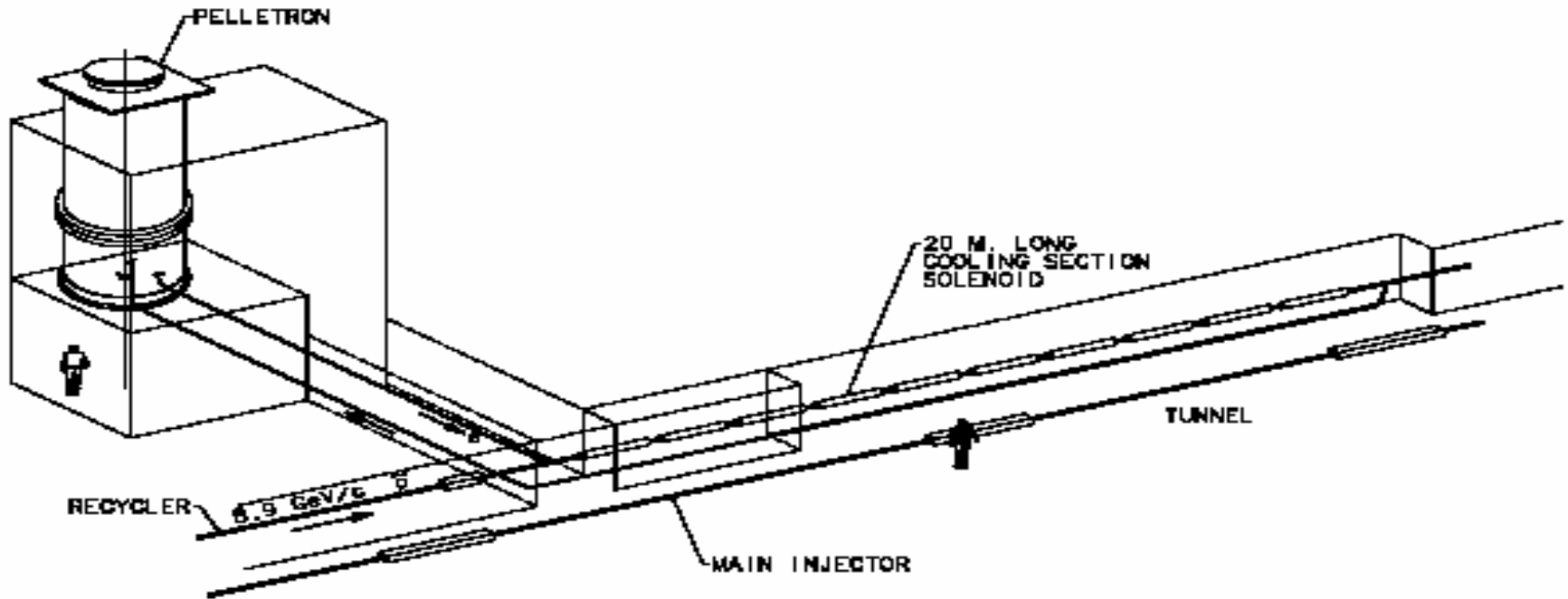
The ions undergo Coulomb scattering in the electron "gas" and lose energy, which is transferred from the ions to the co-streaming electrons until some thermal equilibrium is attained.



# e-cooling

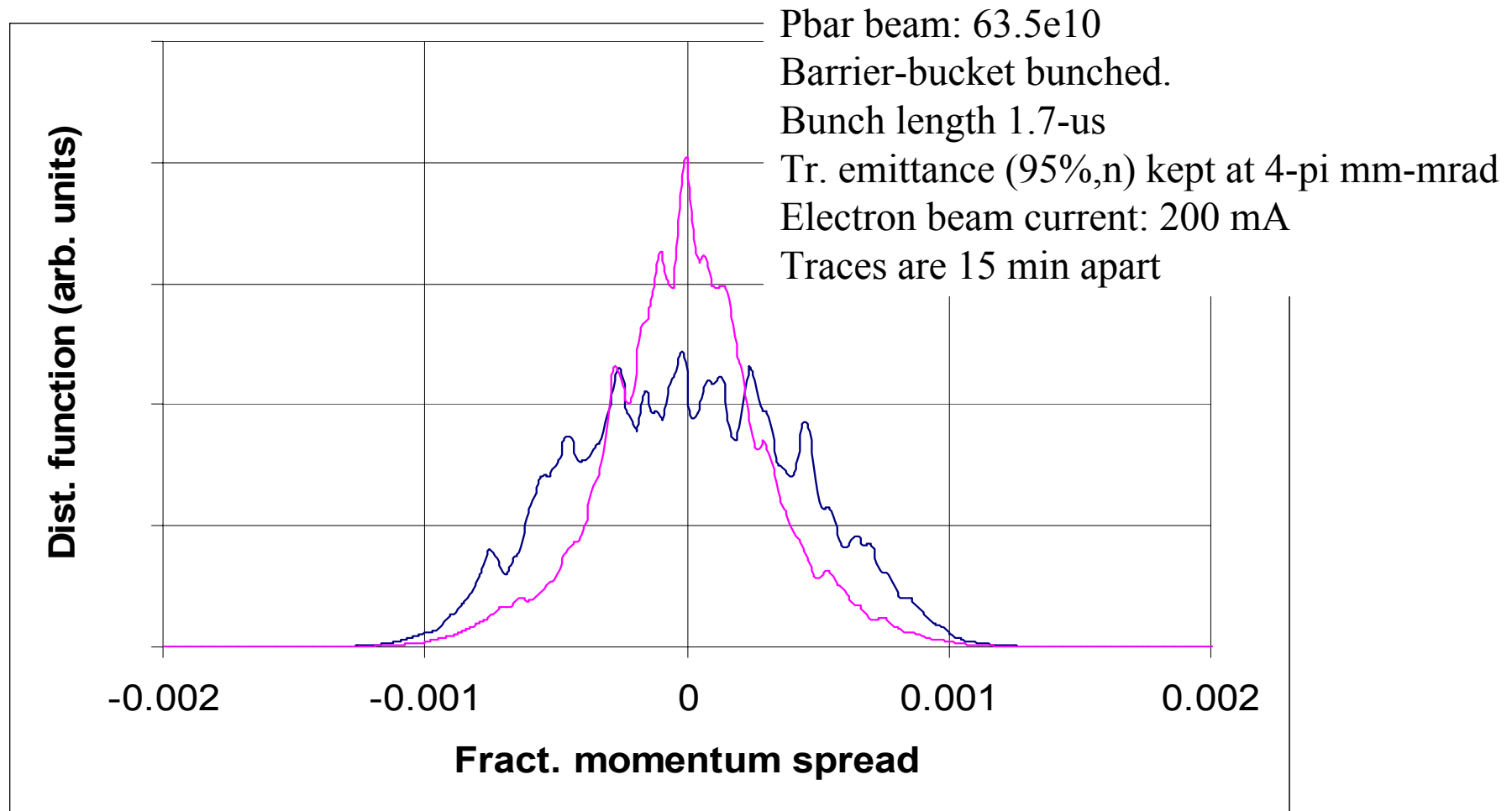
Never implemented at high energy! R&D project at Fermilab in the last years: result and success was far from obvious!!

## Schematic Layout of the Fermilab Electron Cooling:



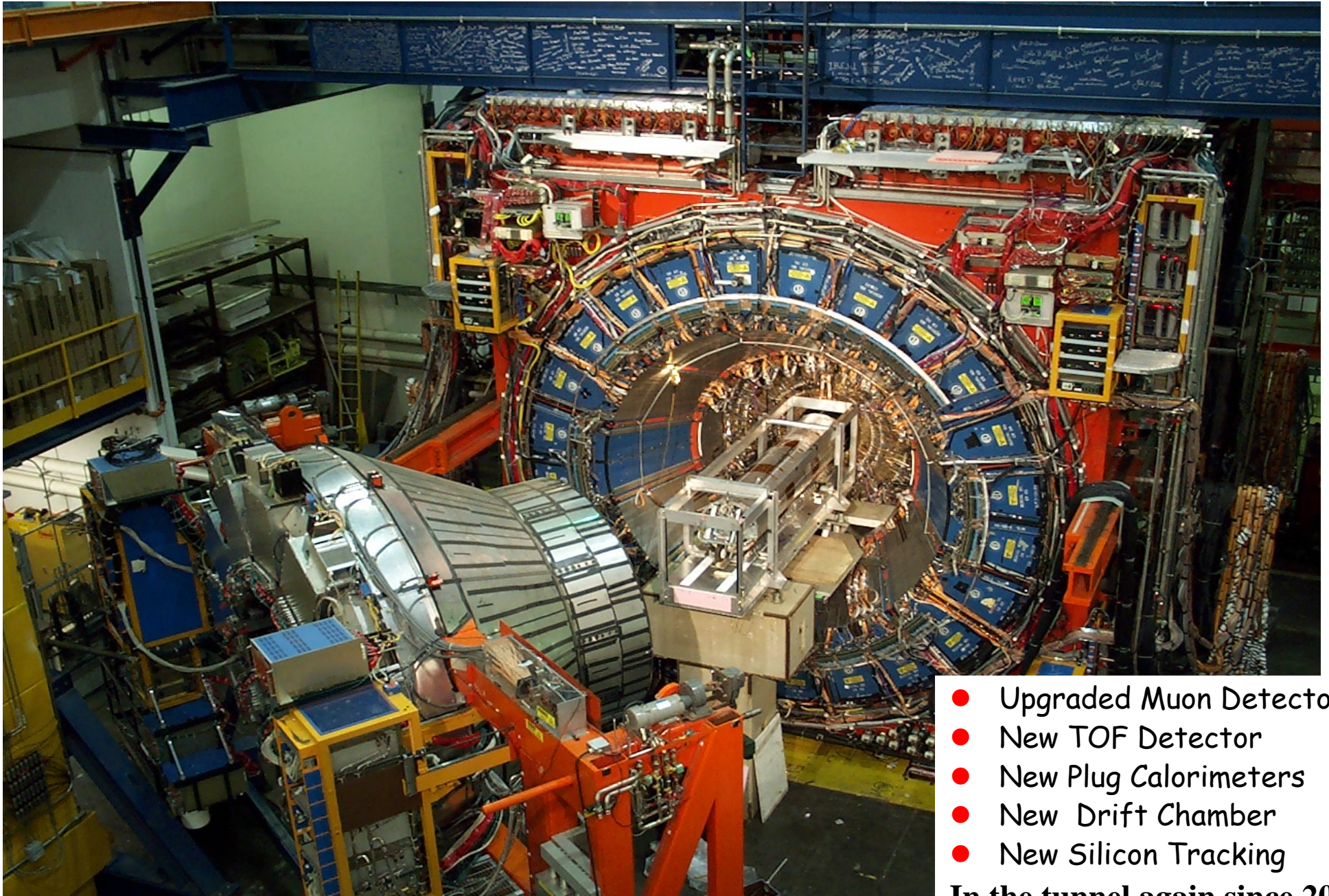
It should significantly increase the number of antiprotons stored in the Recycler and improve the antiproton production rate in the Accumulator

# First e-cooling demonstration - 07/15/05



Since August e-cooling is routinely working in the Recycler

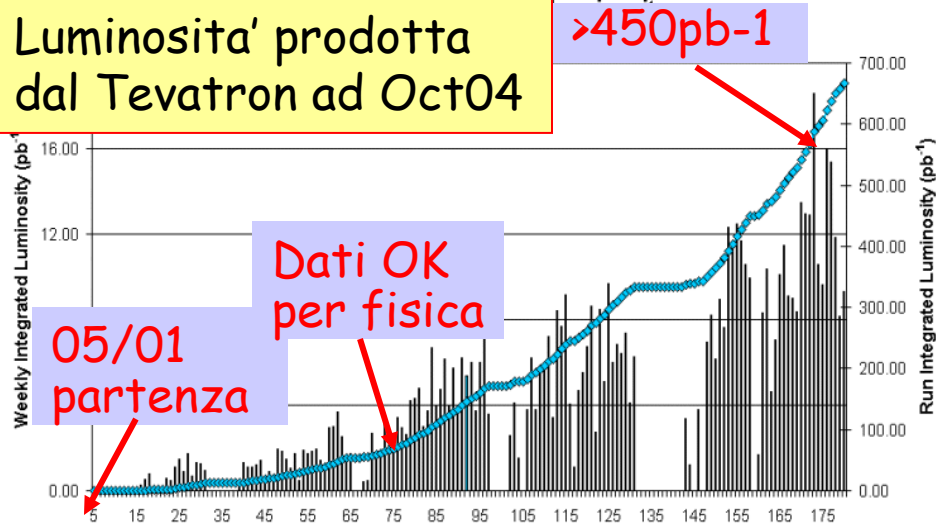
# CDF Detector



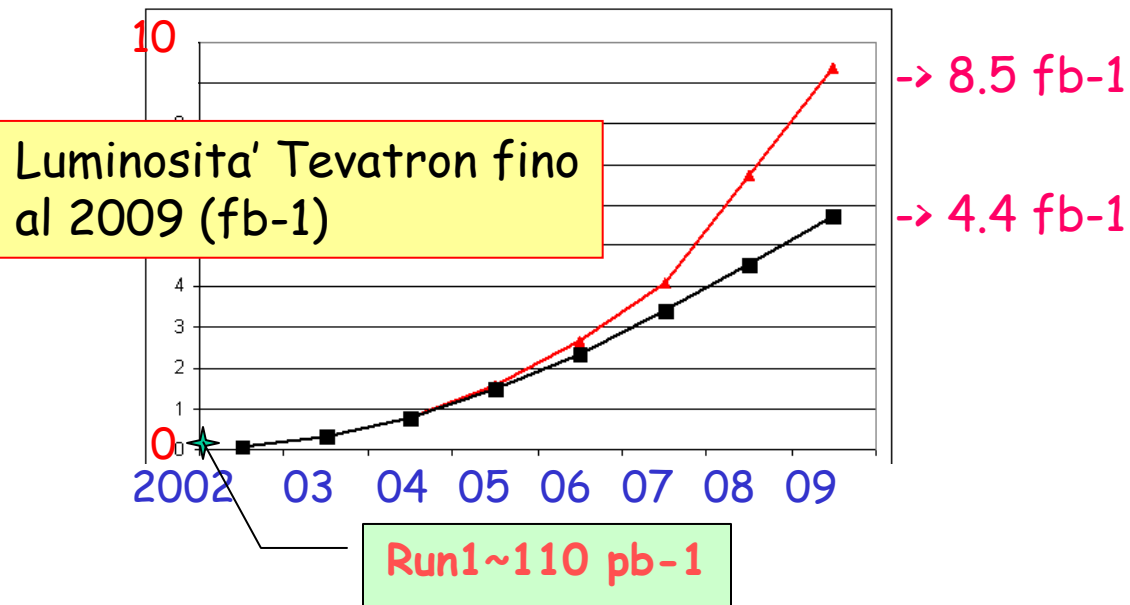
- Upgraded Muon Detectors
  - New TOF Detector
  - New Plug Calorimeters
  - New Drift Chamber
  - New Silicon Tracking
- In the tunnel again since 2001**



# IL RUN 2 DI CDF



- Run1: 1.8Tev ~110 pb<sup>-1</sup>  
max  $L \sim 2 \times 10^{31} \text{ cm}^{-2} \text{ s}^{-1}$
- Run2: 1.96Tev (+30% top !)  
goal  $L \sim 2-4 \times 10^{32} \text{ cm}^{-2} \text{ s}^{-1}$   
oggi  $L \sim 1.8 \times 10^{32} \text{ cm}^{-2} \text{ s}^{-1}$   
➤ Miglior SVX, calor., muon, + SVT
- Run2 fino a quando parte LHC



# Il programma di Fisica

- Misure di precisione: test dello SM
  - Fisica EW con W/Z e dibosons (e.g.  $\delta M_W \sim 30 \text{ MeV}$ )
  - Studio delle **proprietà' del top** (e.g.  $\delta M_{\text{top}} \sim 2-3 \text{ GeV}$ , sezione d'urto  $\sim 8\%$ )
  - Vincoli a SM Higgs da massa top e massa W
  - Struttura dei quark (QCD jet)
- Ricerca diretta di **SM Higgs**
- Ricerca di nuova fisica
- Fisica del **beauty e charm**
  - Produzione, Vite Medie, Asimmetrie di CP, **Bs Mixing**,  $D^0$  mixing, Decadimenti Rari (B,D)

# Run II Physics Program

**15 fb<sup>-1</sup>**

- 5 $\sigma$  Higgs signal @  $m_H = 115$  GeV
- 3 $\sigma$  Higgs signal @  $m_H = 115-135, 150-175$  GeV
- Reach ultimate precision for top, W, B physics

**10 fb<sup>-1</sup>**

- 3 $\sigma$  Higgs signal @  $m_H = 115-125, 155-170$  GeV
- Exclude Higgs over whole range of 115-180 GeV
- Possible discovery of supersymmetry in a larger fraction of parameter space

**5 fb<sup>-1</sup>**

- 3 $\sigma$  Higgs signal @  $m_H = 115$  GeV
- Exclude SM Higgs 115-130, 155-170 GeV
- Exclude much of SUSY Higgs parameter space
- Possible discovery of supersymmetry in a significant fraction of minimal SUSY parameter space (the source of cosmic dark matter?)

**2 fb<sup>-1</sup>**

- Measure top mass  $\pm 3$  GeV and W mass  $\pm 25$  MeV
- Directly exclude  $m_H = 115$  GeV
- Significant SUSY and SUSY Higgs searches
- Probe extra dimensions at the 2 TeV ( $10^{-19}$  m) scale
- B physics: constrain the CKM matrix

**300 pb<sup>-1</sup>**

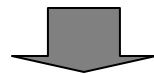
- Improved top mass measurement
- High  $p_T$  jets constrain proton structure
- Start to explore  $B_s$  mixing and B physics
- SUSY Higgs search @ large  $\tan \beta$
- Searches beyond Run I sensitivity

# Scattering at Hadron Colliders

Scattering processes at high energy hadron colliders can be classified as either **HARD** or **SOFT**

Quantum Chromodynamics (QCD) is the underlying theory for **all** such processes, but the approach (and the level of understanding) is very different for the two cases

For **HARD** processes, e.g.  $W$  or high- $E_T$  jet production, the rates and event properties can be predicted with some precision using **perturbation theory**

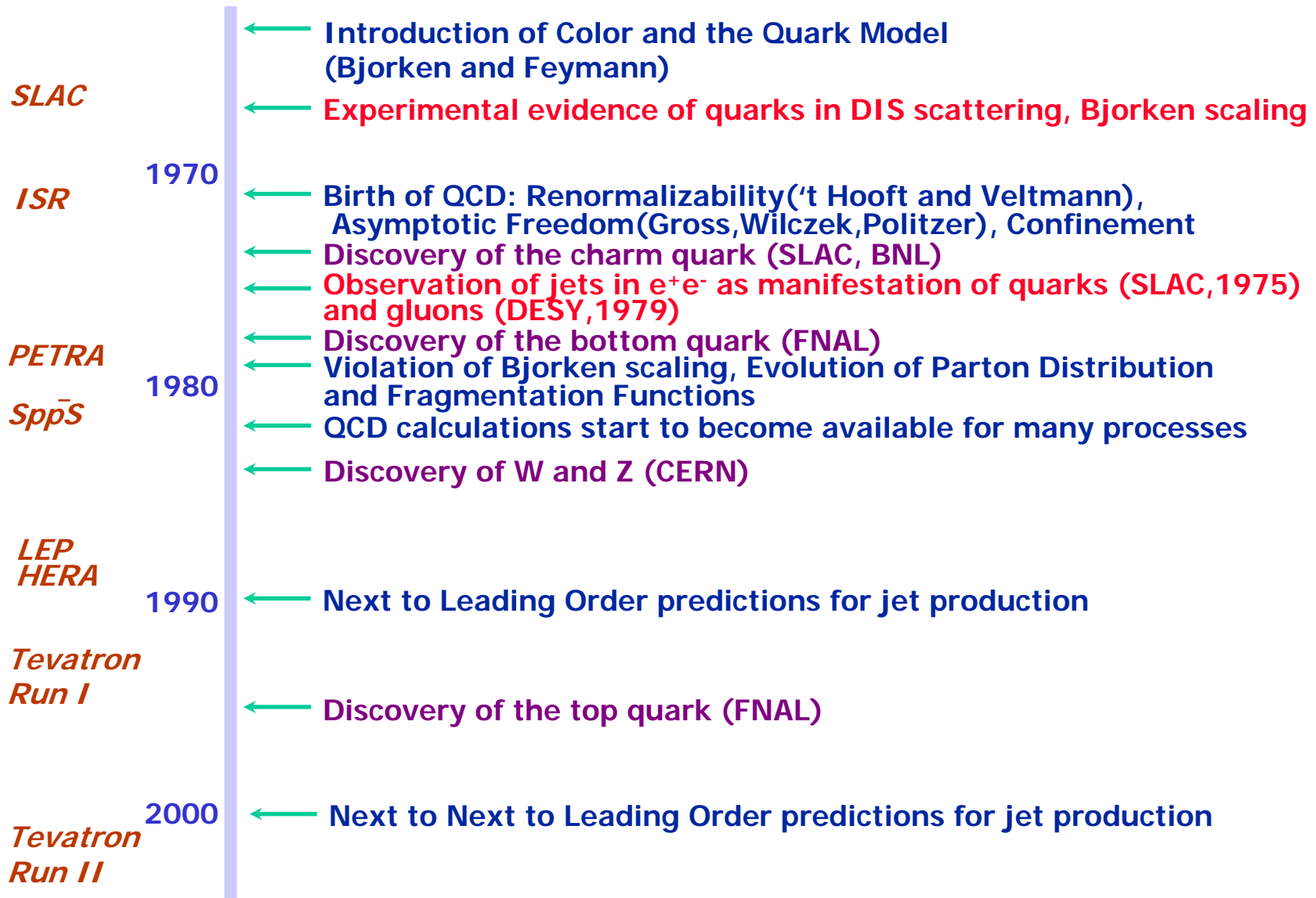


**Calculate, Predict & Test**

For **SOFT** processes, e.g. the total cross section or diffractive processes, the rates and properties are dominated by **non-perturbative** QCD effects

*Note: in these lectures, I'll concentrate mainly on the HARD processes  
But soft physics effects will surround us...*

# Timeline



# QCD Lagrangian

- QCD is a gauge theory describing fermions (quarks) which carry charge (color) and interact through the exchange of vector bosons (gluons)
- The statement that QCD is a gauge theory based on the group  $SU(3)$  with colour triplet quark matter fields fixes the QCD lagrangian density to be

$$\mathcal{L} = -\frac{1}{4} \sum_{A=1}^8 F^{A\mu\nu} F_{\mu\nu}^A + \sum_{j=1}^{n_f} \bar{q}_j (i\not{D} - m_j) q_j$$

Here:  $q_j$  are the quark fields (of  $n_f$  different flavours) with mass  $m_j$   
 $\not{D} = D_\mu \gamma^\mu$ ,  $\gamma^\mu$  are the Dirac matrices  
 $D_\mu$  is the covariant derivative:

$$D_\mu = \partial_\mu - ie_s \mathfrak{g}_\mu$$

$\mathfrak{g}_\mu = \sum_A t^A g_\mu^A$  where  $g_\mu^A$ ,  $A = 1, 8$ , are the gluon fields

In QCD:

$$F_{\mu\nu}^A = \partial_\mu g_\nu^A - \partial_\nu g_\mu^A - e_s C_{ABC} g_\mu^B g_\nu^C$$

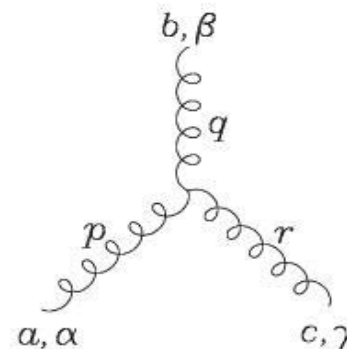
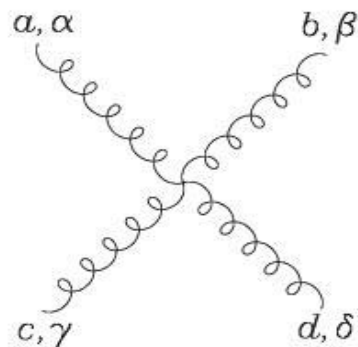
- In QCD the **gluons are coloured** hence **self-coupled**:
  - in QCD  $F_{\mu\nu}$  is quadratic in the gauge field

In QED:

$$F_{\mu\nu} = \partial_\mu A_\nu - \partial_\nu A_\mu$$

- In QED the **photon** is coupled to all electrically charged particles but **itself is neutral**:
  - This is reflected in the fact that in QED  $F_{\mu\nu}$  is linear in the gauge field

- Physical vertices in QCD include  $g$ - $q$ - $q$ bar vertex, analogous to the QED photon-fermion-antifermion coupling
  - **But** there are also the **3-gluon** and **4-gluon** vertices



# QCD - $\alpha_s$

- Interesting features:
  - gluons are themselves colored
  - interactions are strong
  - coupling constant runs rapidly
    - ☞ becomes *weak* at  $q$ =momentum transfers above a few GeV

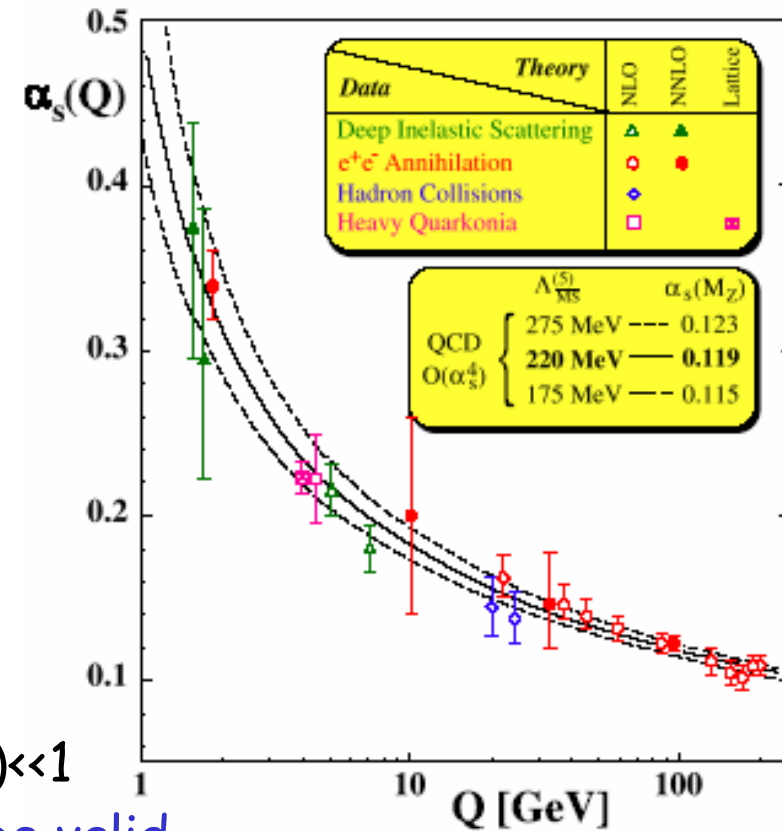
$$\alpha_s(q^2) = \frac{12\pi}{(33 - 2n_f) \ln q^2 / \Lambda^2}$$

- ☞ The existence of a regime in which  $\alpha_s(q^2) \ll 1$ 
  - ➔ here QCD perturbation theory should be valid

*asymptotic freedom*

*at very short distances quarks behave almost as free particles within hadrons*

- ☞ At large distances  $\alpha_s$  grows ➔ related to confinement





# QCD at Hadron Colliders

- In hadronic collisions, *all phenomena are QCD-related*
- Both beam and target have a *non-trivial partonic structure*: dynamics is more complex than i.e.  $e^+e^-$
- Collider physics historically was and is “primarily” *discovery physics*: *knowledge of QCD is essential both for the estimate of the expected signals, and for the evaluation of the backgrounds*

## QCD is:

- an *essential and established part* of the toolkit for discovering physics beyond the standard model, e.g. at Tevatron and LHC
- a gauge field theory with a very rich structure, *much of which is not yet fully understood in a quantitative way*

## *Yesterday:*

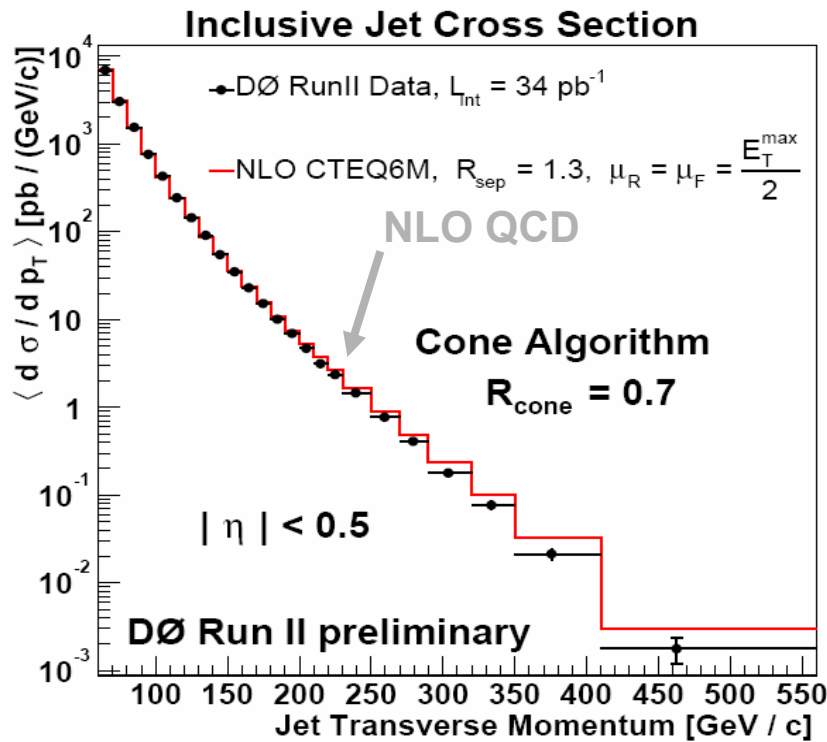
- precision physics: measurements of the  $W$  mass and of the properties of  $b$ -hadrons etc...but *NOT QCD*

## *Today:*

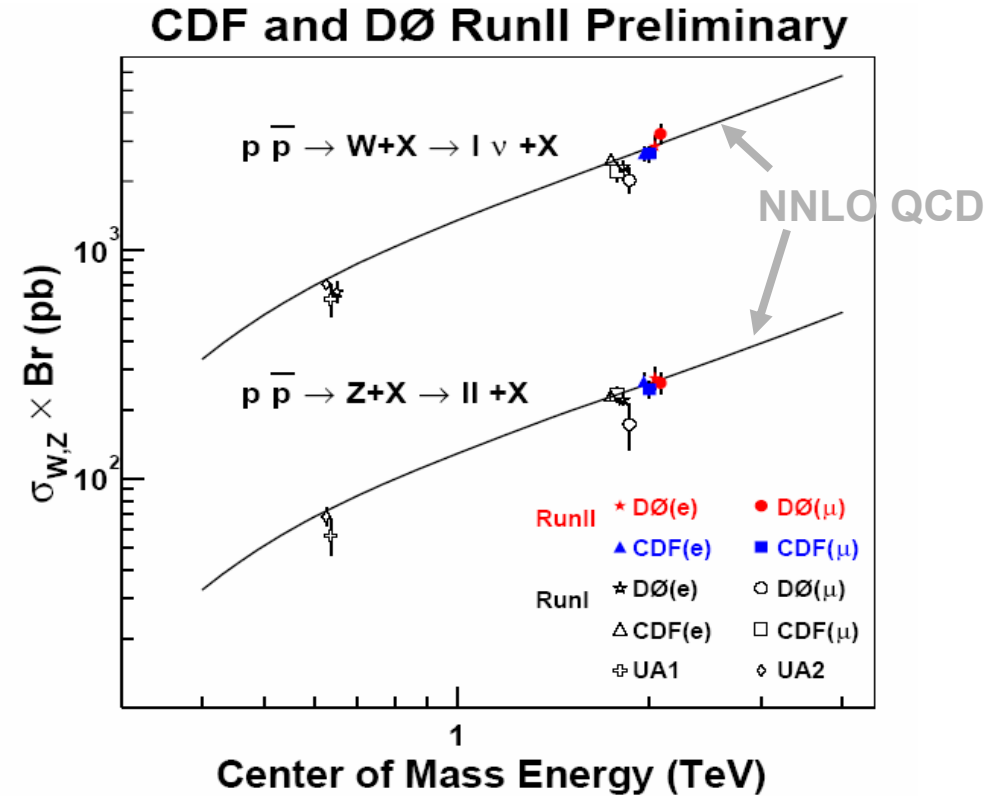
- for 'hard' processes (i.e. suitably inclusive, with at least one large momentum transfer scale), QCD is a *precision tool* - calculations and phenomenology *aiming at the per-cent level*

# examples of 'precision' phenomenology

## jet production



## W, Z production



# Theoretical predictions at Hadron Colliders

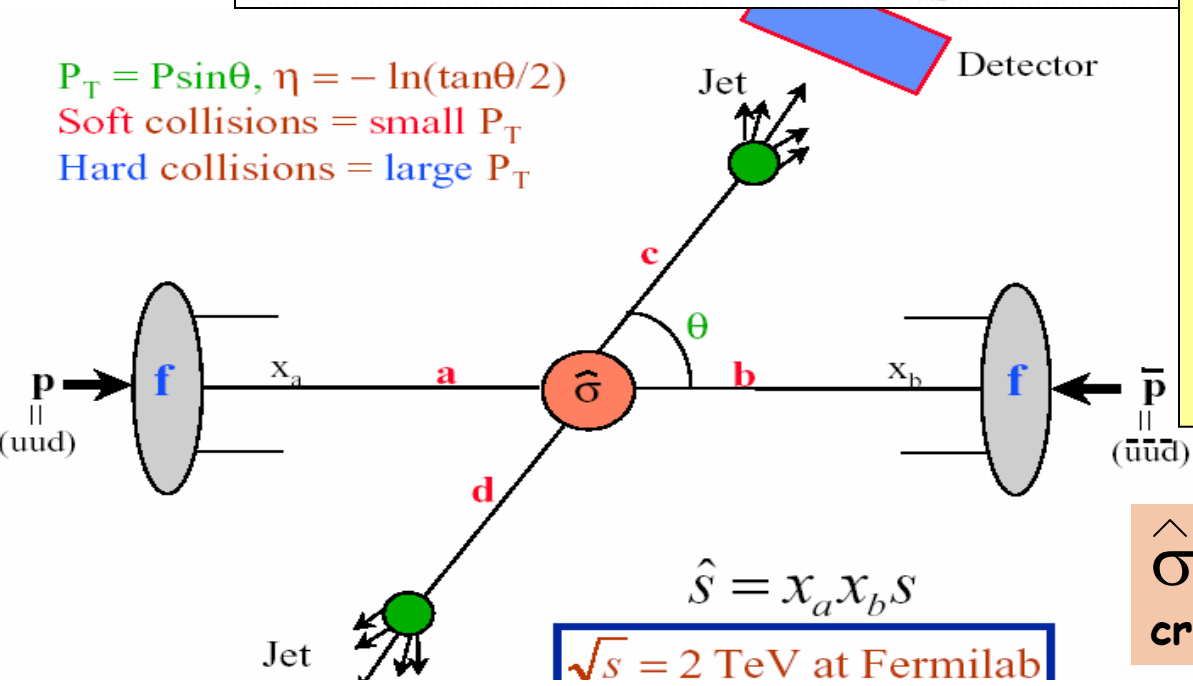
- The **key ingredients for the calculation** of production rates and distributions in hadronic collisions are:
  - the **matrix elements** for the hard, partonic process (e.g.,  $gg \rightarrow gg$ ;  $gg \rightarrow b \bar{b}$ ;  $q \bar{q}' \rightarrow W$ )
  - the **hadronic parton densities**.
- Then the **production rate for a given final state H** is given by a **factorization formula**:

$$d\sigma(pp \rightarrow H + X) = \int dx_1 dx_2 \sum_{i,j} f_i(x_1, Q) f_j(x_2, Q) d\hat{\sigma}(ij \rightarrow H)$$

$P_T = P \sin\theta$ ,  $\eta = -\ln(\tan\theta/2)$   
 Soft collisions = small  $P_T$   
 Hard collisions = large  $P_T$

$f_i = f_{a/A}(x_a, \mu_F)$ : Parton Momentum Distributions (PDF) - probability to find parton of type **a** in hadron **A** with momentum fraction  $x_a$   
 $\mu_F$ : "factorization scale" of interaction - usually is  $\sqrt{s}$  momentum transfer

$\hat{\sigma}$  : partonic level cross section



# At Hadron Colliders

The QCD **factorization theorem** for hard-scattering (short-distance) inclusive processes

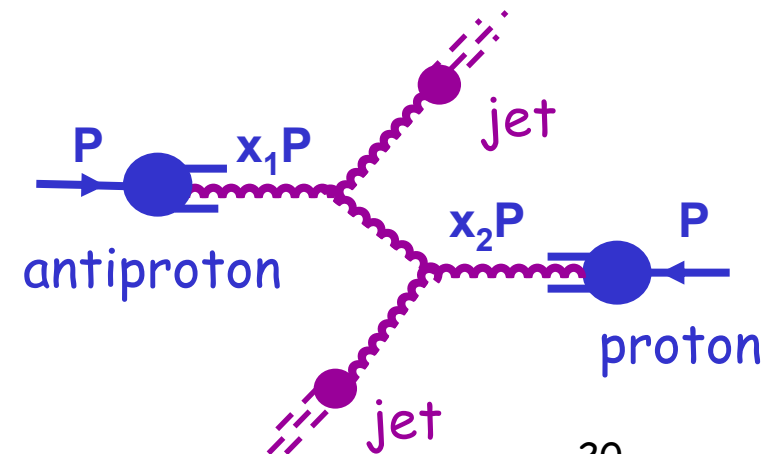
$$\sigma_X = \sum_{a,b} \int_0^1 dx_1 dx_2 f_a(x_1, \mu_F^2) f_b(x_2, \mu_F^2) \times \hat{\sigma}_{ab \rightarrow X} \left( x_1, x_2, \{P_i^\mu\}; \alpha_S(\mu_R^2), \alpha(\mu_R^2), \frac{Q^2}{\mu_R^2}, \frac{Q^2}{\mu_F^2} \right)$$

where  $X=W, Z, H, \text{high-}E_T \text{ jets, SUSY sparticles, black hole, } \dots$ , and  $Q$  is the 'hard scale' (e.g.  $= M_X$ ), usually  $\mu_F = \mu_R = Q$ , and  $\sigma$  is known ...

- to some fixed order in pQCD, e.g.

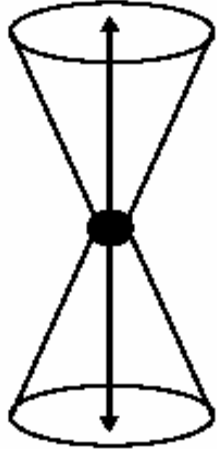
$$\hat{\sigma} = A\alpha_S^2 + B\alpha_S^3$$

- or in some leading logarithm approximation (LL, NLL, ...) to all orders via resummation



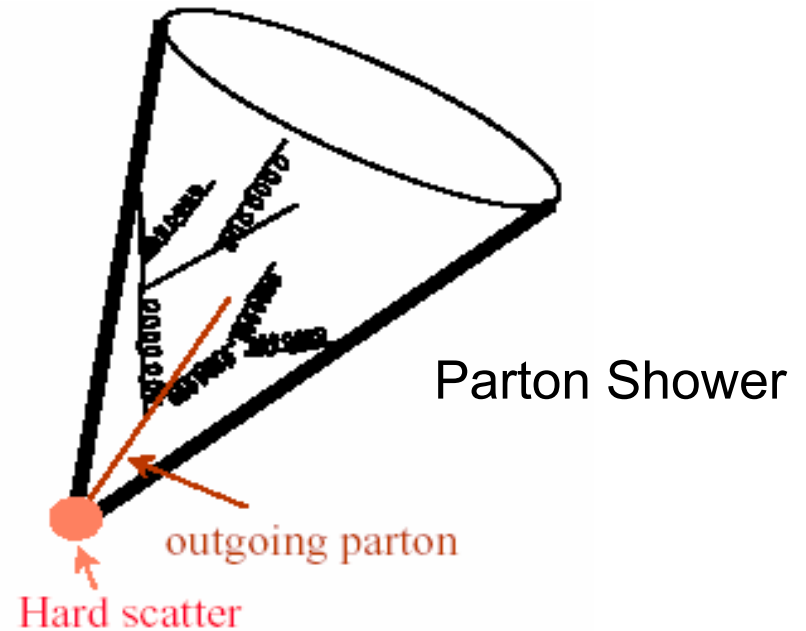
# From Partons to Jets

Leading Order Theory  
Uses  $2 \rightarrow 2$  matrix elements



Only two jets in final state  
Only one parton/jet

Leading Log Approximation (LLA):  
sum leading contributions to all  
orders (from  $\sim$ collinear radiation of  
quarks and gluons around original parton)

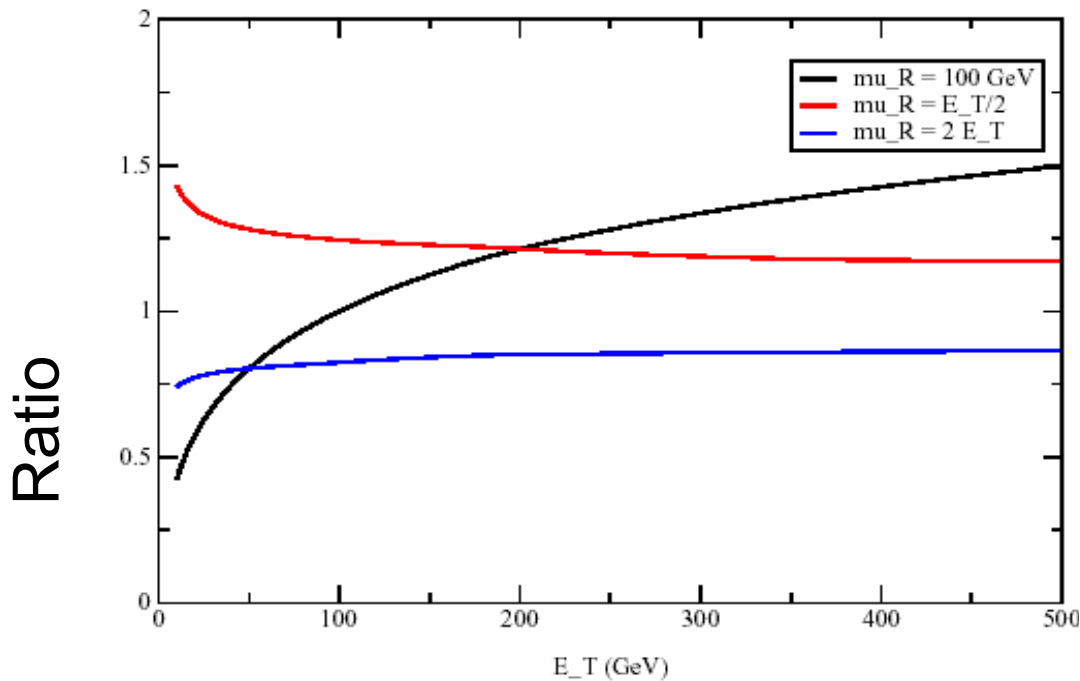


## Digression on the scales $\mu_F$ and $\mu_R$

- $\mu_F$  and  $\mu_R$  are artifacts of working at fixed order in perturbation theory.
  - The predictions should not depend on the choice of scales (Data doesn't!)
- The renormalization scale  $\mu_R$  shows up in the strong coupling constant because it is introduced when the bare fields are redefined in terms of the physical fields
- The factorization scale  $\mu_F$  is introduced when absorbing the divergence from collinear radiation into the PDFs
- Can choose any value for  $\mu_F$  and  $\mu_R$ 
  - Typical choice  $\mu_F = \mu_R \sim E_T/2$  of the jets
  - Usually study predictions with range  $\mu = E_T/4$  to  $2E_T$
- Dependence of predictions on scale
  - indicates potential size of higher order contributions
  - should get smaller as higher order terms are included

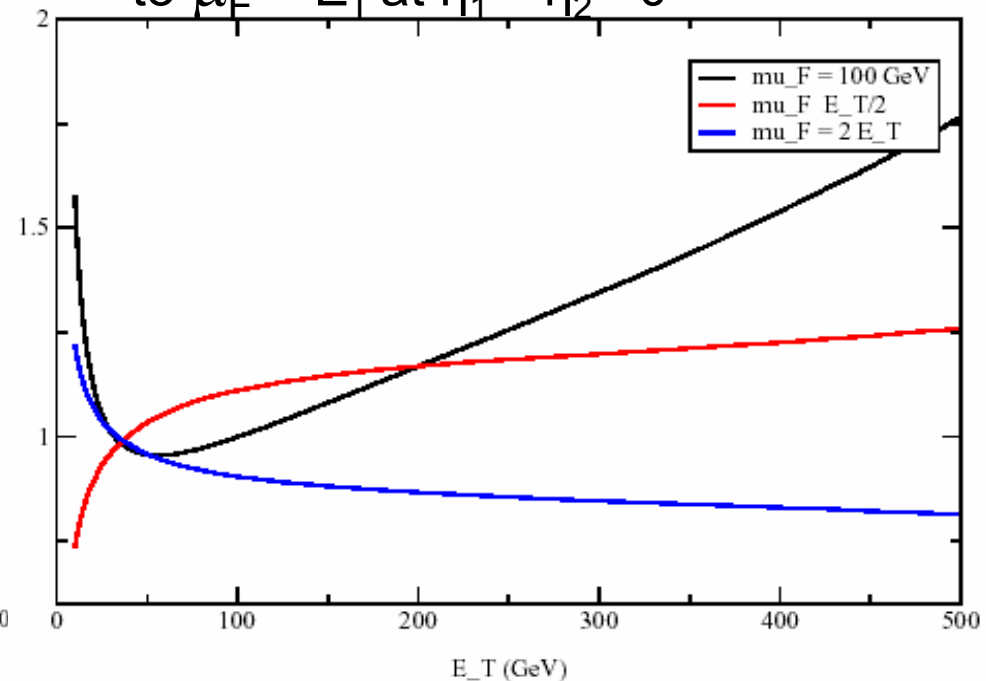
## Digression on the scales $\mu_F$ and $\mu_R$ cont.

$\alpha_s^2$  for different  $\mu_R$   
compared to  $\mu_R = E_T$



$$x_1 f_i(x_1, \mu_F) x_2 f_j(x_2, \mu_F)$$

for different  $\mu_F$  compared  
to  $\mu_F = E_T$  at  $\eta_1 = \eta_2 = 0$



Dependence of LO on choice of scales flat at  $\sim 10\%$  level for  $\mu = E_T/2$   
but normalization uncertain at  $\sim \pm 50\%$  level

# pdfs from global fits

## Formalism

NLO DGLAP  
MSbar factorisation  
 $Q_0^2$   
functional form @  $Q_0^2$   
etc.

## Data

DIS (SLAC, BCDMS, NMC, E665,  
CCFR, H1, ZEUS, ... )  
Drell-Yan (E605, E772, E866, ...)  
High  $E_T$  jets (CDF, D0)  
W rapidity asymmetry (CDF)  
 $\nu N$  dimuon (CCFR, NuTeV)  
etc.


$$f_i(x, Q^2) \pm \delta f_i(x, Q^2)$$

$$\alpha_s(M_Z)$$

## Who?

Alekhin, CTEQ, MRST,  
GKK, Botje, H1, ZEUS,  
GRV, BFP, ...

<http://durpdg.dur.ac.uk/hepdata/pdf.html>





typical data  
ingredients of a  
global pdf fit

H1, ZEUS  $F_2^{e^+p}(x, Q^2), F_2^{e^-p}(x, Q^2)$

BCDMS  $F_2^{\mu p}(x, Q^2), F_2^{\mu d}(x, Q^2)$

NMC  $F_2^{\mu p}(x, Q^2), F_2^{\mu d}(x, Q^2), (F_2^{\mu n}(x, Q^2)/F_2^{\mu p}(x, Q^2))$

SLAC  $F_2^{\mu p}(x, Q^2), F_2^{\mu d}(x, Q^2)$

E665  $F_2^{\mu p}(x, Q^2), F_2^{\mu d}(x, Q^2)$

CCFR  $F_2^{\nu(\bar{\nu})p}(x, Q^2), F_3^{\nu(\bar{\nu})p}(x, Q^2)$

→  $q, \bar{q}$  at all  $x$  and  $g$  at medium, small  $x$

H1, ZEUS  $F_{2,c}^{e^+p}(x, Q^2) \rightarrow c$

E605, E772, E866 Drell-Yan  $pN \rightarrow \mu\bar{\mu} + X \rightarrow \bar{q}(g)$

E866 Drell-Yan p,n asymmetry →  $\bar{u}, \bar{d}$

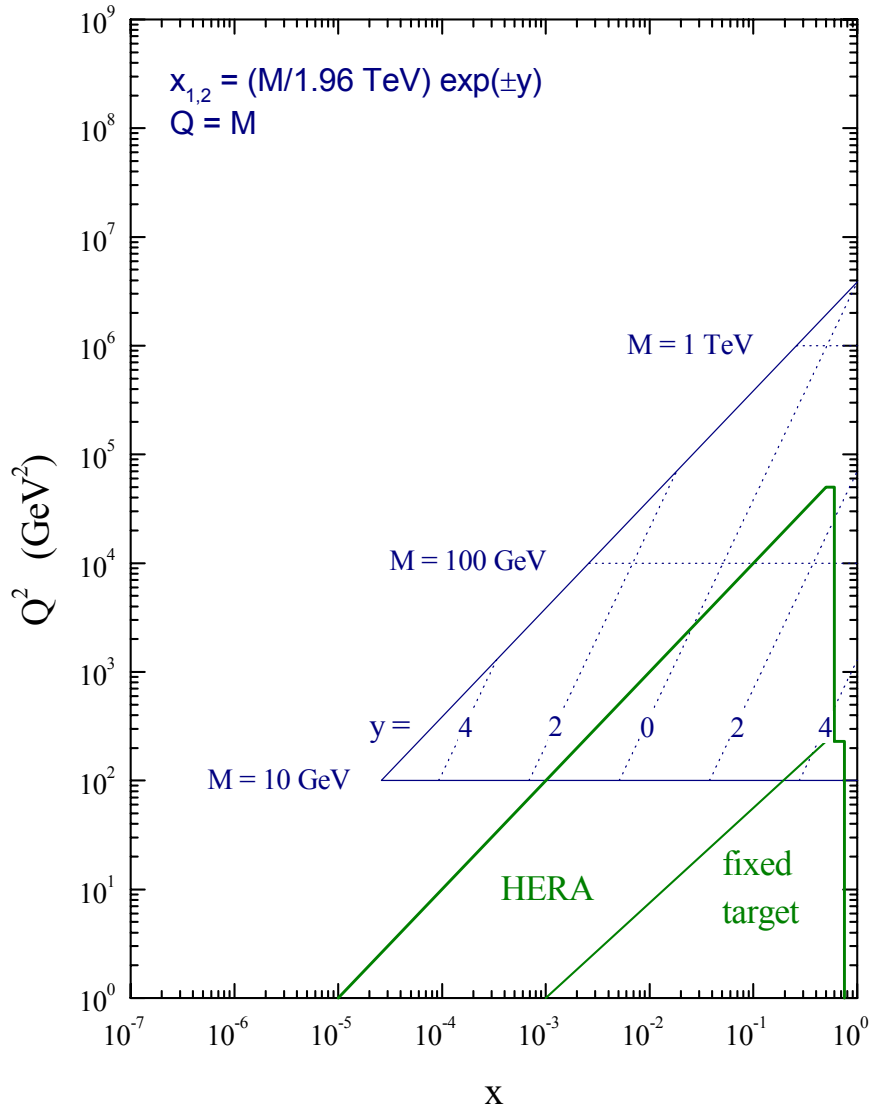
CDF W rapidity asymmetry →  $u/d$  ratio at high  $x$

CDF, D0 Inclusive jet data →  $g$  at high  $x$

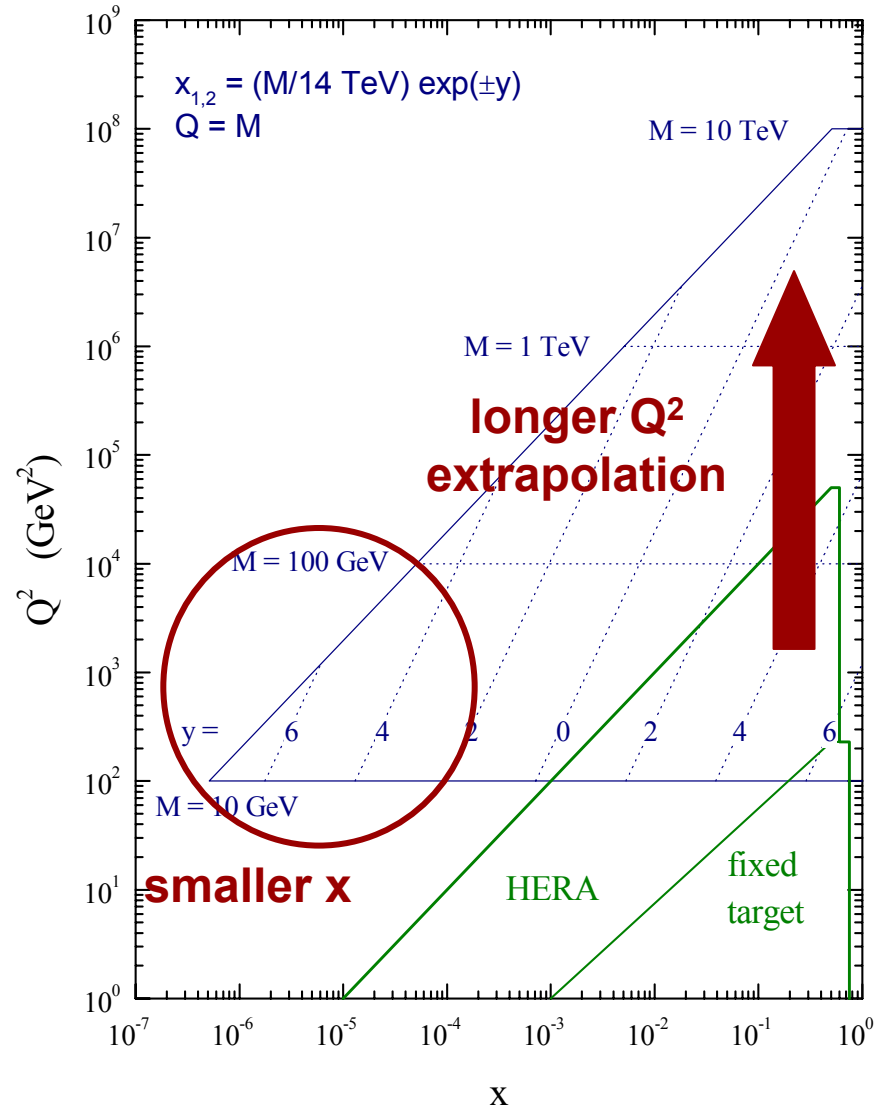
CCFR, NuTeV Dimuon data constrains strange sea  $s, \bar{s}$

**Note:** nowadays, no prompt photon data included in fits

### Tevatron parton kinematics



### LHC parton kinematics



## why do 'best fit' pdfs and errors differ?

- different data sets in fit
  - different subselection of data
  - different treatment of exp. sys. errors
- different choice of
  - tolerance to define  $\pm \delta f_i$  (CTEQ:  $\Delta\chi^2=100$ , Alekhin:  $\Delta\chi^2=1$ )
  - factorisation/renormalisation scheme/scale
  - $Q_0^2$
  - parametric form  $Ax^a(1-x)^b[..]$  etc
  - $\alpha_s$
  - treatment of heavy flavours
  - theoretical assumptions about  $x \rightarrow 0,1$  behaviour
  - theoretical assumptions about sea flavour symmetry
  - evolution and cross section codes (removable differences!)

# pdfs at LHC

- high precision (SM and BSM) cross section predictions require precision pdfs:  $\delta\sigma_{\text{th}} = \delta\sigma_{\text{pdf}} + \dots$
- 'standard candle' processes (e.g.  $\sigma_Z$ ) to
  - check formalism
  - measure machine luminosity?
- learning more about pdfs from LHC measurements (e.g. high- $E_T$  jets  $\rightarrow$  gluon.)

# $\sigma$ : status of pQCD calculations

fixed order:  $d\sigma = A \alpha_s^N [1 + C_1 \alpha_s + C_2 \alpha_s^2 + \dots]$

thus LO, NLO, NNLO, etc, or resummed to all orders using a leading log approximation, e.g.

current frontier

$$d\sigma = A \alpha_s^N [1 + (c_{11} L + c_{10}) \alpha_s + (c_{22} L^2 + c_{21} L + c_{20}) \alpha_s^2 + \dots]$$

where  $L = \log(M/q_T), \log(1/x), \log(1-T), \dots \gg 1$  thus LL, NLL, NNLL etc.

## LO

- automated codes for arbitrary matrix element generation
- jet = parton, but 'easy' to interface to hadronisation MCs
- large scale dependence  $\alpha_s(\mu)^N$  therefore not good for precision analyses

## NLO

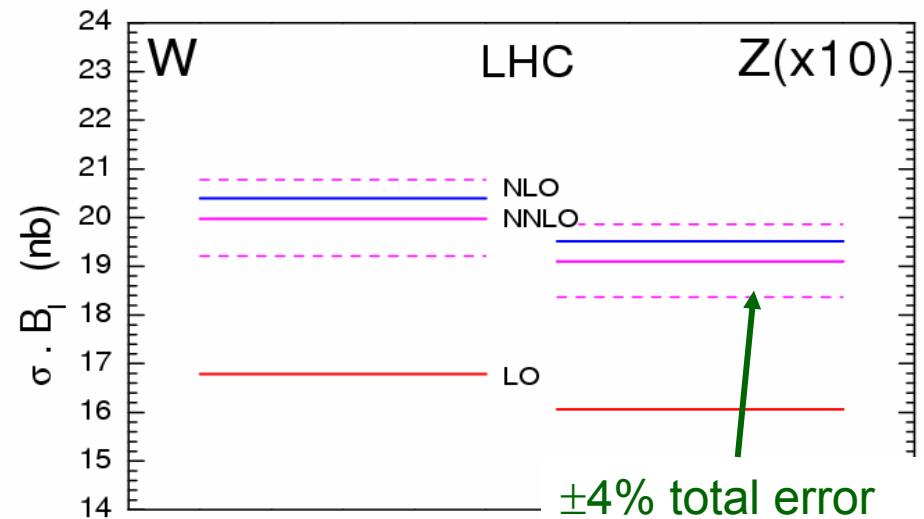
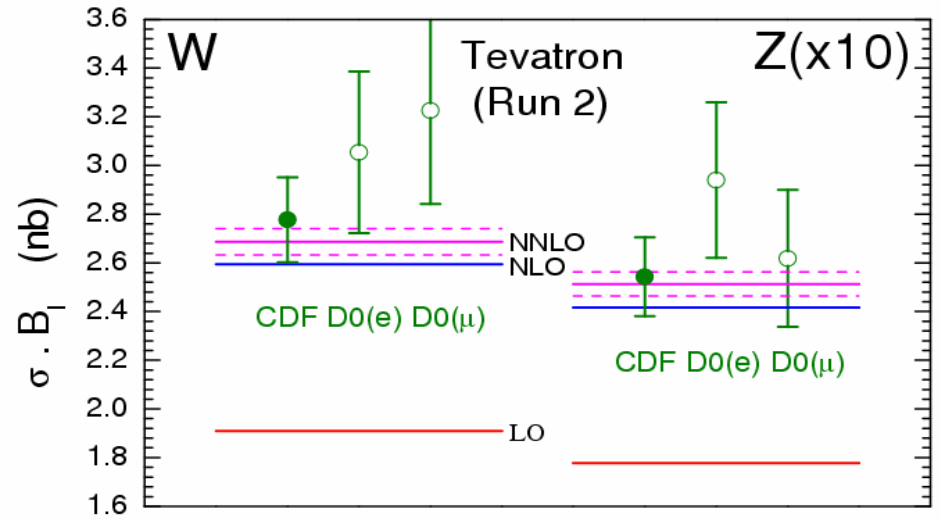
- now known for 'most' processes of interest
- reduced scale dependence
- jet structure begins to emerge
- no automation yet, but many ideas
- now can interface with PS

# NNLO phenomenology already under way...

$\sigma(W)$  and  $\sigma(Z)$  : precision predictions and measurements at the Tevatron and LHC



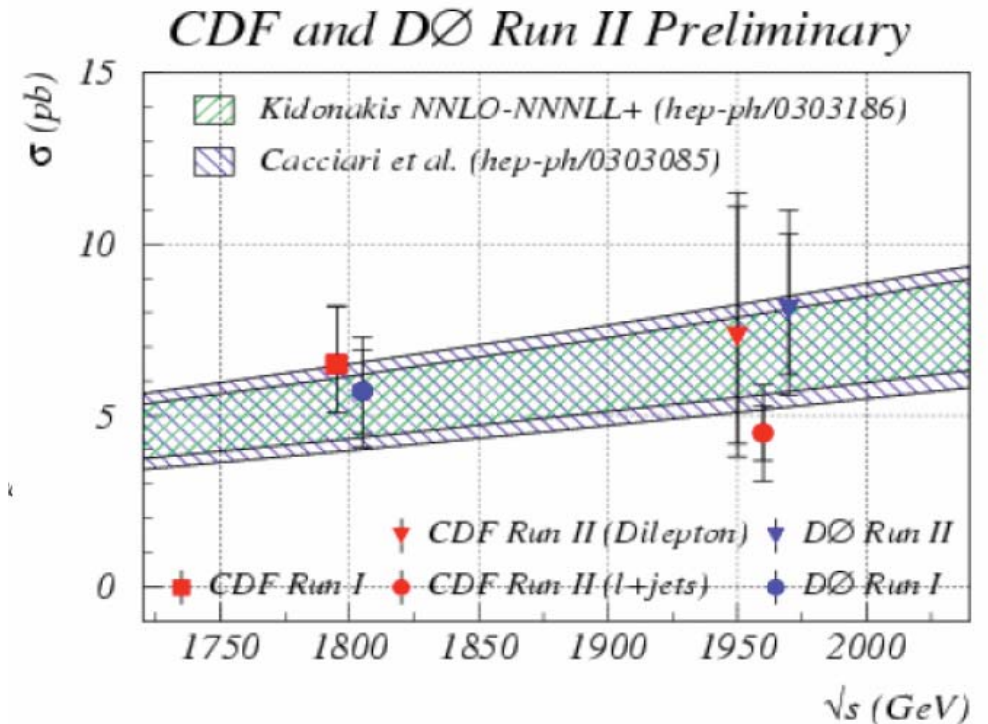
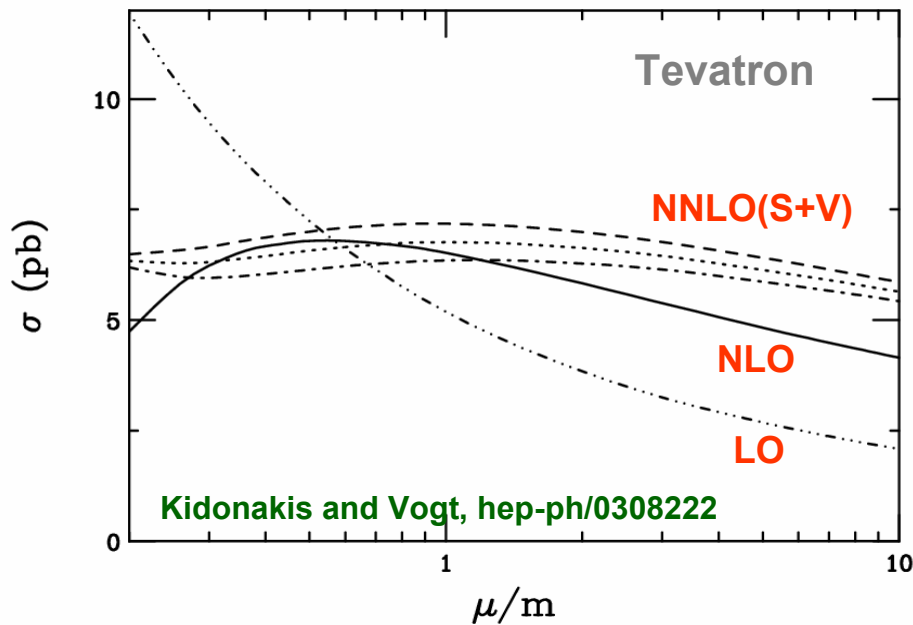
- the pQCD series appears to be under control
- with sufficient theoretical precision, these 'standard candle' processes could be used to measure the **machine luminosity**



partons: MRST2002  
 NNLO evolution: Moch, Vermaseren, Vogt  
 NNLO W,Z corrections: van Neerven et al. with Harlander, Kilgore corrections

# Top quark production

awaits full NNLO pQCD calculation;  
 NNLO & N<sup>n</sup>LL approximations exist  
 (Cacciari et al, Kidonakis et al),  
 probably OK for Tevatron at  $\sim \pm 10\%$   
 level ( $> \delta\sigma_{\text{pdf}}$ )



... but such approximations work  
 less well at LHC energies

# What limits the precision of the predictions?

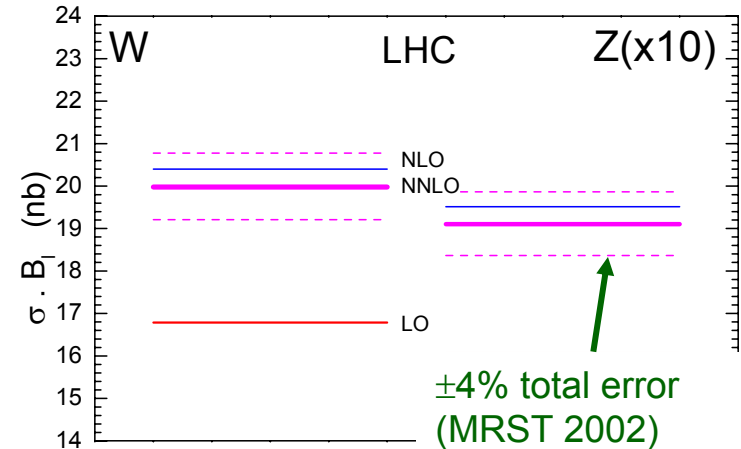
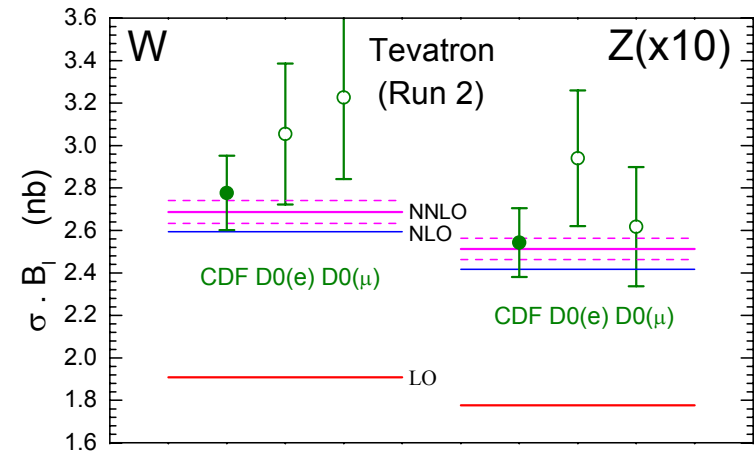
- the order of the perturbative expansion
- the uncertainty in the input parton distribution functions

## ● Example: $\sigma(Z)$ @ LHC

$$\delta\sigma_{\text{pdf}} \approx \pm 3\%, \quad \delta\sigma_{\text{pt}} \approx \pm 2\%$$

$$\rightarrow \delta\sigma_{\text{theory}} \approx \pm 4\%$$

but situation changes for different processes



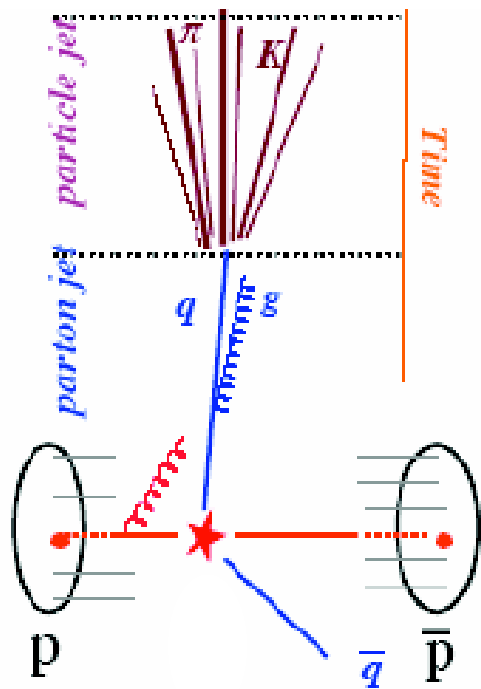
partons: MRST2002

NNLO evolution: van Neerven, Vogt approximation to Vermaseren et al. moments

NNLO W,Z corrections: van Neerven et al. with Harlander, Kilgore corrections



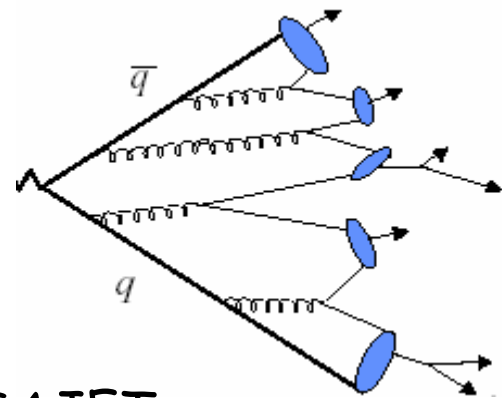
# Event Generators: PS MonteCarlos



- Monte Carlo programs such as HERWIG, ISAJET, and PYTHIA are used to reproduce all aspects of the events
  - In the past: based only on LO matrix elements + Leading Log Approximation.
  - Include the effects of Initial and Final State radiation
  - Different **parton shower models** are used by the different programs
    - ☞ primary goal is to generate the shower of **partons** near the scattered parton direction.
  - also includes some wide angle radiation which could produce additional jets.
- Hadronization model to convert *colored partons* to *colorless hadrons*
- Parton shower and hadronization parameters can be (are) adjusted to give good agreement with data.
- Underlying event
  - assumed to be similar to Minimum Bias events in number of particles produced and their  $P_T$  spectrum
  - empirical and parameters can be tuned to give agreement with the data
- Output of these programs is a list of particles (mostly hadrons) which can be fed into a detector simulation

# Fragmentation models

- **String** Fragmentation: Used in PYTHIA and others
  - separate partons are connected by color strings with uniform energy/unit length
- **Cluster** Fragmentation: Used by HERWIG and others
  - Pairs of neighboring partons are combined into color singlets.
- **Independent Fragmentation** (Feynman-Field): Used in ISAJET and others OLD
  - each parton fragments independently
    - ☞ scattered partons shower independently
    - ☞ resulting partons are converted into hadrons independently
    - ☞ can trace every particle back to original scattered parton
    - ☞ can tune every aspect to give agreement with data



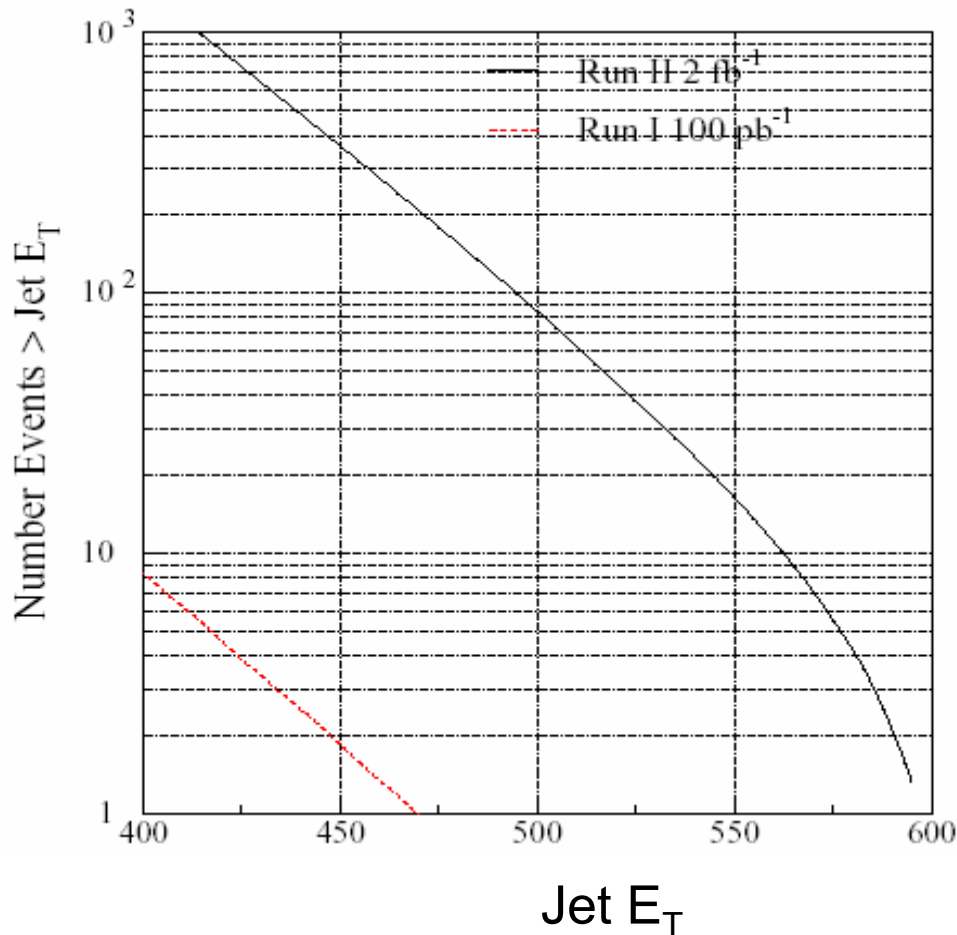
## New: MC @ NLO!!

- **MC @ NLO** *combines* the best features of parton shower Monte Carlos and **NLO** calculations
- The hard cross section is calculated to NLO and then passed on to Herwig for additional gluon radiation and hadronization
- **Inclusive jet production** was supposed to be included in 2005...(I did not check it)

## ...and now some Jet Physics

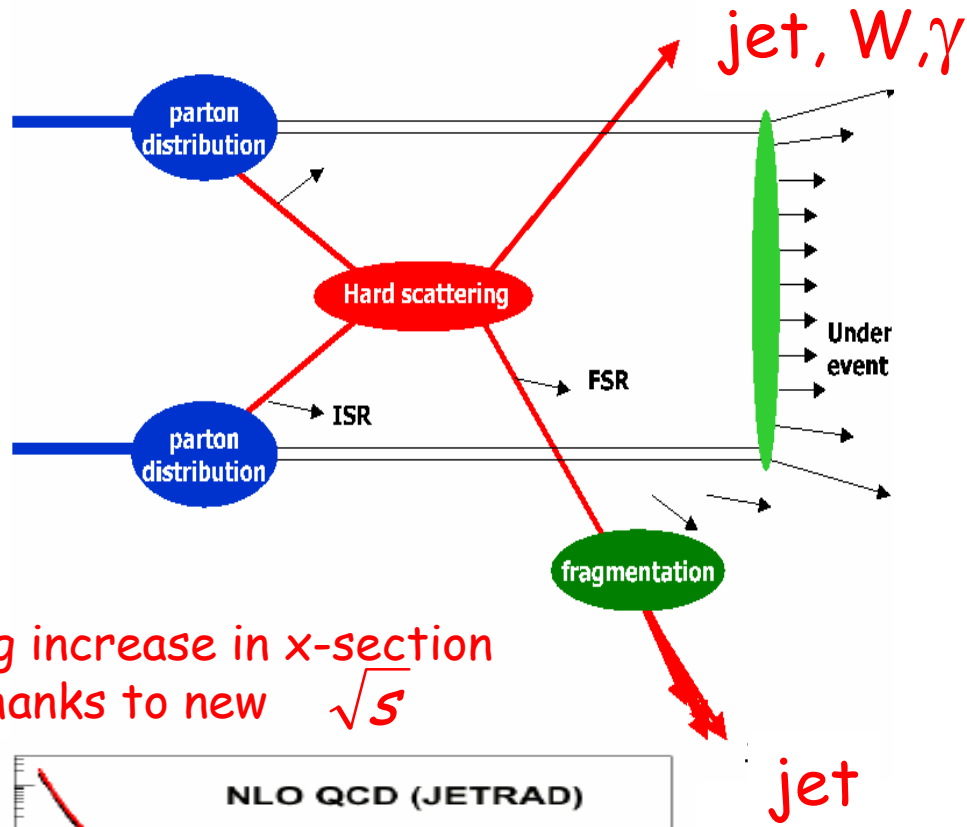
- Jet production is the hard process with the **largest rate in hadronic collisions**.
- For example, the cross section for producing at the Tevatron ( $\sqrt{S} = 1.8 \text{ TeV}$ ) jets of transverse energy  $E_{\text{jet}_T} \leq 50 \text{ GeV}$  is of the order of a  $\mu\text{b}$ . This means **50 events/sec** at Tevatron in run I.
- The data collected at the Tevatron so far extend all the way up to the  $E_T$  values of the order of **550 GeV**. These events are generated by collisions among partons which carry over 50% of the available  $p p$  energy, and **allow to probe the shortest distances ever reached**.

# QCD in Run II

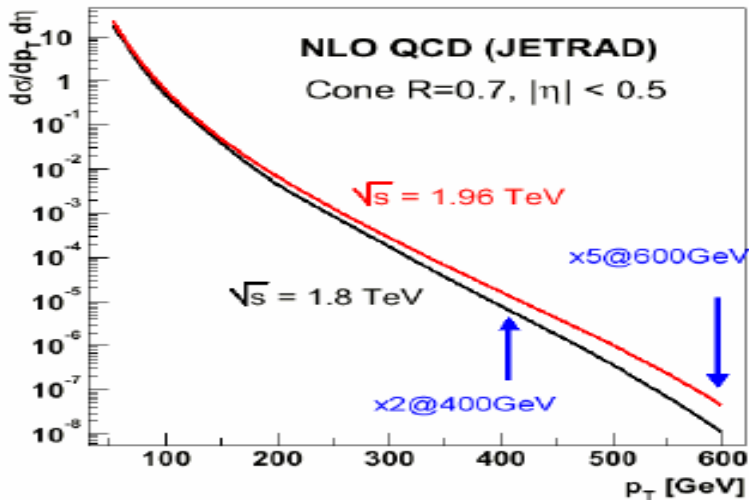


- Run I  
~20 events with  $E_T > 400$  GeV
- Run II  
~1K events  $E_T > 400$  GeV  
~100 Events  $E_T > 490$  GeV
- Great reach in high  $x$  and  $Q^2$
- search for new physics
- test QCD predictions in new regions

# Jet Physics at 2 TeV



\*\*Big increase in x-section thanks to new  $\sqrt{s}$



- Jet Cross Sections

- Jet Algorithms
- Data vs NLO pQCD
- etc

- Underlying Event

- Dijet  $\Delta\phi$  correlations

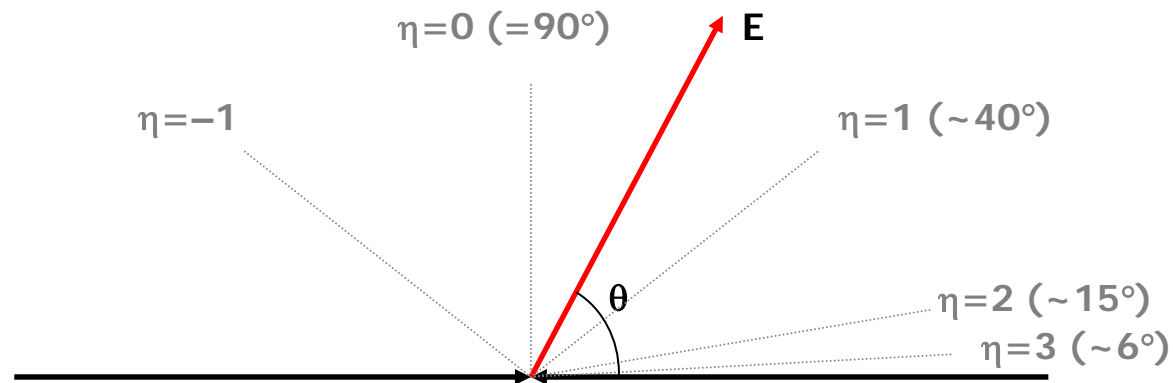
- Jet Shapes

- Boson +jet production

- B-jet production

# Hadron Collider variables

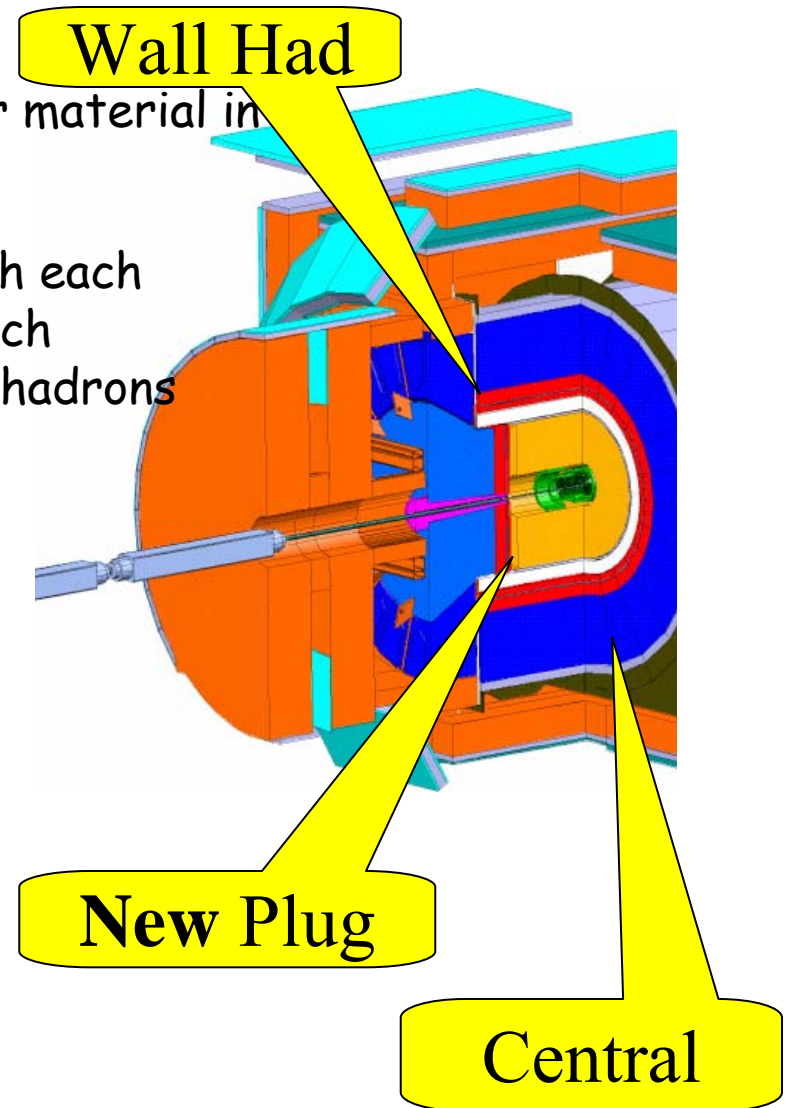
- The incoming parton momenta  $x_1$  and  $x_2$  are **unknown**, and usually the beam particle remnants escape down the beam pipe
  - *longitudinal motion of the centre of mass cannot be reconstructed*



- Focus on **transverse** variables
  - Transverse Energy  $E_T = E \sin \theta$  ( $= p_T$  if mass = 0)
- and **longitudinally boost-invariant** quantities
  - Pseudorapidity  $\eta = -\log(\tan \theta/2)$  ( $=$  rapidity  $y$  if mass = 0)

## CDF calorimeter

- Central and Wall ( $|\eta| < 1.2$ ):
  - Scintillating tile with lead (iron) as absorber material in EM (HAD) section
  - Coarse granularity:
    - ☞  $\Phi$ : 24 towers cover 15 degrees in azimuth each
    - ☞  $\eta$ : 10 towers cover 0.1 unit in rapidity each
  - Non-compensating  $\rightarrow$  non-linear response to hadrons
  - Rather thin: 4 interaction lengths
  - Resolutions:
    - ☞ EM energies:  $\sigma/E = 13.5\% / \sqrt{E}$
    - ☞ HAD energies:  $\sigma/E = 80\% / \sqrt{E}$
- New Plug ( $1.2 < |\eta| < 3.6$ ):
  - Similar technology to central
  - Differences
    - ☞ 48 towers in azimuth
    - ☞ EM energies:  $\sigma/E = 16\% / \sqrt{E}$
    - ☞ HAD energies:  $\sigma/E = 80\% / \sqrt{E}$
    - ☞ More linear response
    - ☞ Thicker: 7 interaction lengths





# Run I -> Cone algorithm

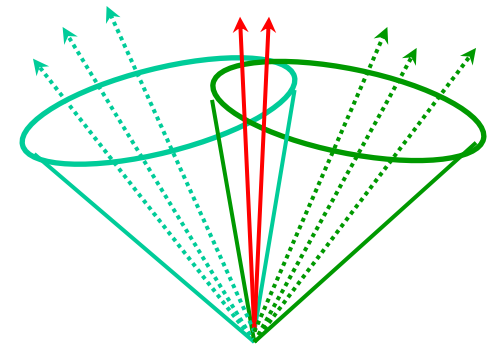
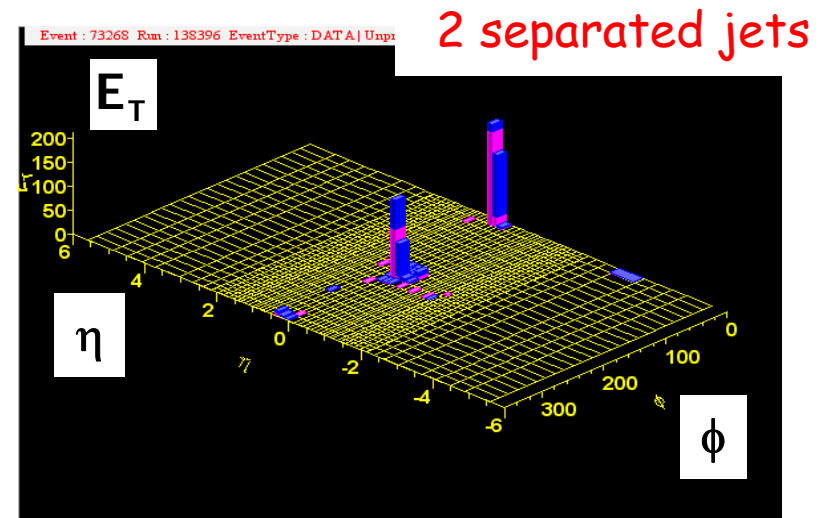
1. Seeds with  $E_T > 1 \text{ GeV}$
2. Draw a cone around each seed and reconstruct the "proto-jet"

$$E_T^{\text{jet}} = \sum_k E_T^k,$$

$$\eta^{\text{jet}} = \frac{\sum_k E_T^k \cdot \eta_k}{E_T^{\text{jet}}}, \quad \phi^{\text{jet}} = \frac{\sum_k E_T^k \cdot \phi_k}{E_T^{\text{jet}}}$$

3. Draw new cones around "proto-jets" and iterate until stability is achieved
4. Look for possible overlaps

pQCD NLO has to emulate experimental procedure -> arbitrary parameter in calculation



merged if common  $E_T$  is more than 75 % of smallest jet

# Jet Corrections

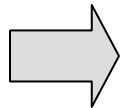
1. Calibrate EM and HAD calorimeters in situ
2. Reconstruct jets (JetClu cone algorithm):  $P_T^{\text{raw}}$
3. Correct jets in plug calorimeter w.r.t. central "relative corrections":  $f_{\text{rel}}$ 
  - use di-jet data (versus  $\eta$ )
4. Correct for Multiple pp Interactions : UEM
5. Correct measured jets back to particle level jets: tune MC simulation:  $f_{\text{abs}}$ 
  - Response of calorimeter to single particles
  - Fragmentation: Pt spectra in data
6. Correct for Underlying Event: UE
7. Correct particle jet back to parton: OC

$$P_T(\Delta R) = (P_T^{\text{raw}}(\Delta R) \times f_{\text{rel}} - UEM(\Delta R)) \times f_{\text{abs}}(\Delta R) - UE(\Delta R) + OC(\Delta R)$$

Systematic error associated with each step

# Detector to Particle Level

- Do not use data since no high statistics calibration processes at high  $E_t > 100 \text{ GeV}$
- Extracted from MC



*MC needs to:*

1. Simulate accurately the response of detector to single particles (pions, protons, neutrons, etc.):

**CALORIMETER SIMULATION**

2. Describe particle spectra and densities at all jet  $E_t$ :

**FRAGMENTATION**

- ☞ Measure fragmentation and single particle response in data and tune MC to describe it
- ☞ Use MC to determine correction function to go from observed to "true"/most likely  $E_t$ :

$$E^{\text{true}} = f ( E^{\text{obs}}, \eta, \text{conesize} )$$

# Absolute Correction from MC

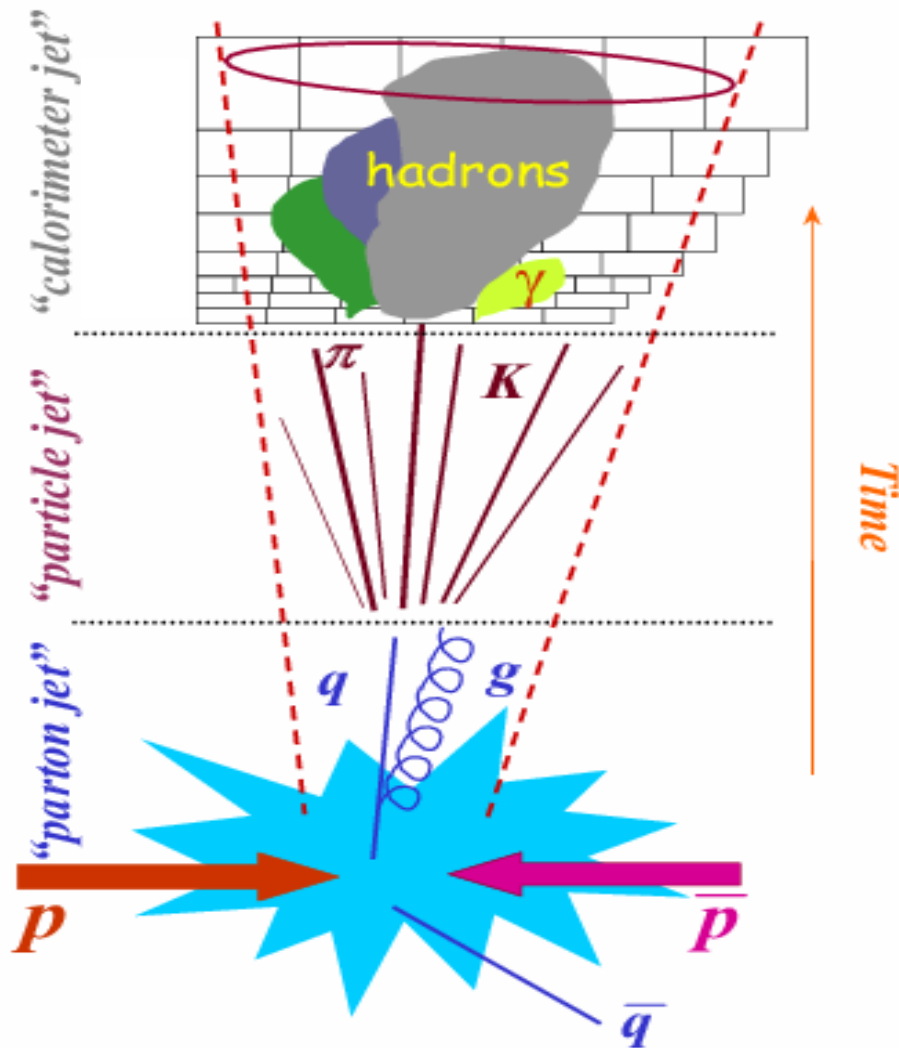
- Wanted:
  - Most likely true Et value for given measured Et value
- **BUT** cannot be obtained universally for all analyses since it depends on Et spectrum:
  - E.g. most likely value in falling spectrum dominated by smearing from lower Et bins
  - Different for flat Et spectrum (e.g. top or new resonance)
- CDF:
  - Provide standard "generic" jet corrections using flat Pt spectrum
  - Individual analyses determine their "specific" residual corrections themselves from their MC

# Summary Jet Calibrations

- **Calibration signals:**
  - MIP peak,  $E/p$ ,  $Z \rightarrow ee$  and Min Bias for calorimeter calibration
  - Di-jet balancing for relative response in cracks and in plug calorimeter
  - Isolated tracks for understanding calorimeter response to  $\pi$ ,  $p$ ,  $K$  (fragmentation needs to be modeled)
- **Independent channels used for cross checks/systematic error:**
  - $\gamma$ -Jet and  $Z$ -jet balancing
  - $Z \rightarrow bb$  peak and  $W \rightarrow jj$  peak in  $t\bar{t}$  events

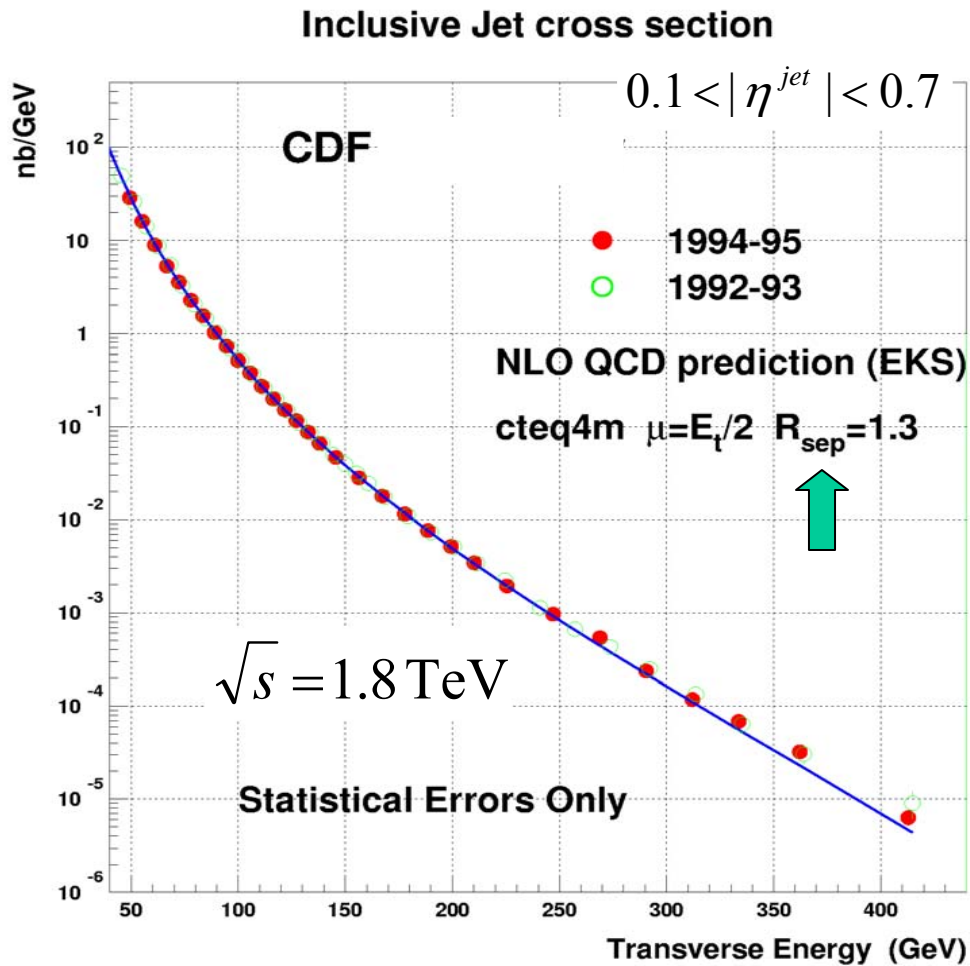
Excellent simulation required, particularly for high  $E_t$  jets where no physics channels available for calibration

# Jet algorithms & physics

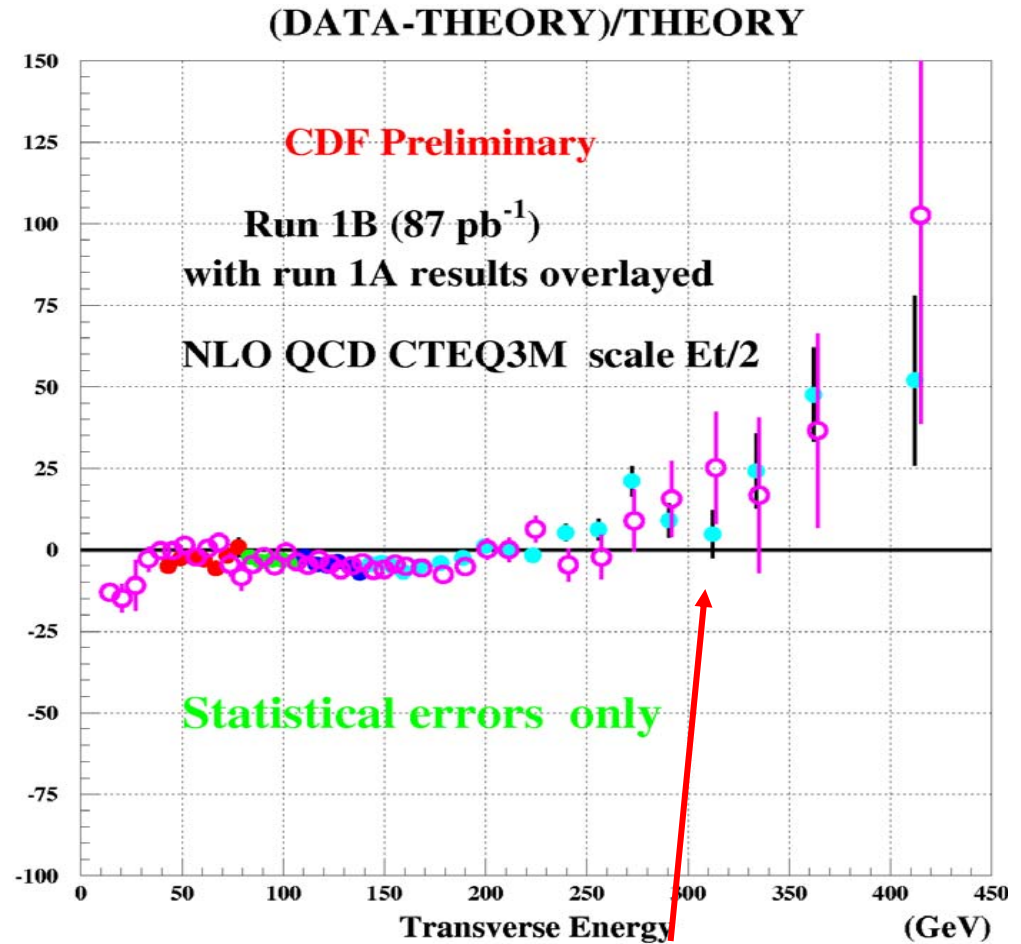


- Final state partons are revealed through collimated flows of hadrons called jets
- Measurements are performed at hadron level & theory is parton level (hadron  $\rightarrow$  parton transition will depend on parton shower modeling)
- Precise jet search algorithms necessary to compare with theory and to define hard physics
- Natural choice is to use a cone-based algorithm in  $\eta$ - $\phi$  space (invariant under longitudinal boost)

# Run I Results



Run I data compared to pQCD NLO

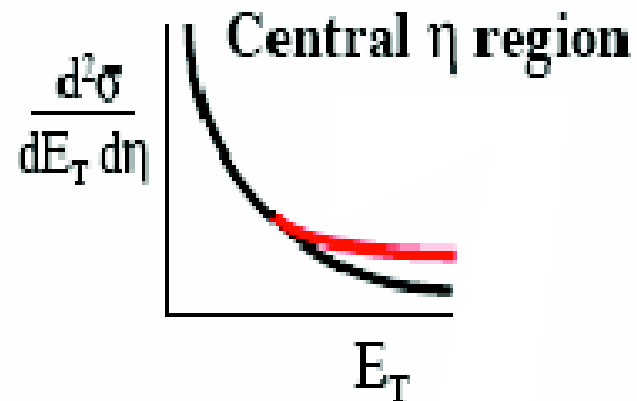


Observed deviation in tail .....  
was this a sign of new physics ?

# Compositeness

- ❖ Jet production at the Tevatron currently probes the most “violent” collisions currently achievable
  - smallest distance scales ( $10^{-17}$  cm)
  - some of greatest sensitivity to new physics → quark compositeness
- ❖ New version of Rutherford scattering
  - production of jets at high  $p_T$  indicates that there must be point-like constituents within proton, i.e. quarks
  - If we observe a deviation from the expected jet cross sections at the highest jet  $p_T$ 's (smallest distance scales), this may also be an indication of something inside the quarks
- ❖ Energia jet  $\sim 500$  GeV - Probes proton structure to smallest distance scales

$$\begin{aligned}\lambda &= hc/Mc^2 \\ &= 197 \text{ MeVfm} / 500 \text{ GeV} \\ &= 4 \times 10^{-17} \text{ cm}\end{aligned}$$



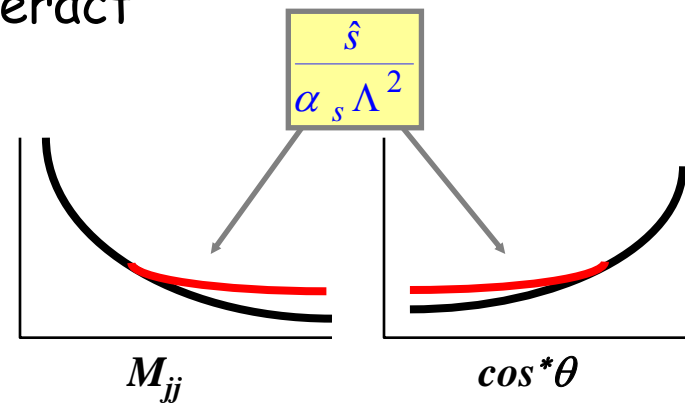
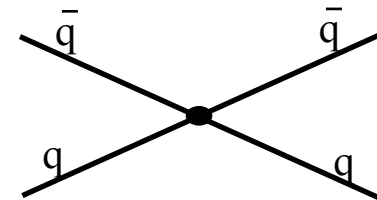
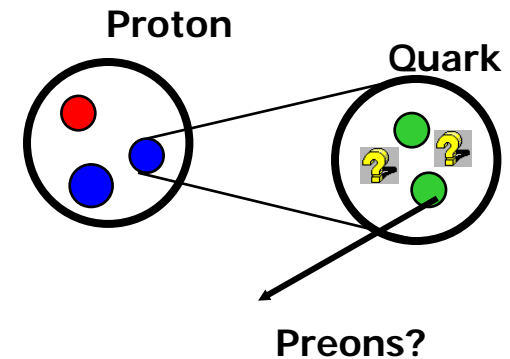


# Using jets as a probe of quark structure

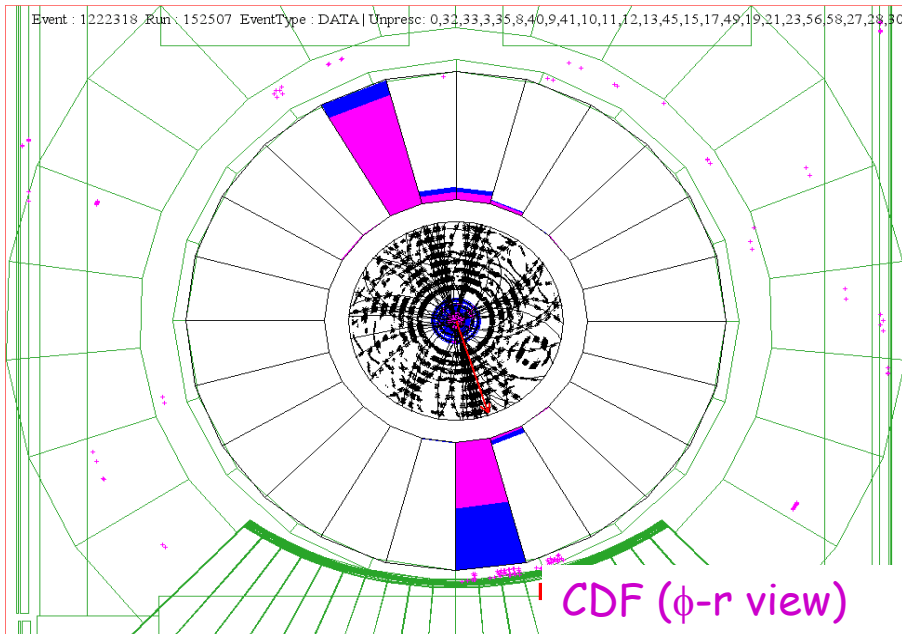
- If quarks contain smaller constituents
  - constituent interactions have a scale  $\Lambda$
  - at momentum transfers  $\ll \Lambda$ , quarks appear pointlike and QCD is valid
  - as we approach scale  $\Lambda$ , interactions can be approximated by a four-fermion contact term:
  - at and above  $\Lambda$ , constituents interact directly

$$\sigma \sim [ \text{QCD} + \text{Interference} + \text{Compositeness} ]$$

Modifies dijet mass and centre of mass scattering angle distribution



# One of the Highest Mass Dijet Event



Dijet Mass = 1364 GeV  
(probing distance  $\sim 10^{-19}$  m)

$E_T = 633$  GeV  
 $\eta = -0.19$

